

10 years of pedestrian research on FNSPE

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SMPS



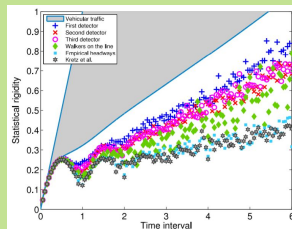
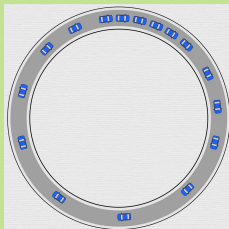
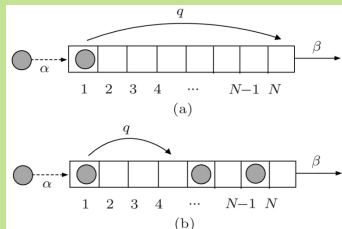
Katedra matematiky FJFI ČVUT v Praze

Program

- 1 Cellular model
- 2 Experiments
- 3 Trains
- 4 Complex geometry
- 5 Summary

State of the art at 2010

- eigenvalue distance analysis [M. Krbálek]
- analytic solution of TASEP [P. Hrabák]
- vehicular dynamic models on circle [K. Kittanová]



1 Cellular model

2 Experiments

3 Trains

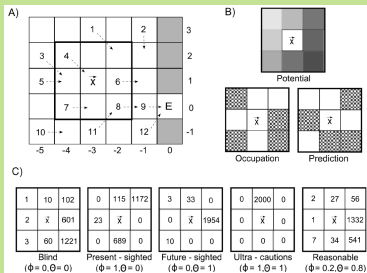
4 Complex geometry

5 Summary

Initial model

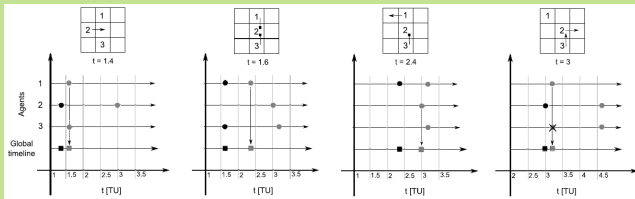
- discrete space (square lattice)
- adaptive time span
- concept of heterogeneous agents
- probability driven jump to neighboring cell
- conflict solution system using bonds

Jump probability

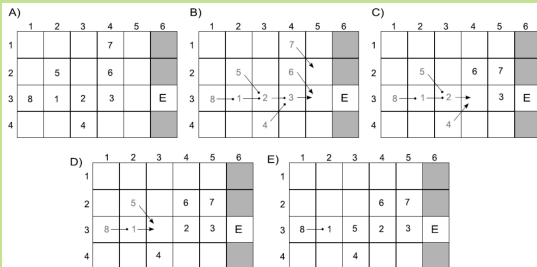


Initial model

Adaptive time span



Conflict solution



1 Cellular model

2 Experiments

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4 Complex geometry

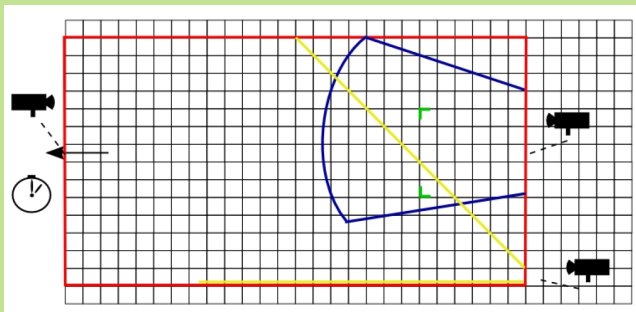
5 Summary

Origins

Motivation

- .. to get data for calibration
- .. to evaluate fundamental quantities
- .. to learn how to organize experiment

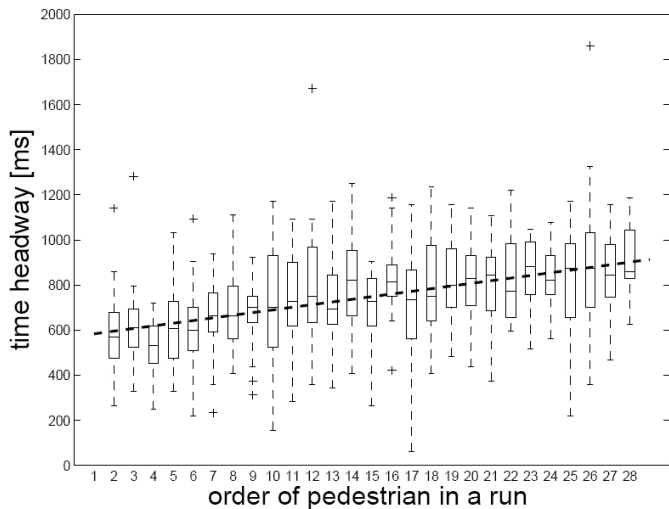
E1



Shots



Results



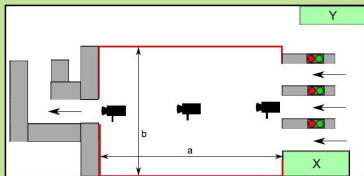
Artificial room



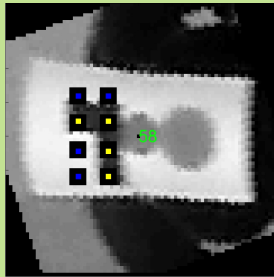
Pedestrian labeling + roof monitoring system



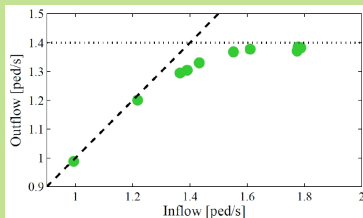
Improved room



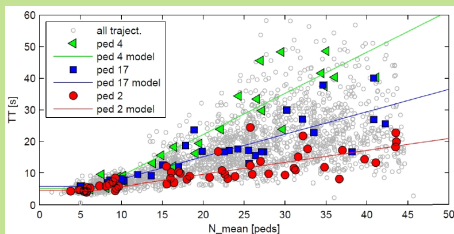
Improved detection



Phase transition

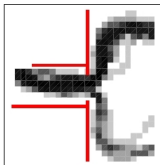
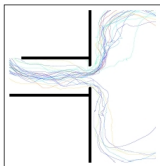


Heterogeneity in velocity and aggressiveness

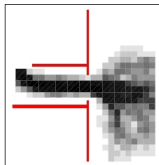
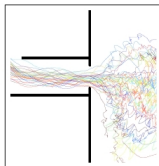


Spatial distribution

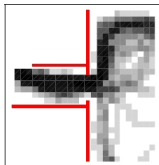
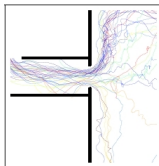
fast in crowd
 $\bar{N} \in [25, 35]$
 $TT < 10 s$



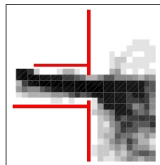
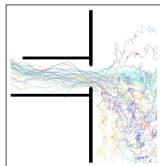
slow in crowd
 $\bar{N} \in [25, 35]$
 $TT \geq 35 s$



fast in crowd
 $\bar{N} \in [35, 50]$
 $TT < 15 s$

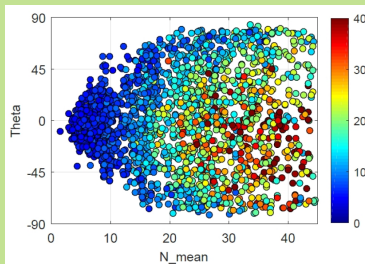


slow in crowd
 $\bar{N} \in [35, 50]$
 $TT \geq 35 s$

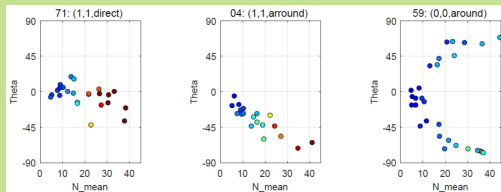


Observations

Pedestrian strategies – global



Pedestrian strategies – individual

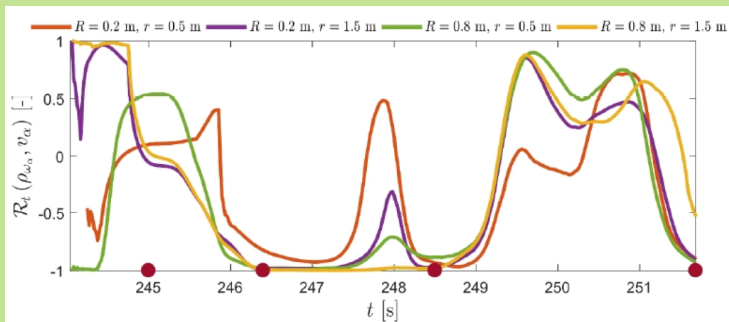


Observations

Local Behavior

- why trajectories look like that?

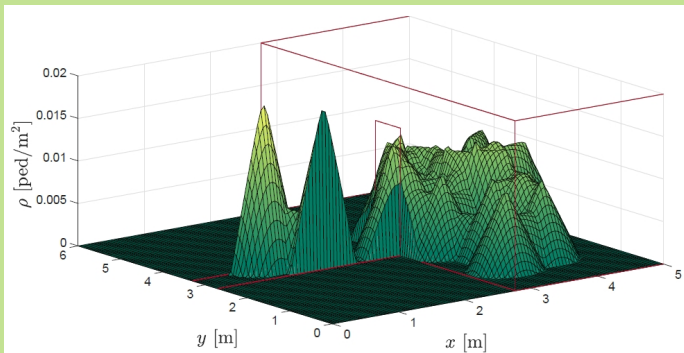
Velocity-density paradigm



Density definition

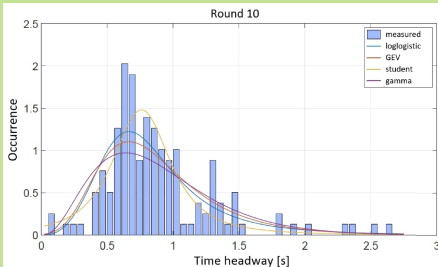
Pedestrian distribution

$$\rho_B = \frac{N}{|B|} = \frac{\int_B \rho(\vec{x}) d\vec{x}}{|B|} = \frac{\int_B \sum_{\alpha=1}^N \rho_{\alpha}(\vec{x}) d\vec{x}}{|B|} = \sum_{\alpha=1}^N \frac{\int_B \rho_{\alpha}(\vec{x}) d\vec{x}}{|B|}$$

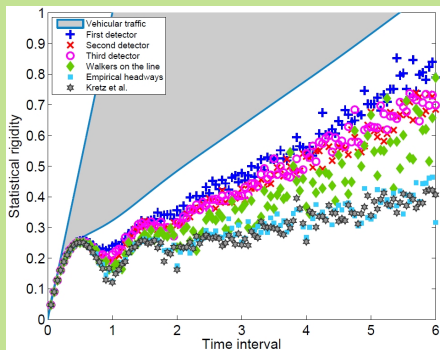


Time headway analysis

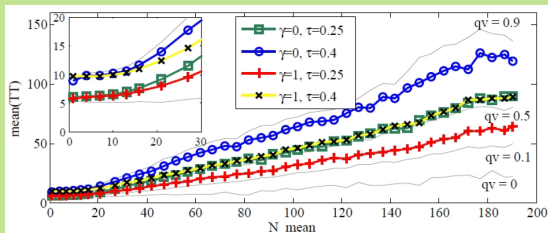
headway fit



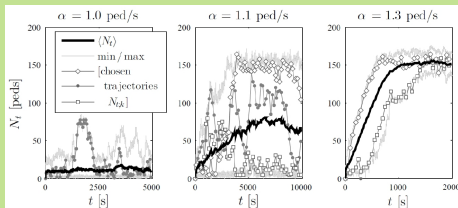
Contribution to analytic study



Heterogeneity



Phase transition



1 Cellular model

2 Experiments

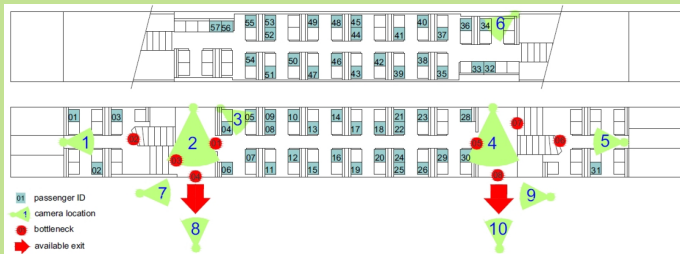
3 Trains

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Experiment description

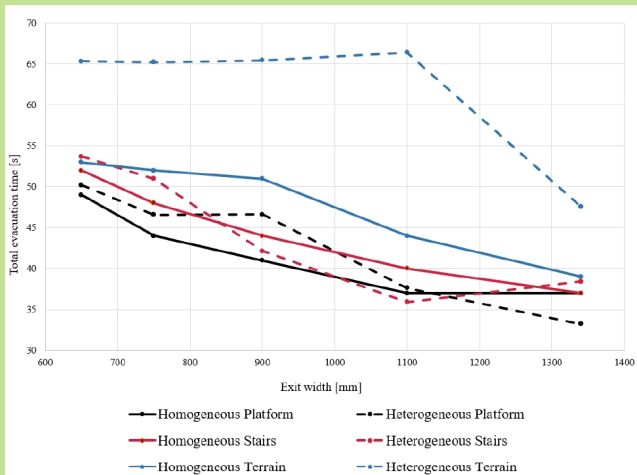
motivation



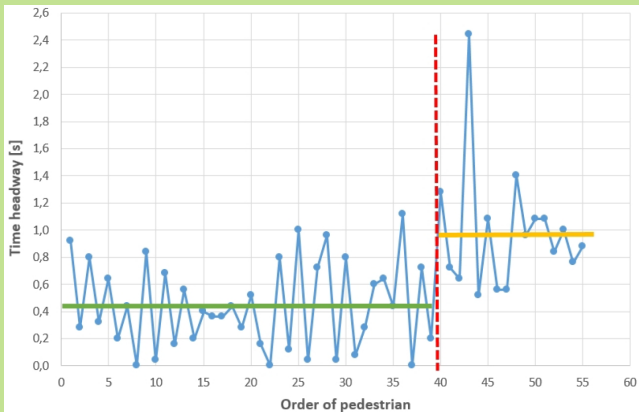
Visualization



Effect of parameters



Headway analysis



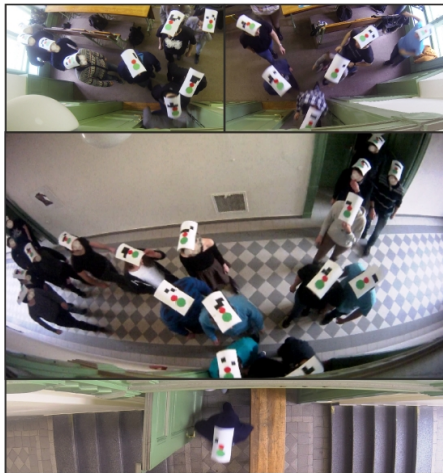
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Experiment E5/6

Geometry, monitoring

- Peter - wifi monitoring
 - Jakub - kinect monitoring
 - GAMS - cameras
- ⇒ passing time data only

Illustration



Hand calculations

The flow estimation is based on building a mass transport Markov process on the considered network. The state of each node is characterized by the actual number of pedestrians in the corresponding room $N_i(t)$. The expected number of pedestrians in the room is given by:

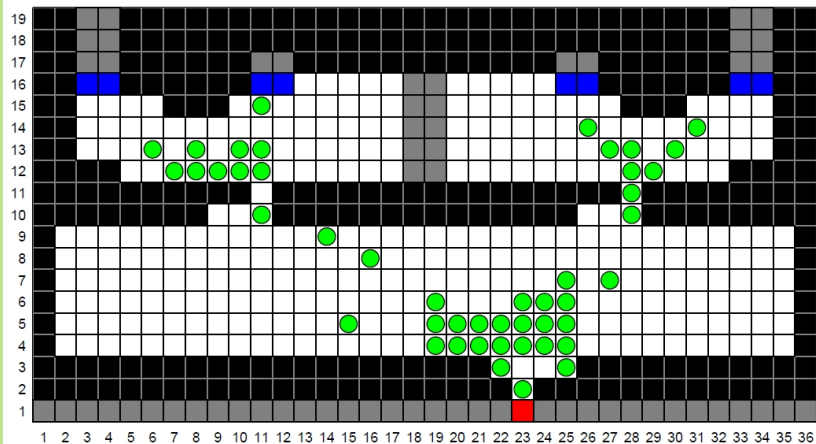
$$N(t) = N(t-1) + (J^{\text{in}}(t-1) - J^{\text{out}}(t-1)), \text{ where } J^{\text{out}}(t) = J^{\text{out}}(N(t)).$$

Furthermore, the cumulative inflow to the cluster in front of the bottleneck is given by

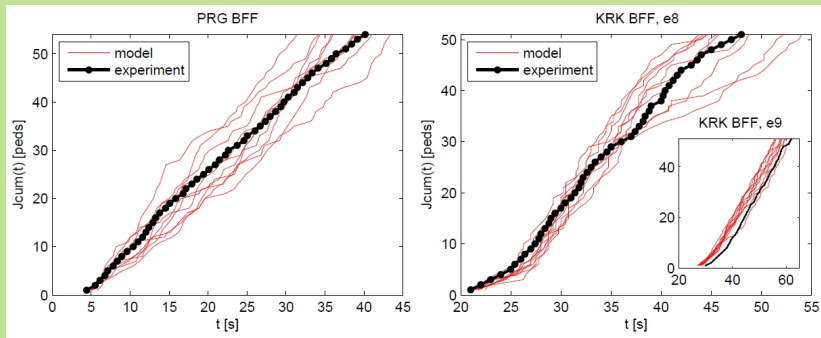
$$J_{\text{parent}}^{\text{in}}(t) = \sum_{\text{children}} J_{\text{child}}^{\text{out}}(t - TT_{\text{child}}),$$

Experiment E5/6

Model approach



Results



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