



News from Wien

4. miniworkshop difrakce a ultraperiferálních srážek

September 13, 2021, Děčín, CZ

Roman Lavička*

*Guillermo Contreras Institute for Physics Graduates Production, University of Awesome Supervisors

News depends on the time scope



- Hard to define what is new...
- Capital of Austria since 1955.
- Most of the buildings since Austria-Hungary Empire rule.
- So, it looks old like Brno...

News depends on the time scope



- Hard to define what is new...
- Capital of Austria since 1955.
- Most of the buildings since Austria-Hungary Empire rule.
- So, it looks old like Brno...
- ...but people want to live here!

News depends on the time scope



- Hard to define what is new...
- Wien beer is average, but they quite often offer Starobrno...

News depends on the time scope



- Hard to define what is new...
- Wien beer is average, but they quite often offer Starobrno...
- ...so you rather drink local beers.

News depends on the time scope



- Hard to define what is new...
- They have converted the infrastructure to be bike-friendly in the last 10 yrs.
- Just like Prague is trying to do now.

News depends on the time scope



- Hard to define what is new...
- They have converted the infrastructure to be bike-friendly in the last 10 yrs.
- Just like Prague is trying to do now.
- But nobody is constantly complaining about it.
- Instead, people are using it.

News depends on the time scope



- Hard to define what is new...
- Wienerschnitzel is not from Vienna.
- Originally created by arabic nations, it travels over Sicily to Milano, where you can have it in current shape (calf meat in breaded cutlet) under the name Cotoletta alla Milanese.

News depends on the time scope



- Hard to define what is new...
- Wienerschnitzel is not from Vienna.
- Originally created by arabic nations, it travels over Sicily to Milano, where you can have it in current shape (calf meat in breaded cutlet) under the name Cotoletta alla Milanese.
- On contrary, sachertorte seems to be originally from Wien.

Tau anomalous magnetic moment measurements in ultra-peripheral collisions with ALICE at the LHC

4. miniworkshop difrakce a ultraperiferálních srážek

September 13, 2021, Děčín, CZ

Roman Lavička*

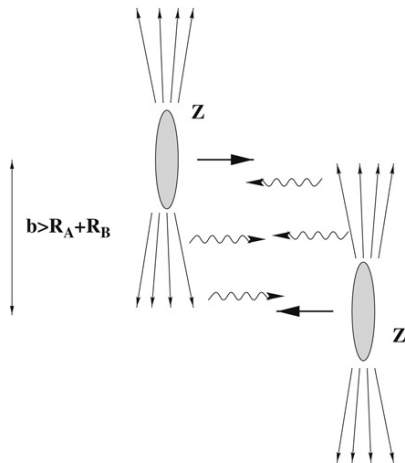
*Stefan Meyer Institute for Subatomic Physics, Austrian Academy of Sciences

†Petersburg Nuclear Physics Institute, Russian Academy of Sciences

In collaboration with Paul Bühler*, Evgeny Kryshent†, Nazar Burmasov†

Introduction - tools

- Ultra-peripheral collisions (UPCs).
 - Impact parameter $b > R_A + R_B$.
 - Strong interaction suppressed.
 - EM interaction remains.
- EM field of ultra-relativistic electrically charged particle $\sim$ flux of photons.
 - Interaction intensity increasing with Z^2 .
- Many measurements at ALICE already.
 - Proof of usefulness of this tool.
 - Photon used as a probe to inner structure of hadrons/ions.
 - Appreciate addition to HERA/EIC.



Baltz et al.: Phys.Rept. 458 (2008) 1-171

Anomalous magnetic moment

- Magnetic moment μ :

$$\boldsymbol{\mu} = g \frac{e}{2m} \mathbf{s}.$$

g - gyromagnetic factor, e - elementary charge, m - mass, $\mathbf{s}$ - spin

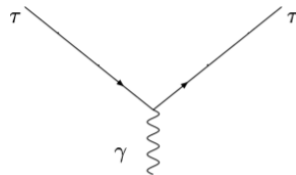
- Under Dirac assumption (point-like particle, spin 1/2) $g = 2$.

- Anomalous magnetic moment:

$$a = \frac{g - 2}{2}.$$

- Standard Model prediction:

$$a = a^{\text{QED}} + a^{\text{EW}} + a^{\text{Hadron loops}}$$



Anomalous magnetic moment

- Magnetic moment μ :

$$\boldsymbol{\mu} = g \frac{e}{2m} \mathbf{s}.$$

g - gyromagnetic factor, e - elementary charge, m - mass, $\mathbf{s}$ - spin

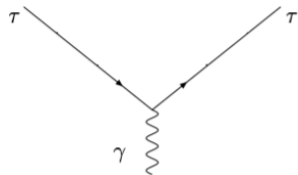
- Under Dirac assumption (point-like particle, spin 1/2) $g = 2$.

- Anomalous magnetic moment:

$$a = \frac{g - 2}{2}.$$

- Standard Model prediction:

$$a = a^{\text{QED}} + a^{\text{EW}} + a^{\text{Hadron loops}} + a^{???}$$



QED contribution

- Photon and (l)pton loops (three (f)lavours).

$$a^{\text{QED}} = A_1 + A_2 \left(\frac{m_{l,f=1}}{m_{l,f=2}} \right) + A_2 \left(\frac{m_{l,f=1}}{m_{l,f=3}} \right) + A_3 \left(\frac{m_{l,f=1}}{m_{l,f=2}}, \frac{m_{l,f=1}}{m_{l,f=3}} \right)$$

- A_1 - only photon loops (no mass and flavour dependency).
- Expansion as power series in α/π :

$$A_i = A_i^{(2)} \left(\frac{\alpha}{\pi} \right) + A_i^{(4)} \left(\frac{\alpha}{\pi} \right)^2 + \dots$$

QED contribution

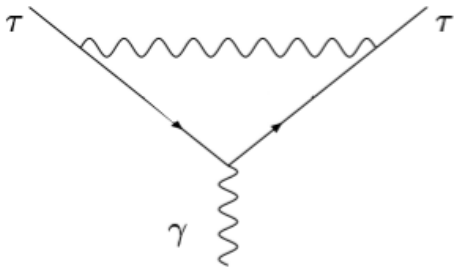
- Photon and (l)pton loops (three (f)lavours).

$$a^{\text{QED}} = A_1 + A_2 \left(\frac{m_{l,f=1}}{m_{l,f=2}} \right) + A_2 \left(\frac{m_{l,f=1}}{m_{l,f=3}} \right) + A_3 \left(\frac{m_{l,f=1}}{m_{l,f=2}}, \frac{m_{l,f=1}}{m_{l,f=3}} \right)$$

- A_1 - only photon loops (no mass and flavour dependency).
- Expansion as power series in α/π :

$$A_i = A_i^{(2)} \left(\frac{\alpha}{\pi} \right) + A_i^{(4)} \left(\frac{\alpha}{\pi} \right)^2 + \dots$$

- Only one diagram in the lowest order.
- $A_1^{(2)} = 1/2$.
- Schwinger, Phys. Rev. 73, 416 (1948).



QED contribution

- Photon and (l)epton loops (three (f)lavours).

$$a^{\text{QED}} = A_1 + A_2 \left(\frac{m_{l,f=1}}{m_{l,f=2}} \right) + A_2 \left(\frac{m_{l,f=1}}{m_{l,f=3}} \right) + A_3 \left(\frac{m_{l,f=1}}{m_{l,f=2}}, \frac{m_{l,f=1}}{m_{l,f=3}} \right)$$

- A_1 - only photon loops (no mass and flavour dependency).
- Expansion as power series in α/π :

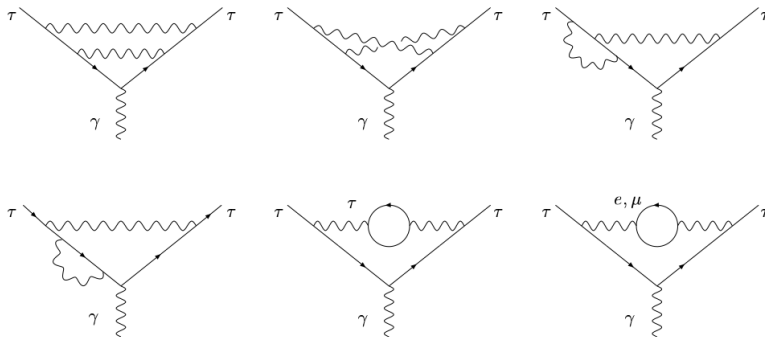
$$A_i = A_i^{(2)} \left(\frac{\alpha}{\pi} \right) + A_i^{(4)} \left(\frac{\alpha}{\pi} \right)^2 + \dots$$

- Only one diagram in the lowest order.
- $A_1^{(2)} = 1/2$.
- Schwinger, Phys. Rev. 73, 416 (1948).
- Very apprehensive wife.



QED contribution

- The two-loop order example (8 diagrams in total):

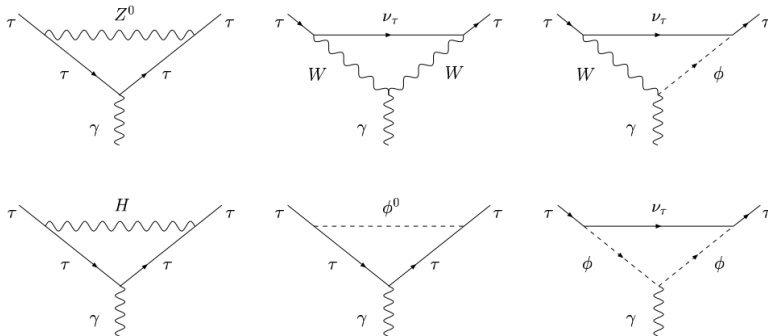


- The three-loop order:
 - More than one hundred diagrams.
 - Analytic computations required three decades...

Eidelman, et al.: Phys. Lett. A 22 (2007) 159-179

Elektroweak contribution

- Loops with $W^\pm, Z, H$, goldstone bosones...

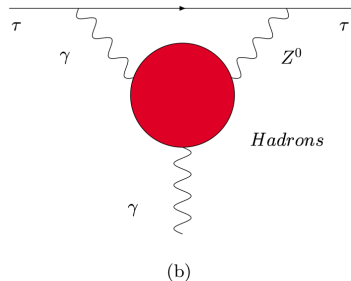
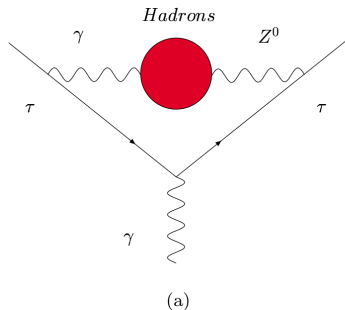


- Wrt. QED, EW contribution is proportional to $\sim (m_l/m_W)^2$.
- For electron, this contribution is strongly suppressed!
- For tauon, on the level of the three-loop order.

Eidelman, et al.: Phys. Lett. A 22 (2007) 159-179

Hadron contribution

- Hadronic vacuum polarization, light-by-light, higher orders loops...



- Calculations based on experimental results.
- For electron, again, this contribution is strongly suppressed!

Eidelman, et al.: Phys. Lett. A 22 (2007) 159-179

Lepton family overview

	a_e	a_μ	a_τ
SM pred.	0.00115965218164(77)	0.00116591804(51)	0.00117721(5)
Exp. val.	0.00115965218073(28)	0.00116592061(41)	[-0.052, 0.013] (95%CL)

- Difference of Standard Model and observations:
 - Compositeness of leptons?
 - New physics Behind Standard Model (BSM)?
- BSM scales with $(m_{\text{lepton}}^2 / m_\Lambda^2)$, where m_Λ is the mass scale of BSM particles.
 - $e : \mu = 1 : 42750$
 - $\mu : \tau = 1 : 280$
- Higher mass of lepton $\rightarrow$ reaching lower scale $\rightarrow$ better sensitivity to BSM.

a_e experimental value: Hanneke *et al.*: Phys. Rev. A 83, 052122 (2011)

a_μ experimental value: Muon g-2: Phys. Rev. Let. 126, 141801 (2021)

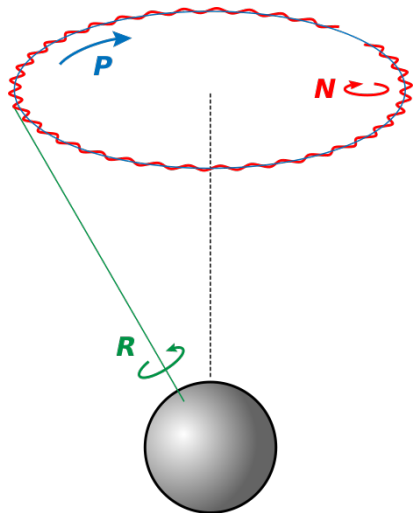
a_τ experimental value: DELPHI: Eur. Phys. J. C 35, 159-170 (2004)

Measurement method: Precession

- Three possible movements around Euler angles.
- Rotation R, precession P and nutation N.
- A magnetic dipole (particle with spin and momentum) in an external magnetic field $\vec{B} \rightarrow$ precession.

$$\vec{\omega}_a = -a_\mu \frac{q \vec{B}}{m}.$$

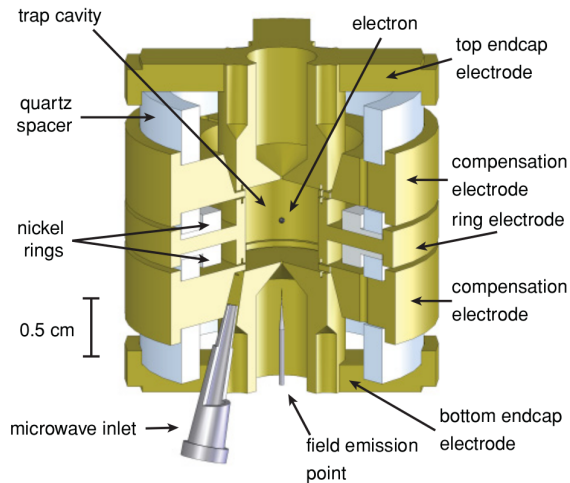
- Through precession frequency $\vec{\omega}_a$ you measure anomalous magnetic moment a_μ .
- Highly uniform magnetic field $\vec{B}$ needed!
- Possible for electrons and muons ($2 \times 10^{-6}\text{s}$), taus have too short lifetime ($3 \times 10^{-13}\text{s}$).



Wikimedia Commons

Electron and fine-structure constant α

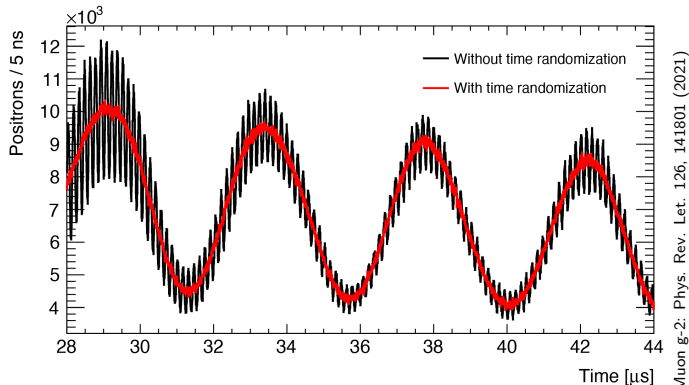
- Electron trapped in cyclotron.
- You only need to measure the spin and cyclotron frequency.
- QED contribution dominates.
- a^{QED} proportional to α .
- Measurement of electron anomalous magnetic moment allows us a direct access to fine-structure constant!
- Measured with an accuracy to 12 digits.
- The most precise measurement of a constant in the history of physics.
- $\alpha^{-1} = 137.035999084(51)$



Hanneke *et al.*: Phys. Rev. A 83, 052122 (2011)

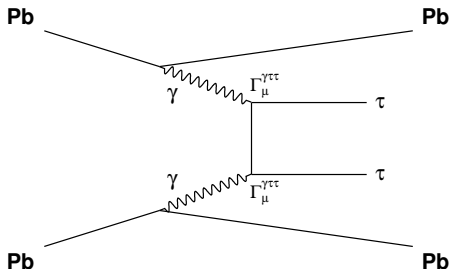
Muon and the latest evidence of BSM

- Example: Fermilab Muon $g - 2$ Collaboration, details: Phys. Rev. D 103, 072002 (2021).
- (Almost) exclusively $\mu^\pm \rightarrow e^\pm + \bar{\nu}_{e/\mu} + \nu_{\mu/e}$, $\gamma \approx 30 \rightarrow \bar{\tau}_\tau = 60 \times 10^{-6}\text{s}$.
- Measurement of the positron energy spectrum.
- Muon spin and momentum aligned = spectrum easiest.
- Muon spin and momentum anti-aligned = spectrum steepest.
- N events in certain energy interval is changing with time.
- Modulation frequency = $\vec{\omega}_a$.
- **4.2 σ strong evidence!**
- Other explanation within QCD: arXiv:2002.12347



Measurement method: Differential cross section of τ production

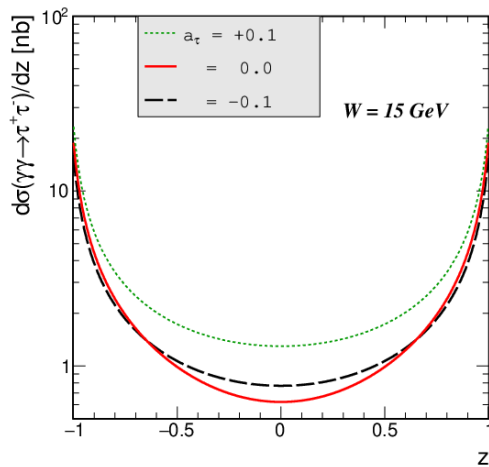
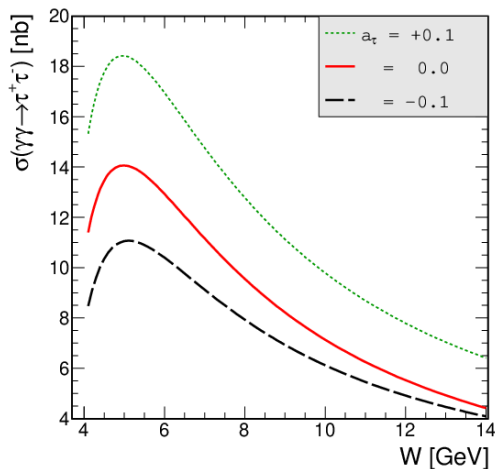
- $\gamma\tau\tau$ vertex is sensitive to a_τ .
- Two vertices = enhanced sensitivity.
- Different options like $e^+e^- \rightarrow \tau\tau(e^+e^-)$ and $Z \rightarrow \tau\tau\gamma\ldots$
- ...or employ UPCs!
- Great source of photons at hadron colliders.
- $q^2 \rightarrow 0$ is ideal.
- Proposed for LHC (and SSC) in 1991, del Aguilla *et al.*: Phys. Lett. B 271 (1991) 256.
- SM effective field theory (SMEFT), Bereford *et al.*: Phys. Rev. D 102, (2020) 113008.
- Direct calculation, Dyndal *et al.*: Phys. Lett. B 809, (2020) 135682.

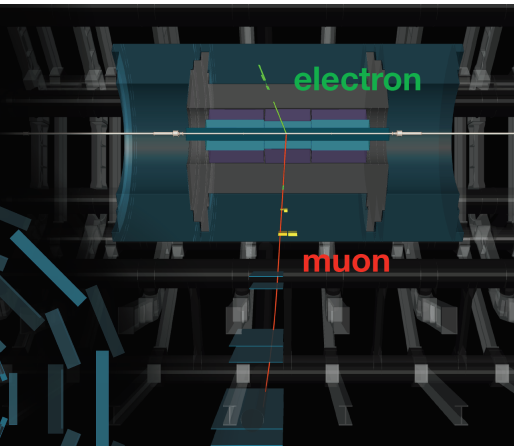
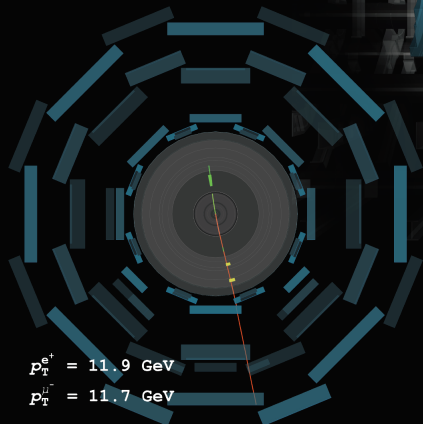


$$i\Gamma_\mu^{(\gamma\tau\tau)}(q) = -ie \left[\gamma_\mu F_1(q^2) + \frac{i}{2m_\tau} \sigma_{\mu\nu} q^\nu F_2(q^2) + \frac{1}{2m_\tau} \gamma^5 \sigma_{\mu\nu} q^\nu F_3(q^2) \right] \quad F_2(q^2 \rightarrow 0) = a_\tau$$

a_τ connection to cross section

- Non-trivial, but observable dependency on W , $z = \cos\theta$ (in $\gamma\gamma$ CM frame).





Pb+Pb, 5.02 TeV

Run: 365914

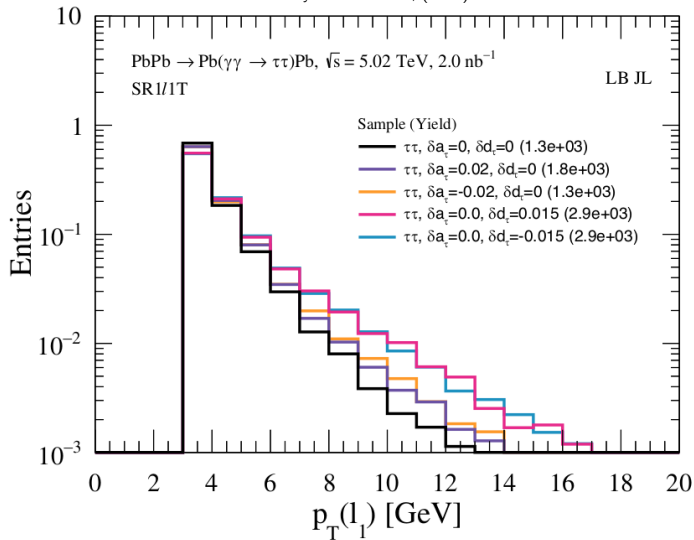
Event: 562492194

2018-11-14 18:05:31 CEST

All calo cells with $E_T > 500 \text{ MeV}$ shown

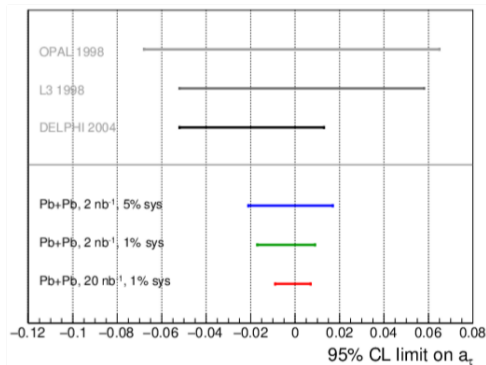
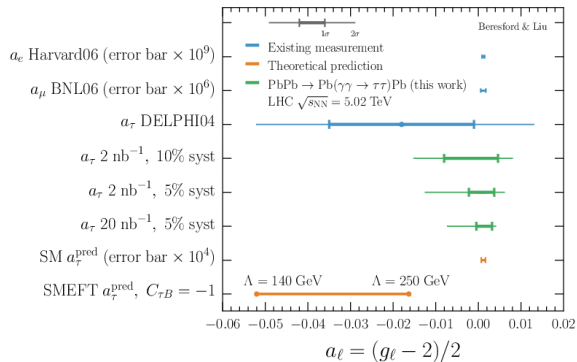
p_T -spectrum sensitivity to a_τ

Bereford *et al.*: Phys. Rev. D 102, (2020) 113008.



New possible limits by ATLAS/CMS and its comparison to current values

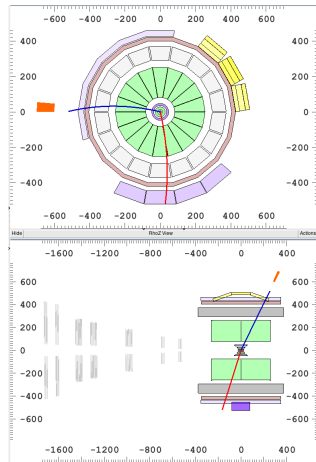
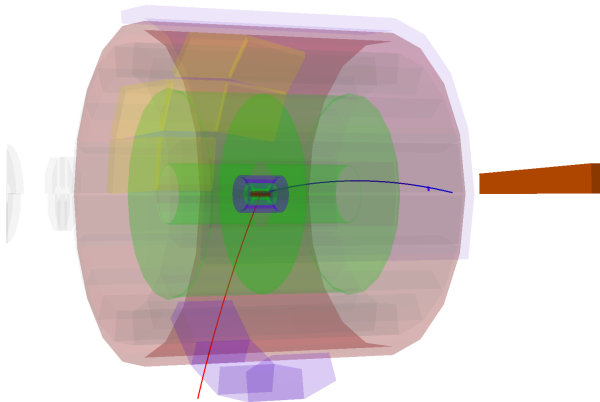
Bereford et al.: Phys. Rev. D 102, (2020) 113008.



Dyndal et al.: Phys. Lett. B 809, (2020) 135682.

- ATLAS/CMS Run 2 statistics estimates: 1280 events (2 nb $^{-1}$).
- Systematics can strongly limits this measurement.

ALICE possibilities



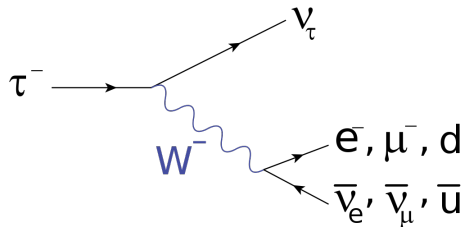
Event selection strategy

■ 1-prong decay ($\sim 80\%$):

- $\tau^\pm \rightarrow e^\pm + \bar{\nu}_{e/\tau} + \nu_{\tau/e}$ (17.8%)
- $\tau^\pm \rightarrow \mu^\pm + \bar{\nu}_{\mu/\tau} + \nu_{\tau/\mu}$ (17.4%)
- $\tau^\pm \rightarrow \pi^\pm + n\pi^0 + \nu_\tau$ (45.6%)

■ 3-prongs decay ($\sim 20\%$):

- $\tau^\pm \rightarrow 3\pi^\pm + n\pi^0 + \nu_\tau$



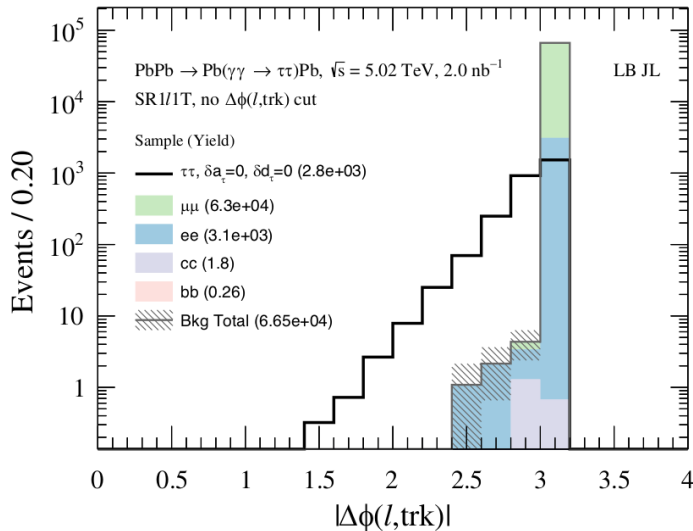
■ ALICE strategy:

- Exclusivity requirement: to avoid $\gamma\gamma \rightarrow q\bar{q}$ (or UPCs dipion), one decay is leptonic.
- Midrapidity: Separation of μ and π with central barrel impossible $\rightarrow$ looking for electron(positron) + charged track (muon/pion).
- Semi-forward rapidity: Forward muon + charged track in central barrel.
- Forward rapidity: Only muon channel $\rightarrow$ suppressed to other cases.

Suppressing background - acoplanarity cut

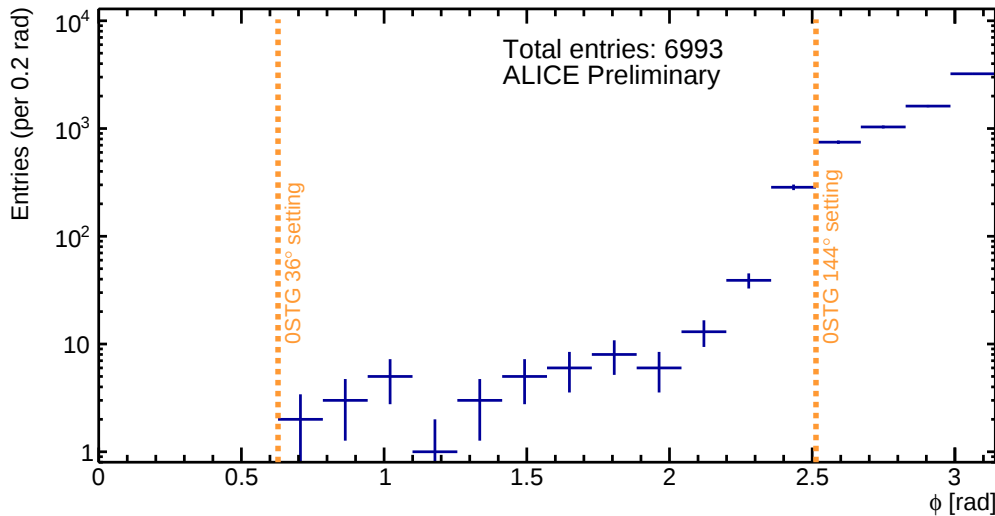
- Background from continuum.
- Avoiding back-to-back tracks.
- Run 2 trigger strategy did not favor such events.

Bereford *et al.*: Phys. Rev. D 102, (2020) 113008.



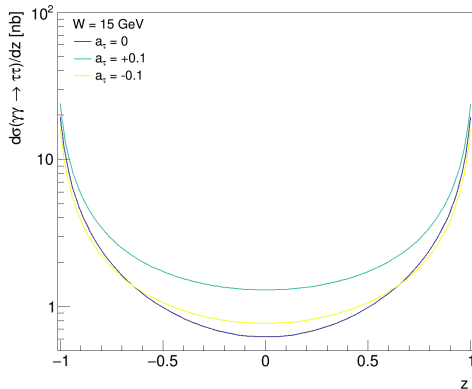
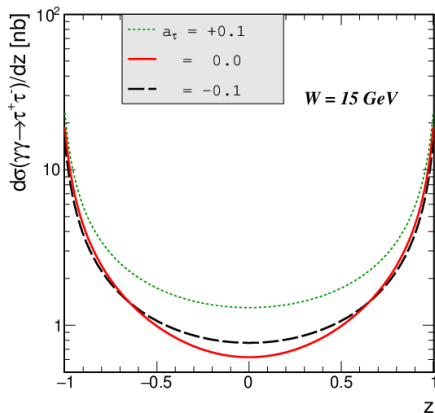
Example: Run 2 2018 Pb–Pb collisions, 0.23nb^{-1}

Acoplanarity distribution of electron pion pairs for measured data



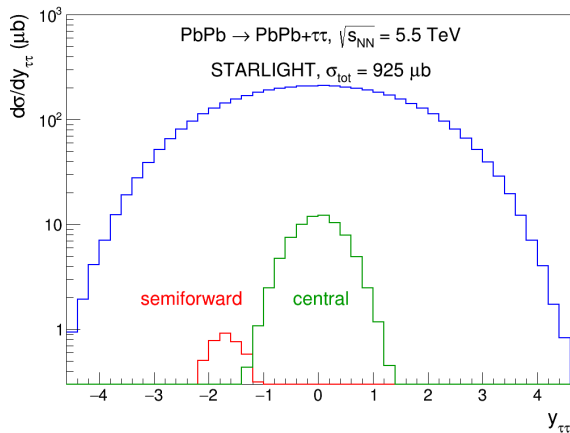
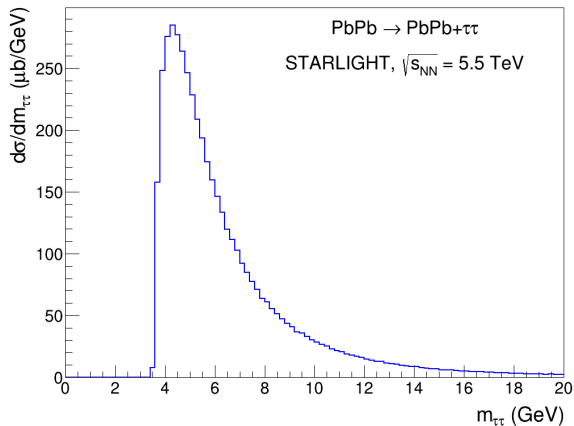
Simulations: Run 3 2022 Pb–Pb collisions, 2.3nb^{-1}

Dyndal et al.: Phys. Lett. B 809, (2020) 135682.



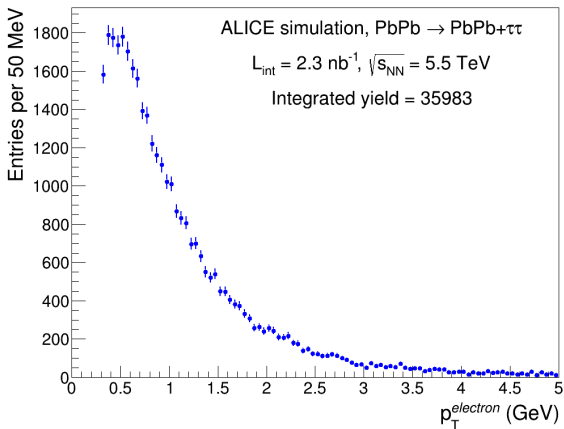
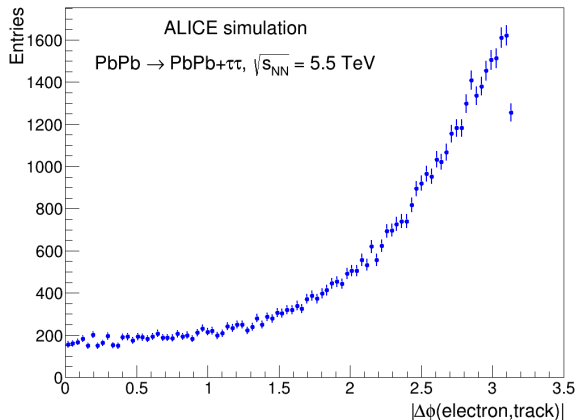
- Our simulations reproduce well those used for ATLAS/CMS.

Simulations: Run 3 2022 Pb–Pb collisions, 2.3nb^{-1}



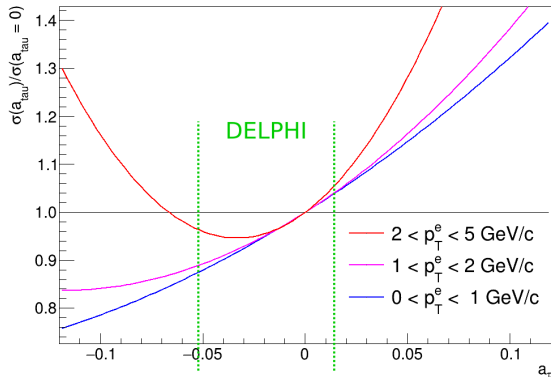
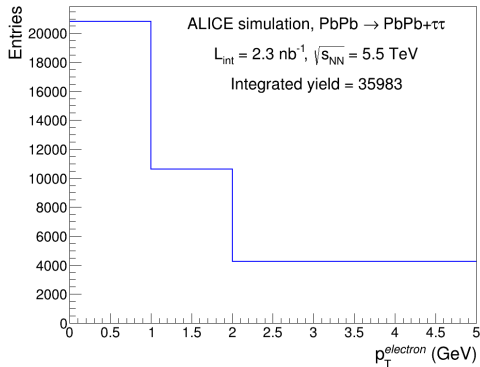
- 36 000 events in central barrel (electron + muon/pion).
- 2 000 events in semi-forward rapidity (two muons).

Simulations: Run 3 acoplanarity cut



- Still many events available after acoplanarity cut.

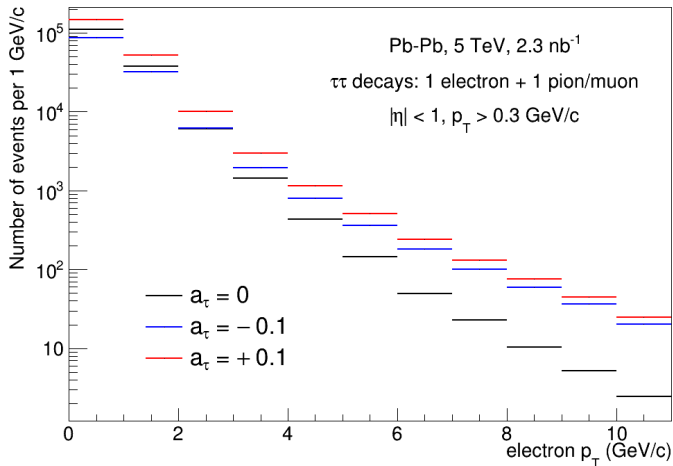
Simulations: Run 3 a_τ and cross section ratio p_T dependency



- Parabolic shape of ratio of electron p_T -differential cross sections in the vicinity of $a_\tau = 0$.
- Up to 15% variations of the yields within the range restricted by DELPHI limits.

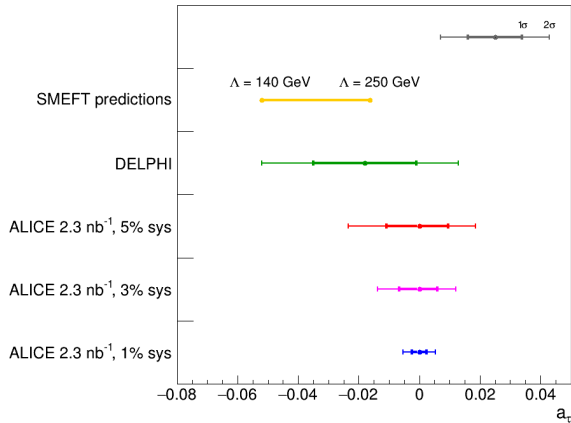
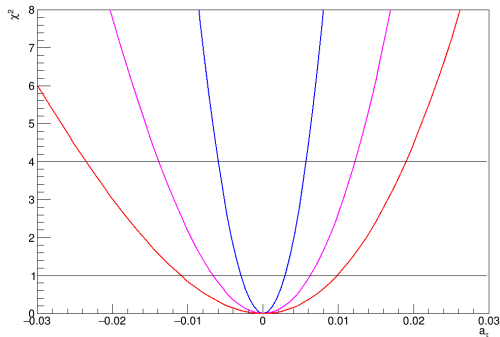
Simulations: Run 3 differential p_T -spectrum

- We can also try to perform p_T -differential measurement.
- A lot of low- p_T events, where ALICE has a good sensitivity.
- Positive a_τ cross sections above Standard Model.
- Negative a_τ p_T -differential cross section distribution steeper than Standard Model.



Simulations: Run 3 a_τ limits from p_T -differential measurement

- Combining the cross section ratios of different p_T intervals.
- Using χ^2 sum of 10 p_T intervals.
- Uncorrelated systematics.
- Limits improvement looks feasible.



Summary

- Determination of anomalous magnetic moment is a powerful check of Standard Model.
- Heavy weight of tau-lepton provides the best sensitivity.
- LHC beams together with the ALICE detector with good low-momentum resolution provides us a unique opportunity for a competitive measurement.
- Pb–Pb collisions in upcoming Run 3 will deliver enough luminosity to try to improve the current experimental limits $2\text{--}8\times$.
- There is still some work to do before 2022 data-taking:
 - Fine-tune our simulations to have a great control on possible systematic effects.
 - Understanding the background in detail.
 - Identifying the best selection criteria.
- Other news:
 - Austrian representative in ALICE computing resource board.

Time for your questions, please



back up