



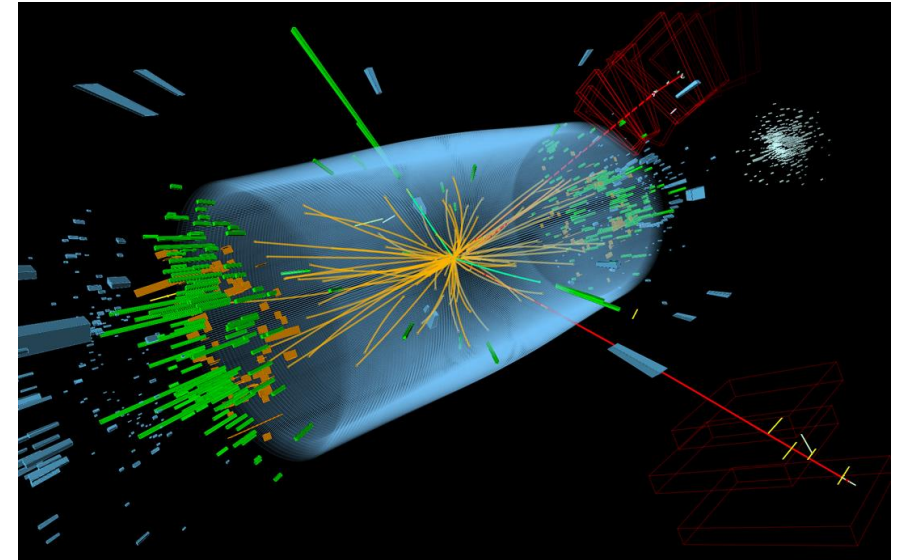
Ensemble Model for Detector Simulations

Stochastic and Physical Monitoring Systems

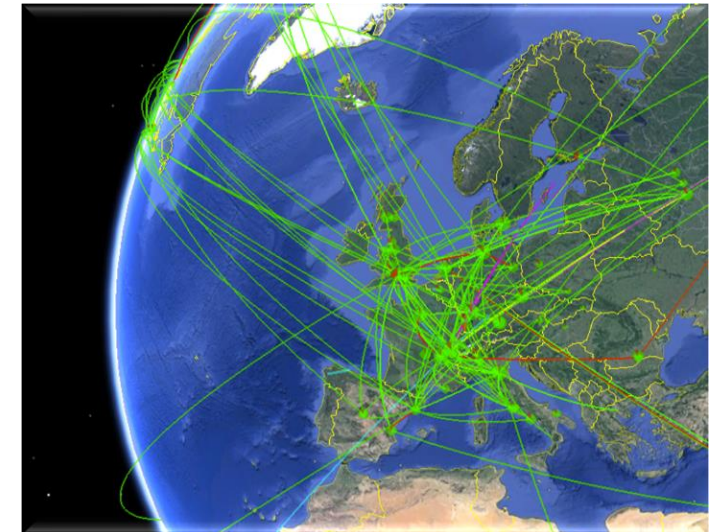
Rumburk 2022

Kristina Jaruskova (CERN, Czech Technical University)

Detector Simulations

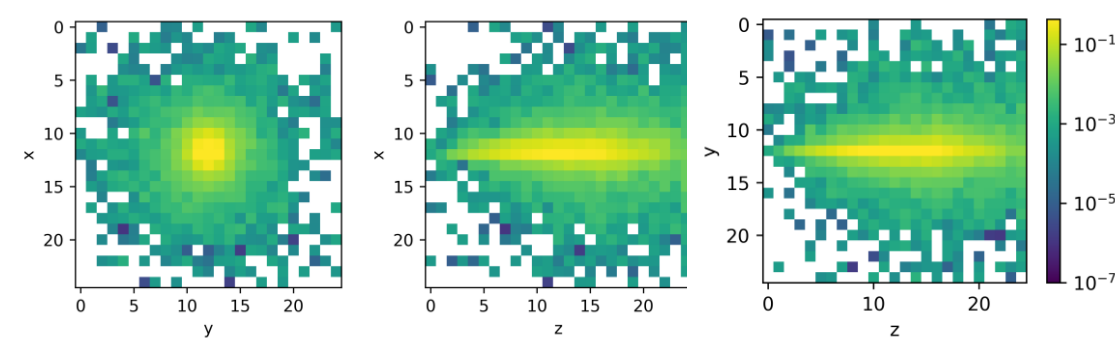
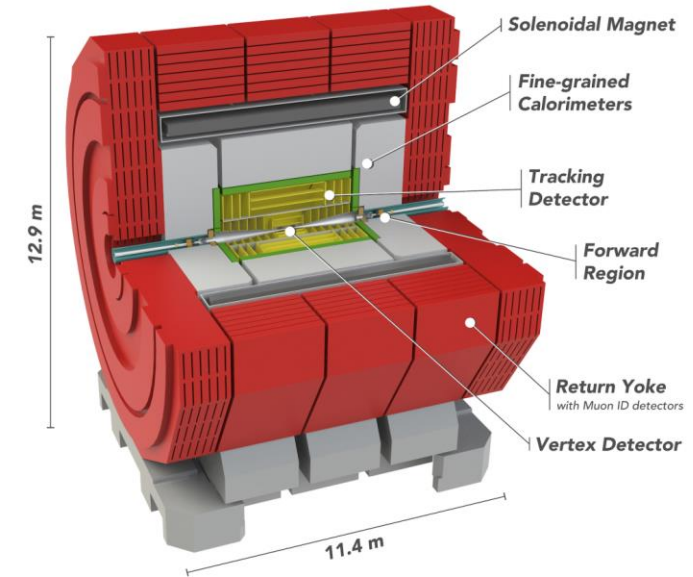


- Detector simulations - Monte Carlo-based tools (**GEANT4**)
 - Representation of the theory
 - Algorithm tuning
 - Standard tool – Monte-Carlo based algorithms
 - Currently: Geant4 simulation package
- **WLCG (Worldwide LHC Computing Grid)**
 - Global infrastructure of computing resources (data storage, analysis, ...)
 - 100 centers in more than 40 countries
- MC tools are computationally intensive
 - **50 %** of the WLCG resources used for simulations¹



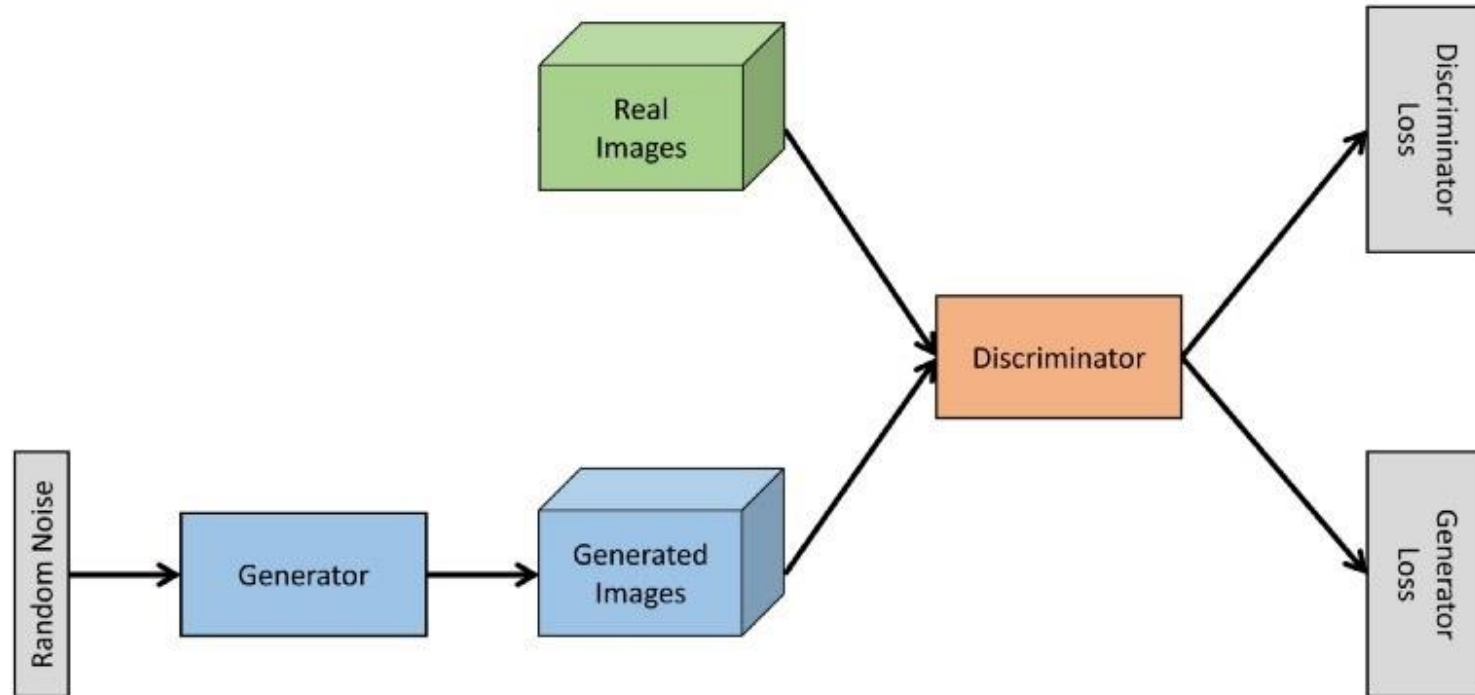
Detector Simulations

- High-Luminosity LHC (2027) - upgrade
 - Approx. **150x** more data¹ → MC simulations will be intractable
- Calorimeter simulations
 - Energy depositions of entering particles
 - Most time demanding step in simulation process
 - ATLAS – **70 %** simulation time spent on calorimeters²
 - Crucial to find faster alternatives → **generative deep learning**
 - Generative adversarial networks (GANs)
 - Variational autoencoders
 - Preliminary results – up to 10^6 x speedup¹
 - Not accurate enough yet
 - CERN openlab – models for CLIC ECAL simulations
 - Compact Linear Collider (CLIC)
 - Image size: 25x25x25 cells → interpreted as a 3D grayscale image



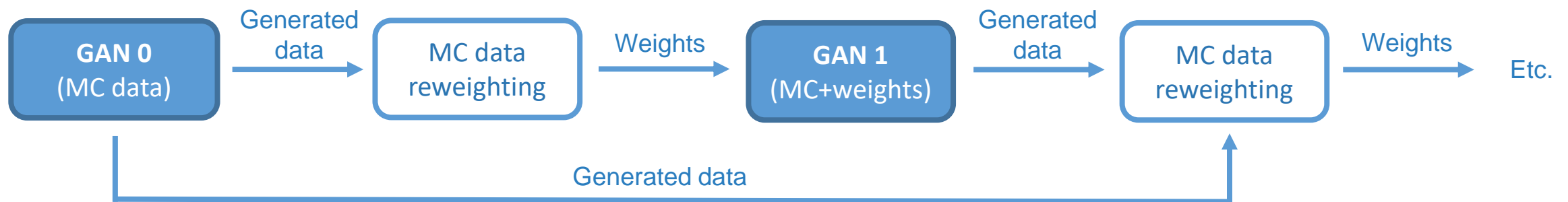
GAN

Generative Adversarial Network



GAN ensemble

- Ensemble techniques in ML/DL
 - Combining predictions from multiple models – reduce variance and generalization error
 - Improvement in different tasks – classification, regression
- **AdaGAN³**
 - Ensemble of multiple GANs (generator-discriminator pairs) trained sequentially
 - MC training data – reweighted before training the next GAN
 - Addressing the issue of **missing modes** – **next GAN focuses on weak spots of the previous ones**
 - Poorly reproduced training samples – high weight
 - Well reproduced training samples – low weight

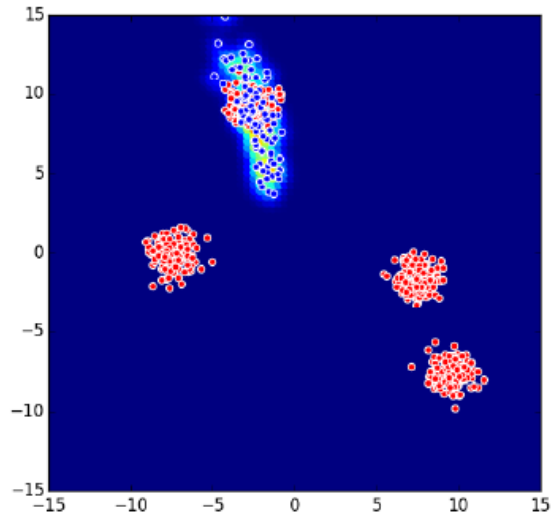


- **Toy example:**
mixture of Gauss clusters

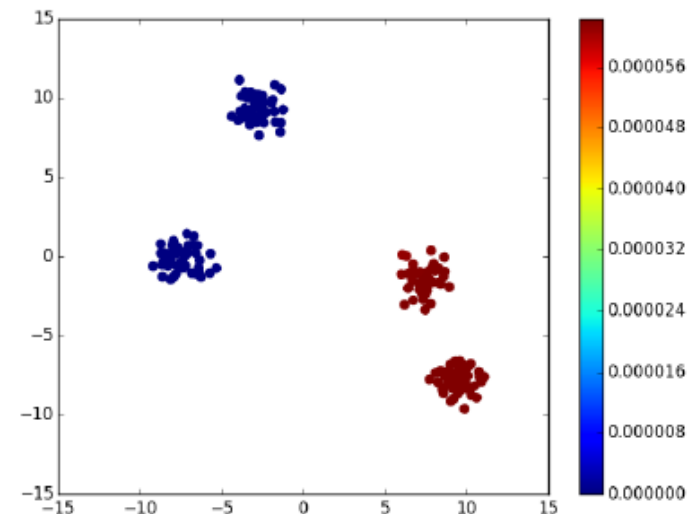
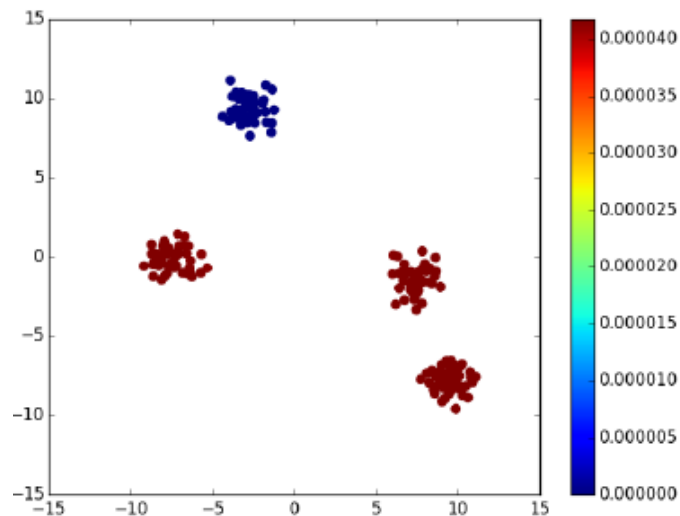
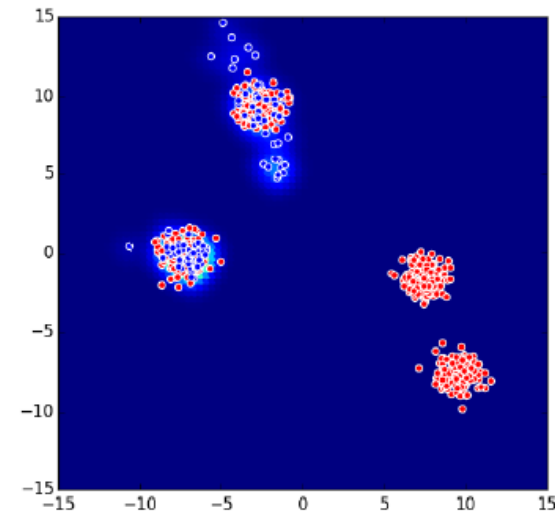
(red) training data
(blue) generated samples

Weights assigned to
training data

One GAN



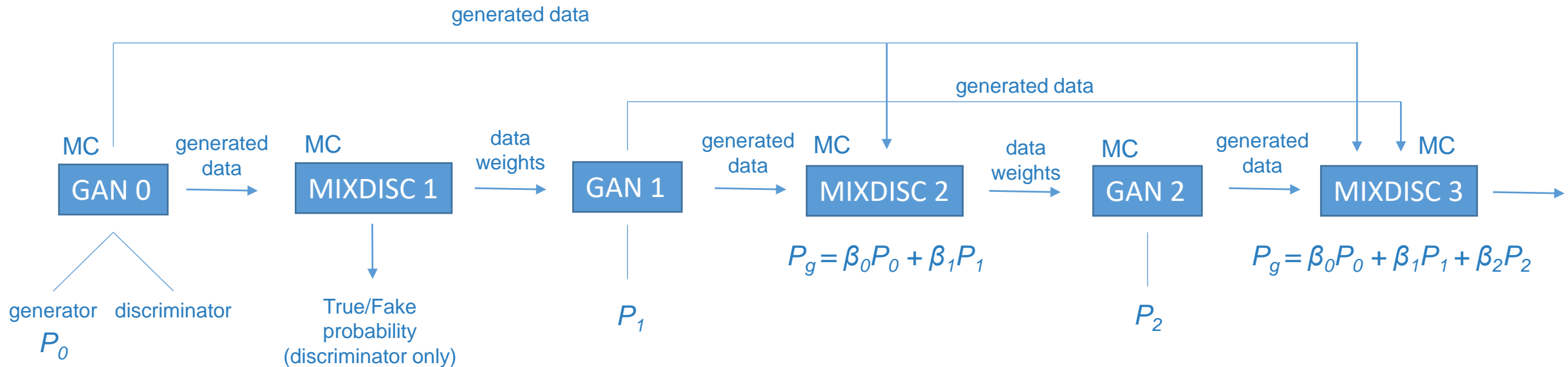
Two GANs



Ensemble training details

- MC = Monte Carlo training data
- GAN 0: trained on MC training data
- MIXDISC: trained on MC data and data from GAN 0 (1 : 1 ratio)
- GAN 1: trained on weighted MC data (weights from MIXDISC 1)
- MIXDISC 2: trained on MC data (no weights) and data from GAN 0 + GAN 1 (MC : generated = 1 : 1)
- GAN 2: trained on weighted MC data (weights from MIXDISC 2)

etc.



Data weights

- Main idea: minimize Jensen-Shannon divergence between data distribution P_d and the ensemble distribution P_g with the next GAN distribution Q

$$\min_{Q \in \mathcal{P}} D_{JS}((1 - \beta)P_g + \beta Q \parallel P_d)$$

- In practice: any improvement on the J-S div. is enough
- Formula:

$$w_i = \frac{p_i}{\beta} \left(\lambda^* - (1 - \beta) \frac{1 - D(X_i)}{D(X_i)} \right)_+$$

$p_i = 1/N$... empirical distribution of the training data
 λ^* ... normalization factor

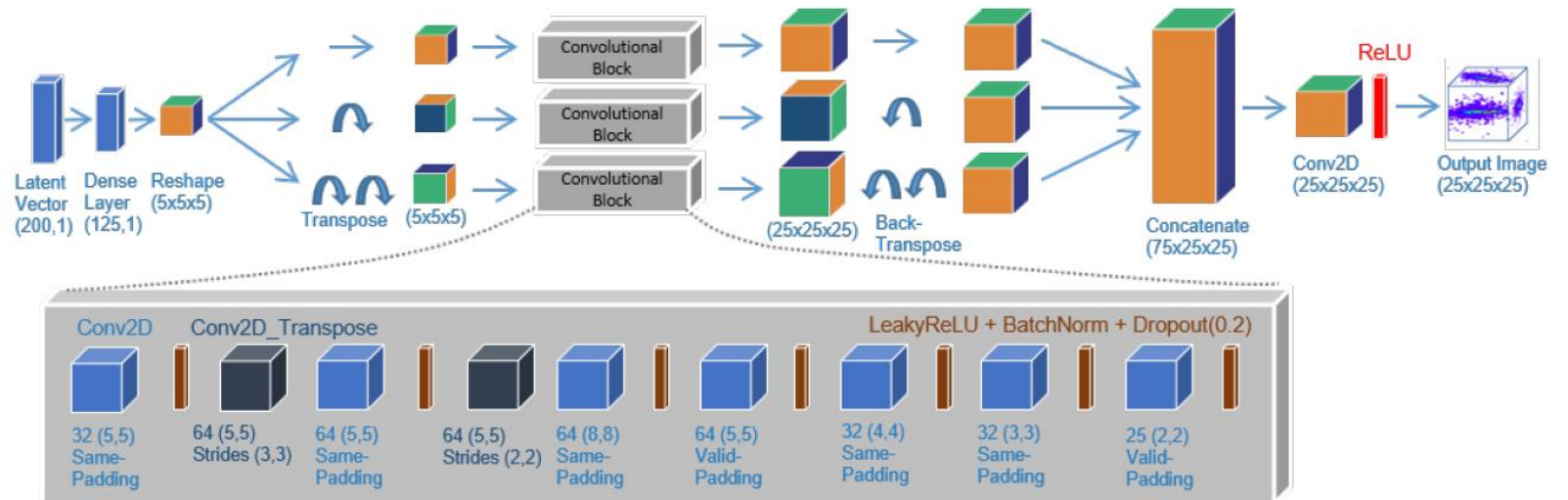
- If $D(X_i) \sim 1$ → MIXDISC is certain it is training sample → high weight
- If $D(X_i) \sim 0,5$ → MIXDISC is confused → well represented in generated dataset → low weight

Conv2D GAN as an ensemble

- Conv2D GAN⁴ as a baseline model
 - Uses 2D convolutions only
 - Trained on 200 000 MC samples
- $T = 10$ GANs were trained with equal component weights β_j creating a mixture of distributions

$$P_g = \sum_{j=0}^{T-1} \frac{1}{T} P_j$$

- Conv2D generator architecture:

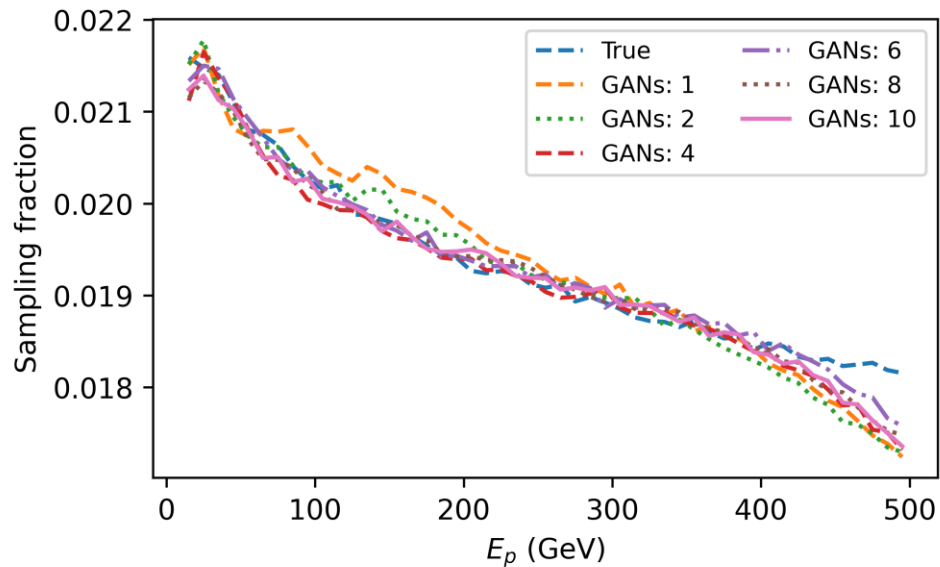


Sampling fraction

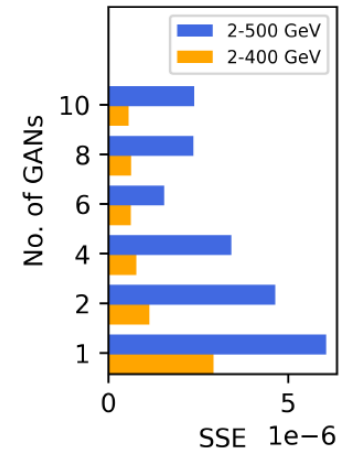
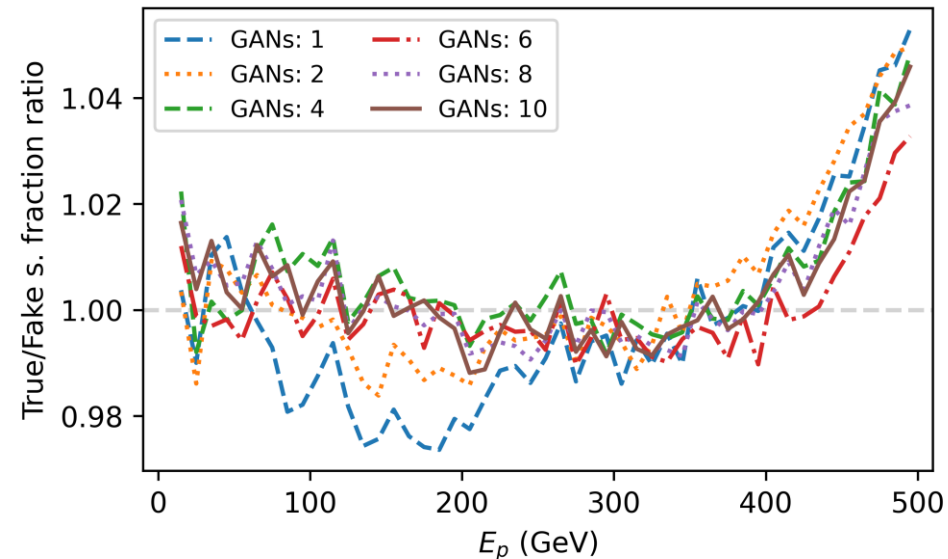
- Visible improvement in sampling fraction – ratio of the total deposited energy to the primary energy of a particle

Sampling fraction comparison

- Data split up into energy bins of 10 GeV

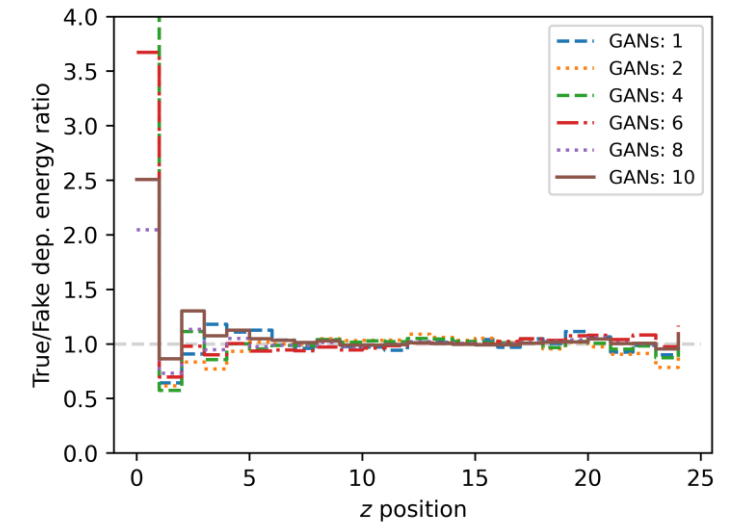
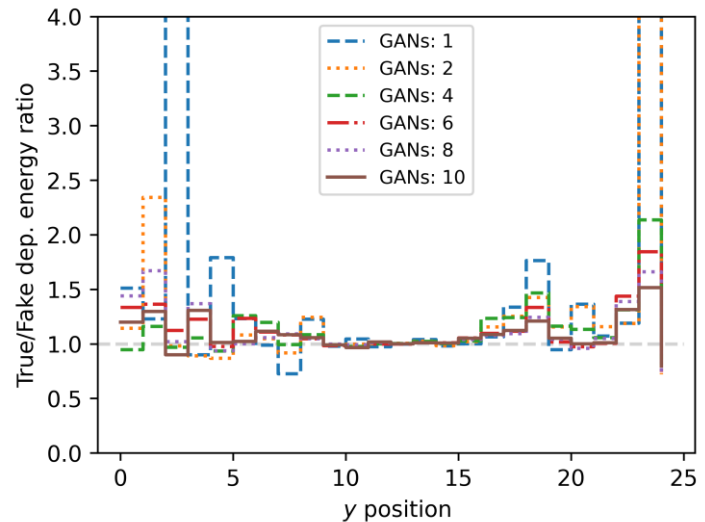
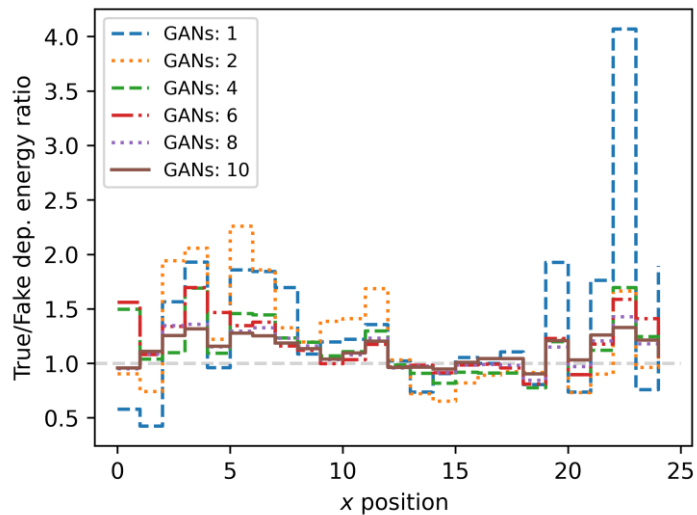
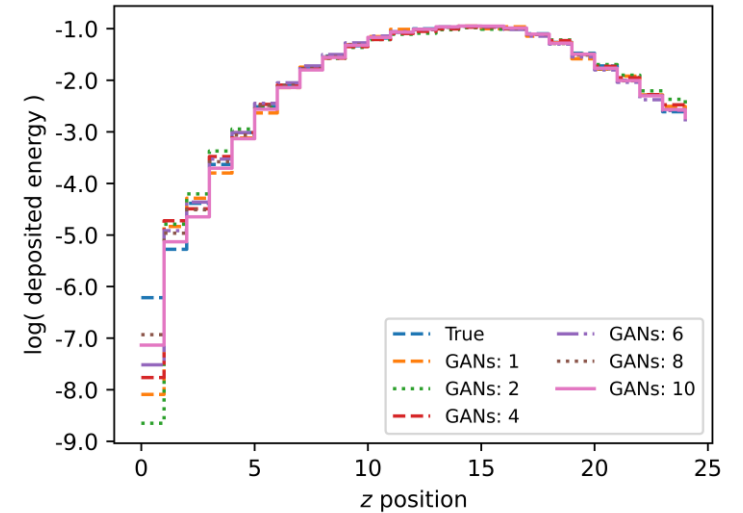
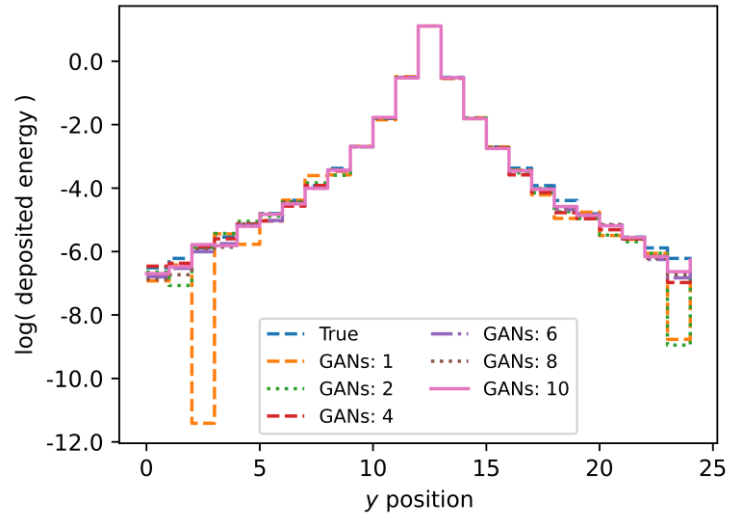
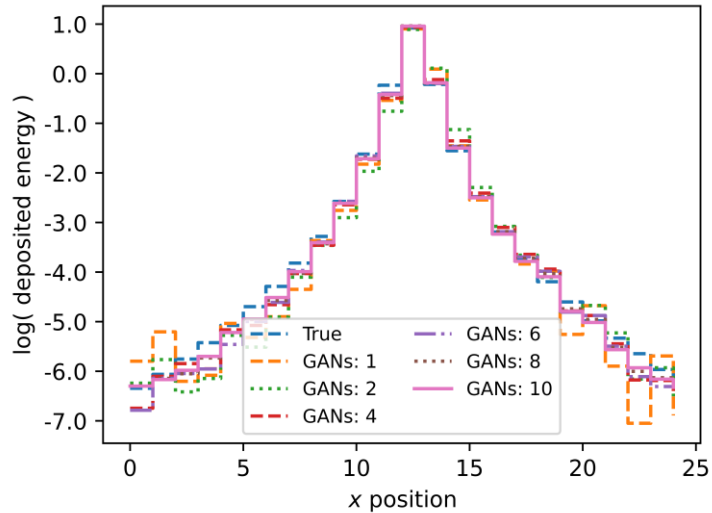


Ratio of the true samp. fraction to the samp. fraction of the generated data



Shower shapes

- Improvement in average shower shapes around the edges



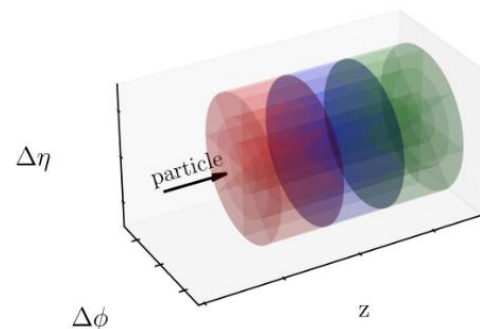


Thank you.

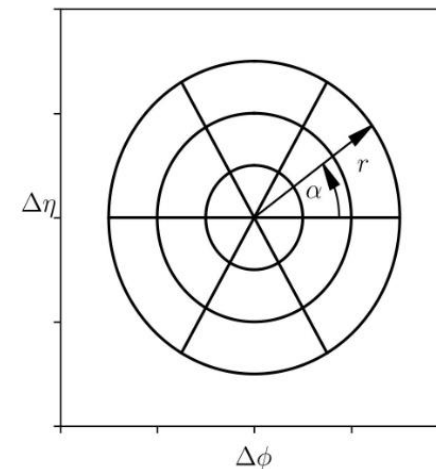
CaloChallenge 2022:

- Publicly open challenge from the Geant4 group
- <https://calochallenge.github.io/homepage/>

3d view



front view





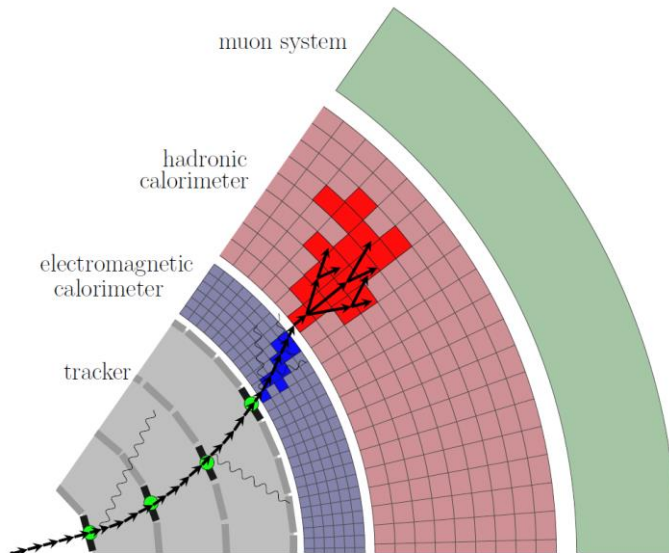
Backup slides.

Detector Simulations

- Currently in Geant4:

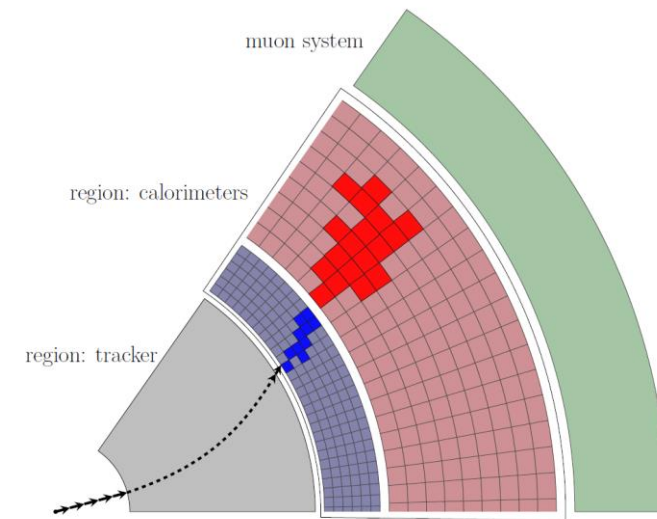
Full simulation

- Step-by-step
- Many variables (velocity, momentum, direction, angle etc.)
- Time consuming



Fast simulation

- Only the overall response
- Parametrizing, pre-simulated showers
- Approx. 10x - 1000x speedup



Generating samples from the ensemble

- Component weights: $\beta = (\beta_0, \beta_1, \beta_2, \dots, \beta_T)$
- Generator distributions: $P_0, P_1, P_2, \dots, P_T$
- Final distribution P_g : linear mixture of GAN distributions

