

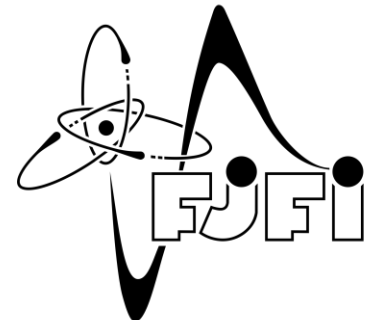
Flow of heavy flavor hadrons in small systems in Run 3

Alexian Lejeune¹

Supervision : Katarína Křížková Gajdošová¹, Jaroslav Bielčík¹

¹: Faculty of Nuclear Sciences and Physical Engineering, Czech Technical University in Prague

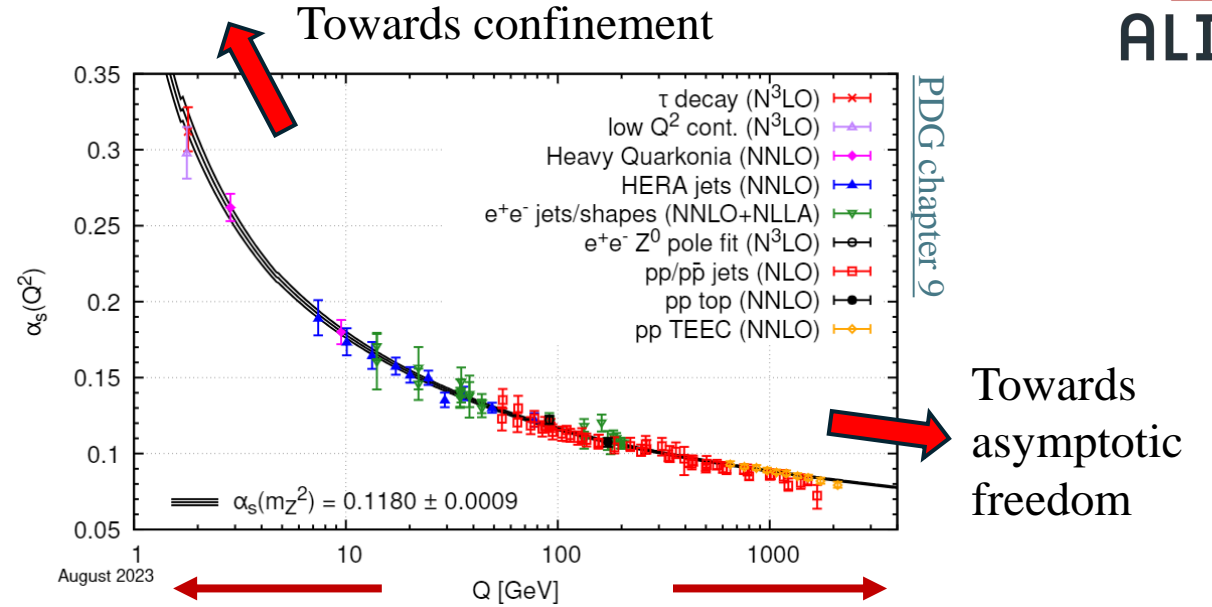
Děčín Workshop – 20th of September 2024



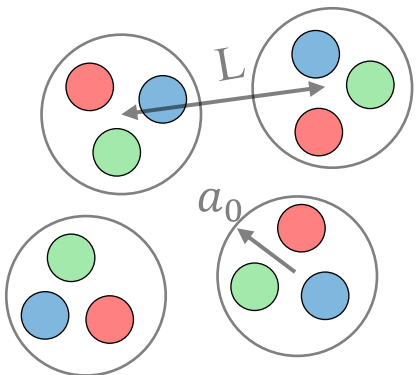
Introduction : the concept of quark gluon plasma

Key feature of Quantum Chromodynamics :
 → confinement !

$$V_{QCD} = -\frac{4 \alpha_s \hbar c}{3 r} + kr$$

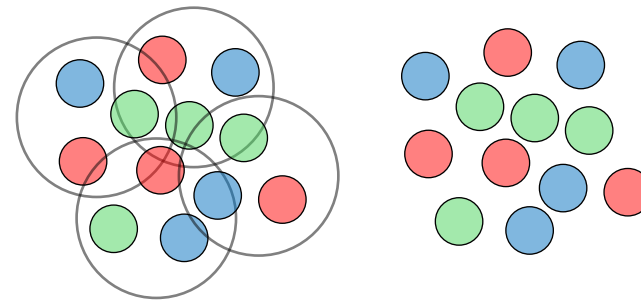


1. confinement



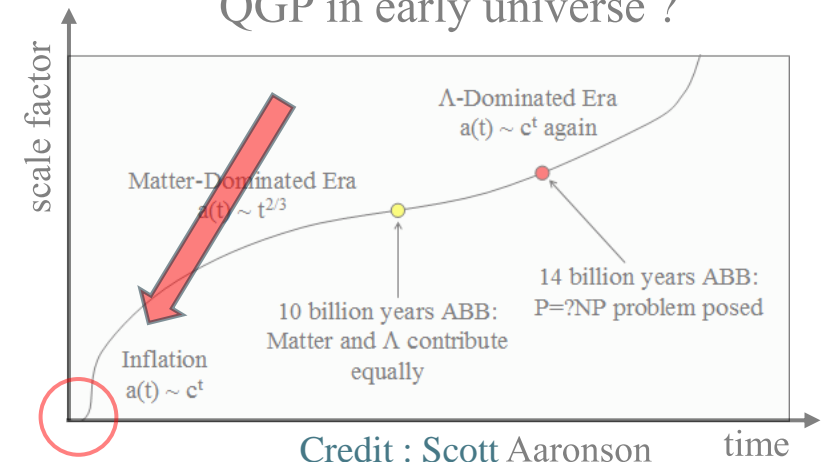
bring hadrons
 closer and closer

2. deconfinement



critical threshold : $L \sim a_0$

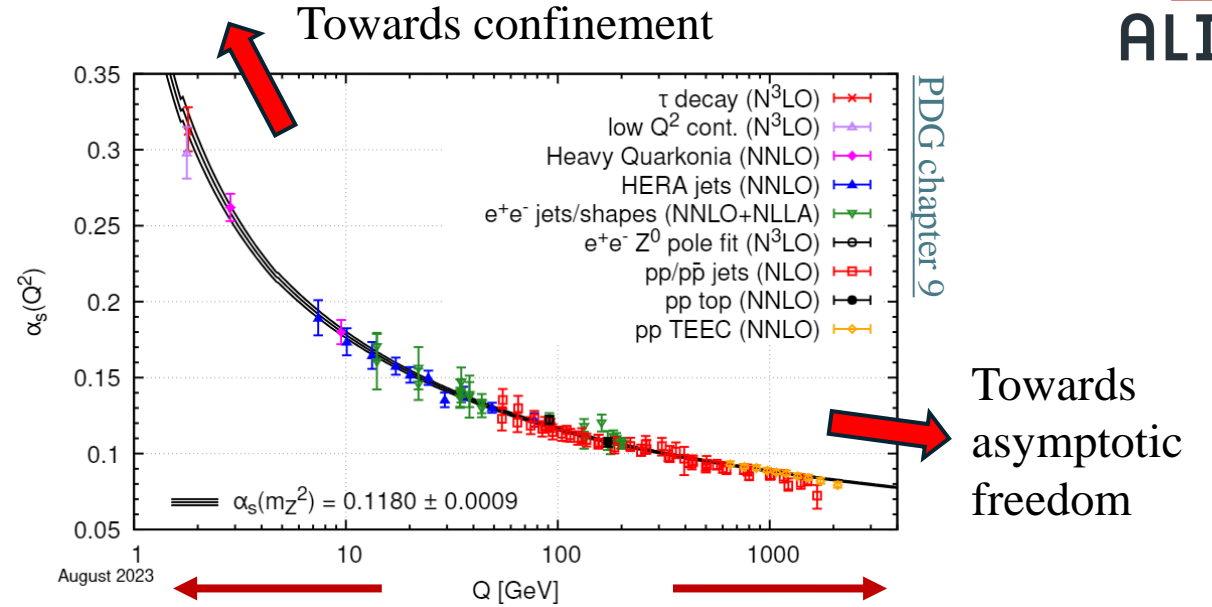
QGP in early universe ?



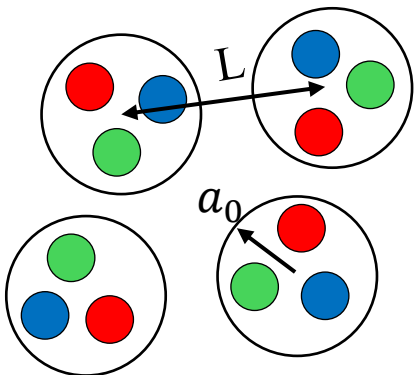
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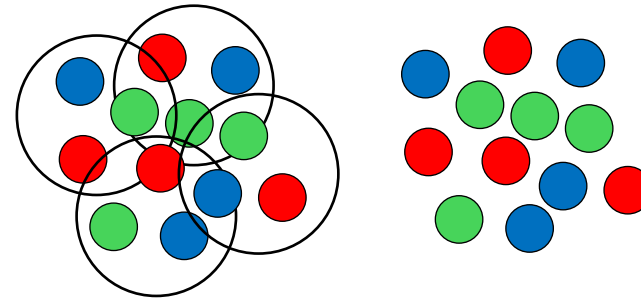


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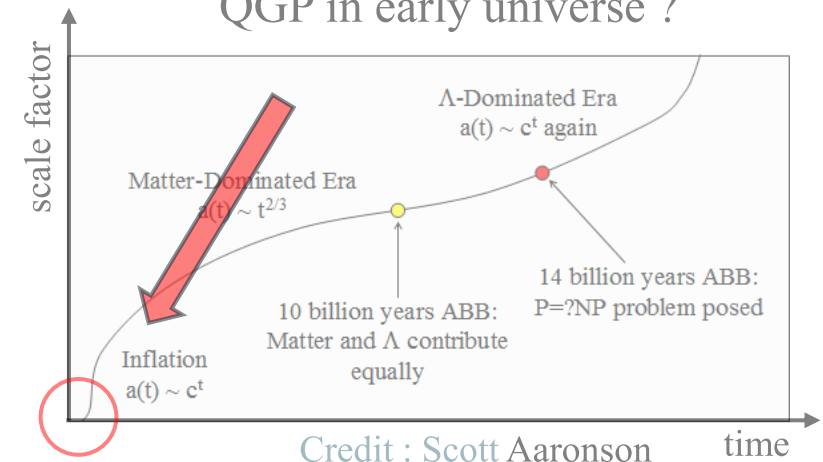
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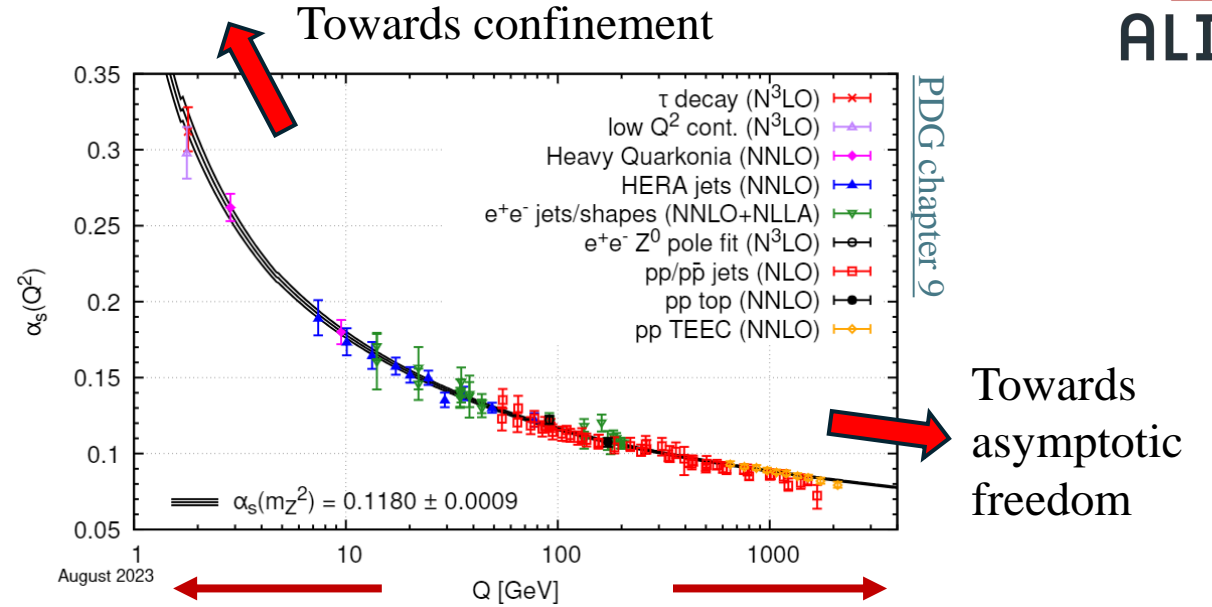
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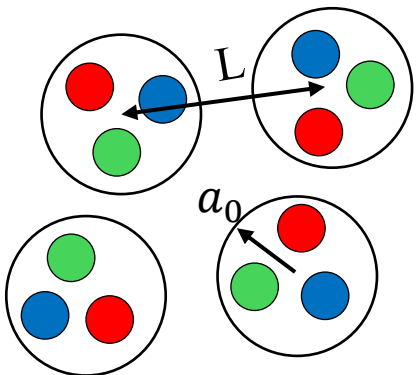
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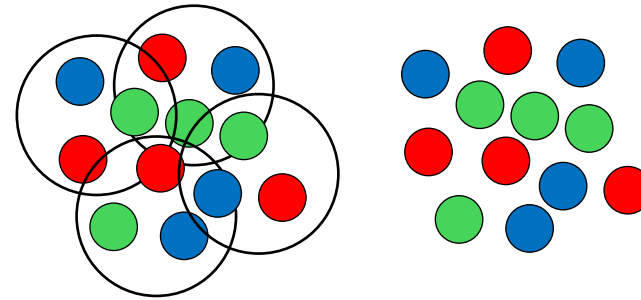


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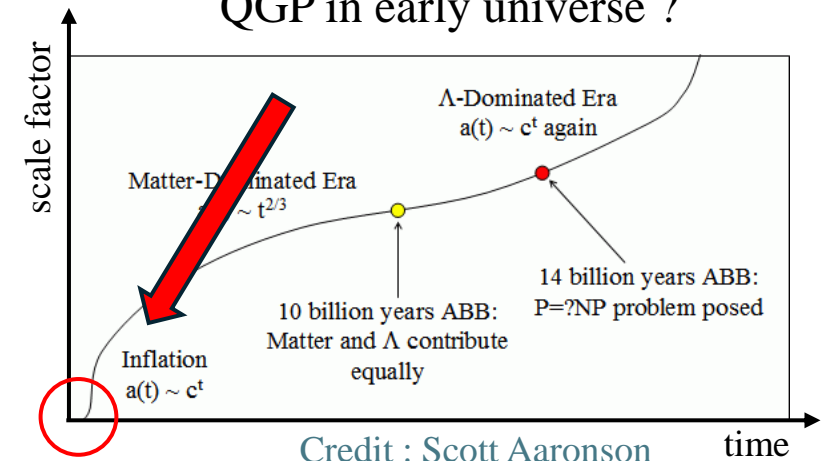
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Introduction : signatures of the quark gluon plasma



ALICE

Signatures : many !

Au+Au collisions at $\sqrt{s} = 130$ GeV (RHIC)

2001 : discovery of strong « elliptic » flow at STAR

2002 : discovery of jet quenching at PHENIX

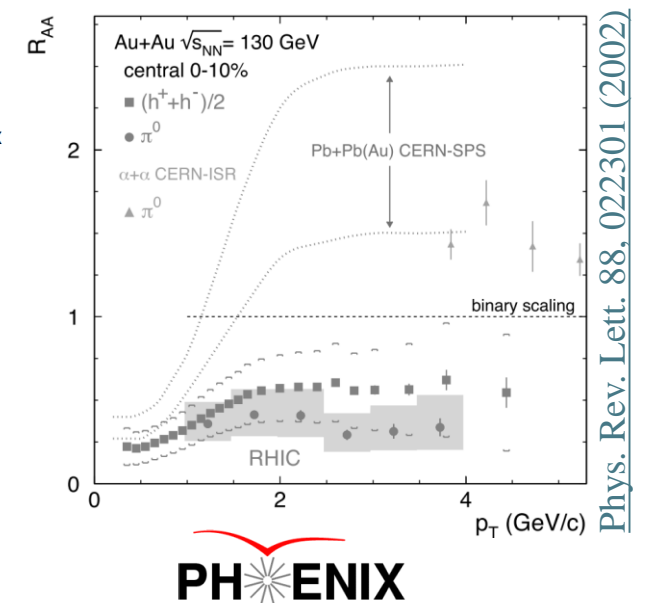
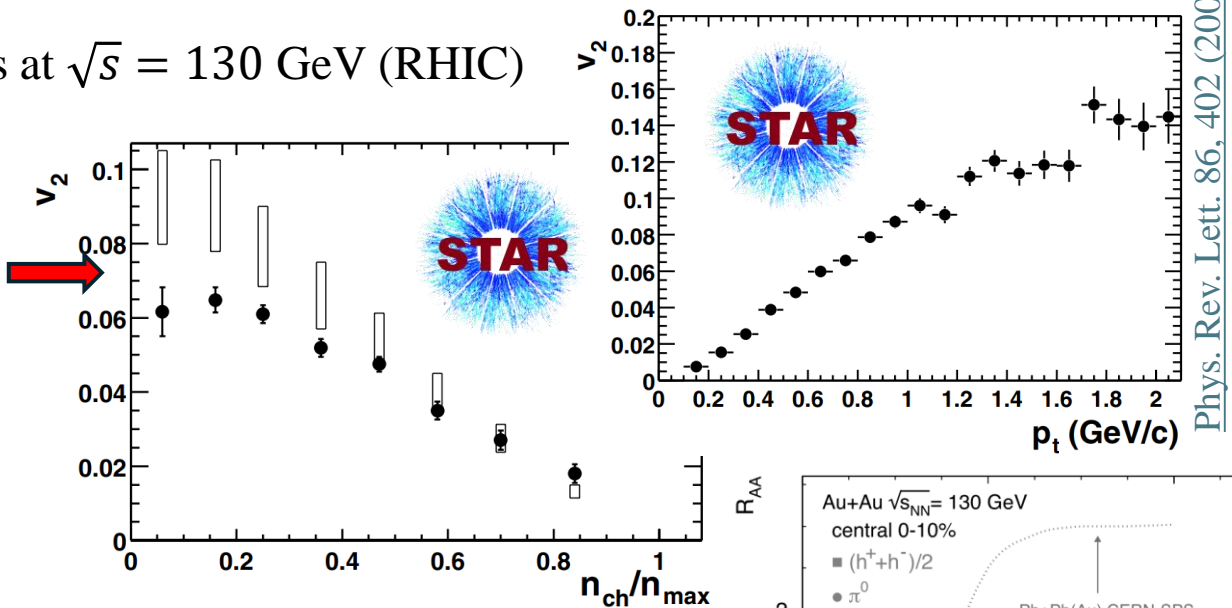
Many other signatures :

strangeness enhancement

quarkonia suppression

mass ordering

baryon-meson grouping



Summary of the discovery of QGP : [arxiv:nucl-ex/0501009](https://arxiv.org/abs/nucl-ex/0501009)

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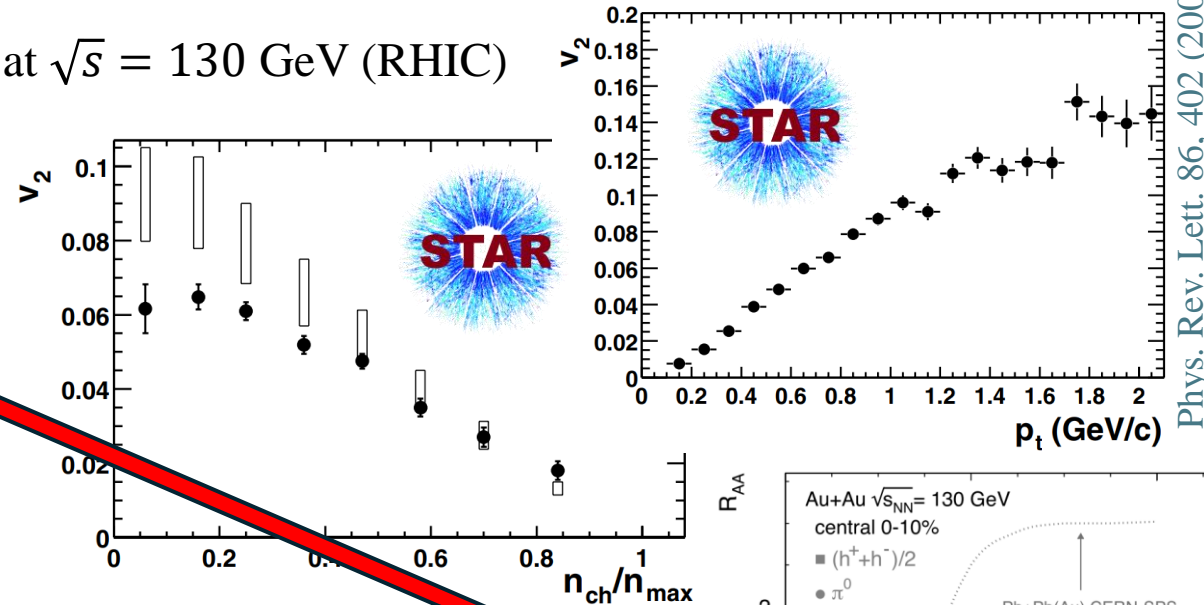
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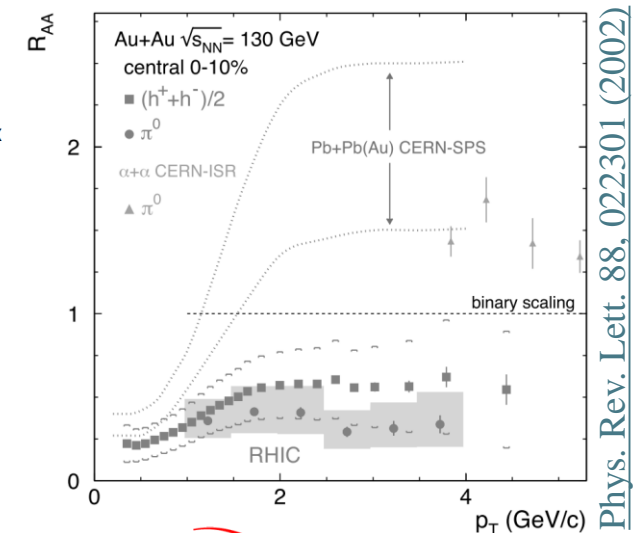


Phys. Rev. Lett. 86, 402 (2001)

$$R_{AA}(p_T) = \frac{(1/N_{evt}^{AA}) d^2 N_{ch}^{AA} / d\eta dp_T}{\langle N_{coll} \rangle (1/N_{evt}^{PP}) d^2 N_{ch}^{PP} / d\eta dp_T}$$



$1 \times (PbPb) \neq N \times (pp)$? (at same energy)



Phys. Rev. Lett. 88, 022301 (2002)

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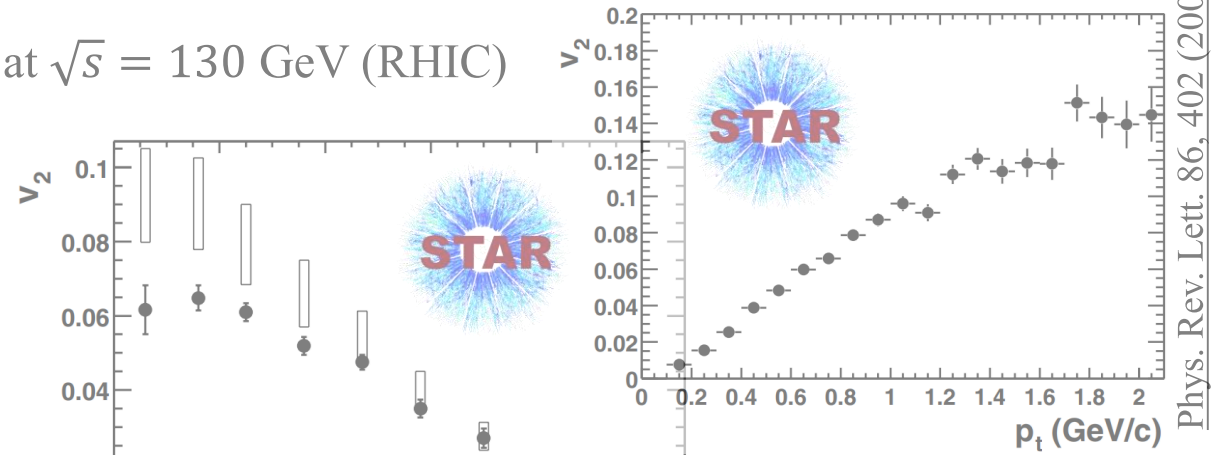
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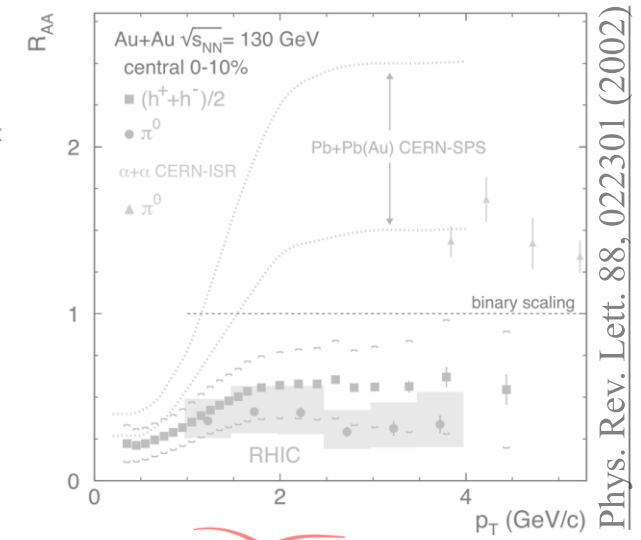
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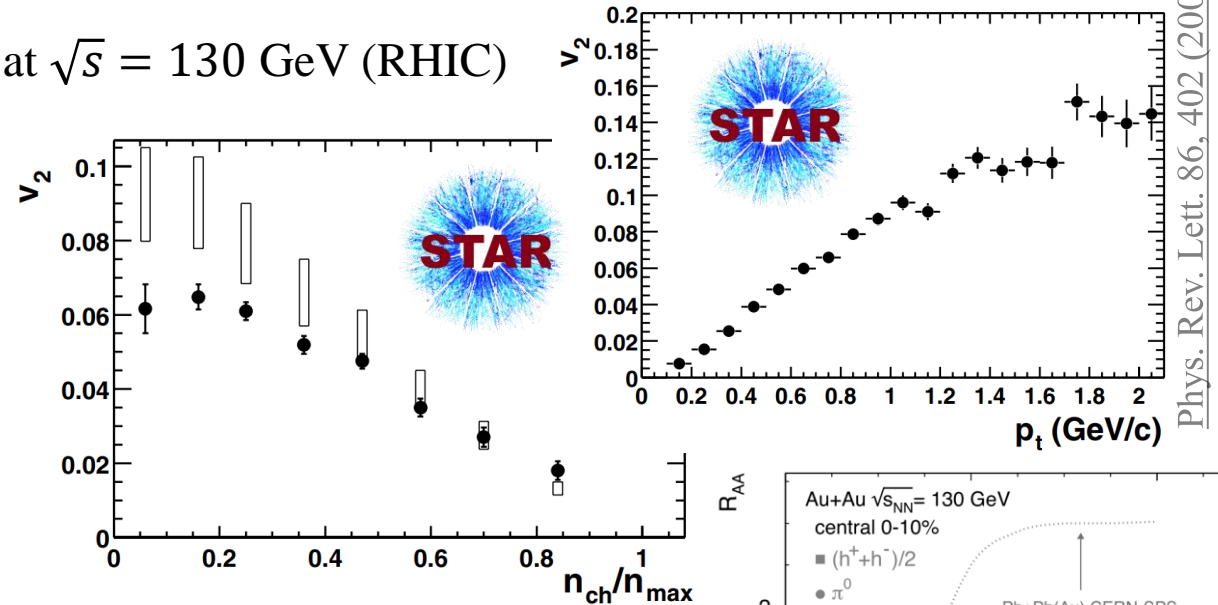
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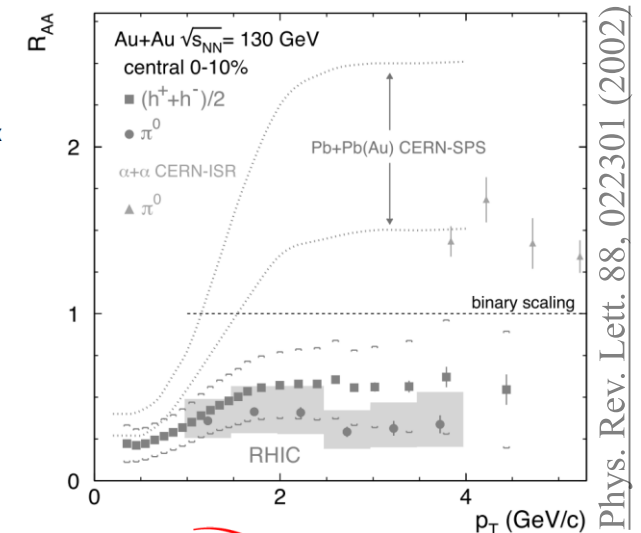
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Signatures used by SPS to try to claim QGP discovery in 2000 !

Evidence for a New State of Matter : An Assessment of the Results from the CERN Lead Beam Programme



Phys. Rev. Lett. 88, 022301 (2002)



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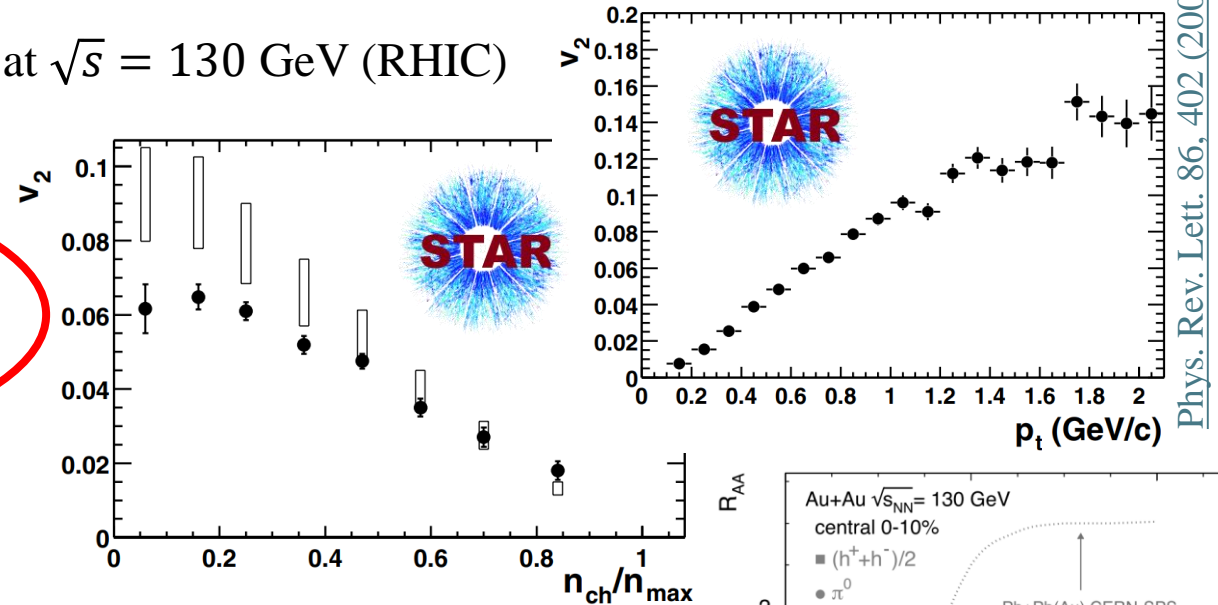
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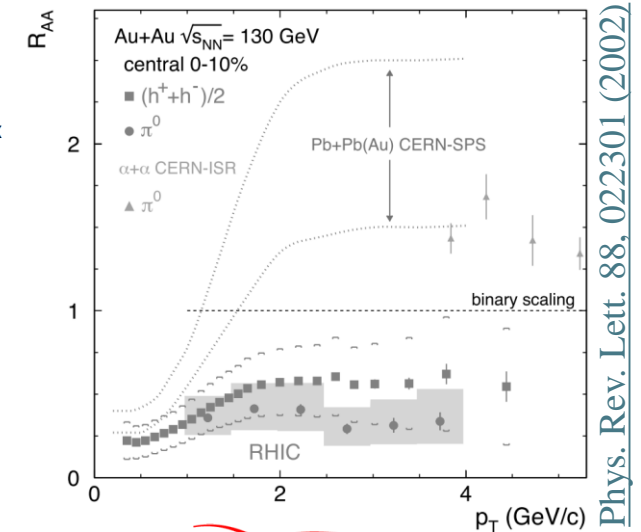
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**Main signatures used for the
discovery of the quark-gluon plasma
at RHIC**



Phys. Rev. Lett. 86, 402 (2001)



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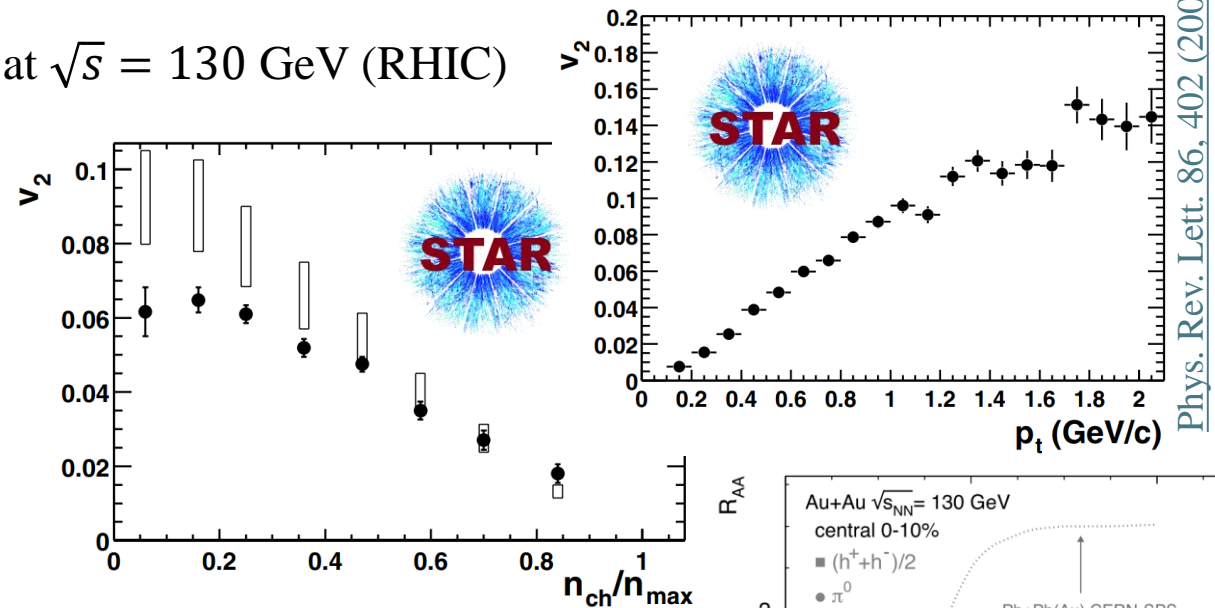
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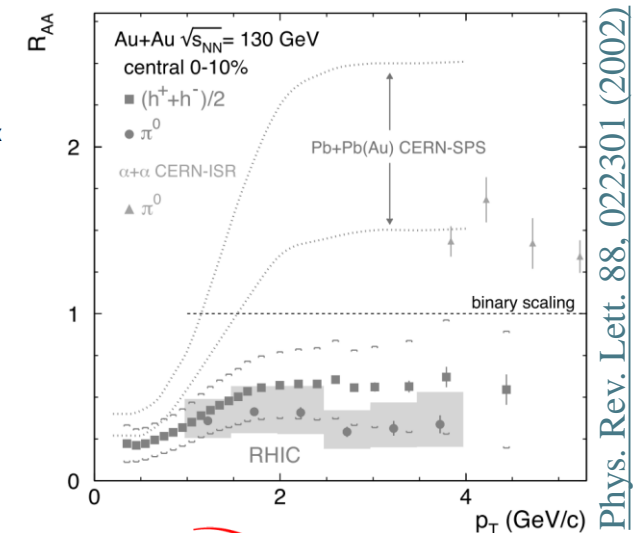
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Take home message : elliptic (anisotropic) flow is a key feature to study QGP properties and was used since the beginning as an exclusive signature of the QGP in heavy-ion collisions !



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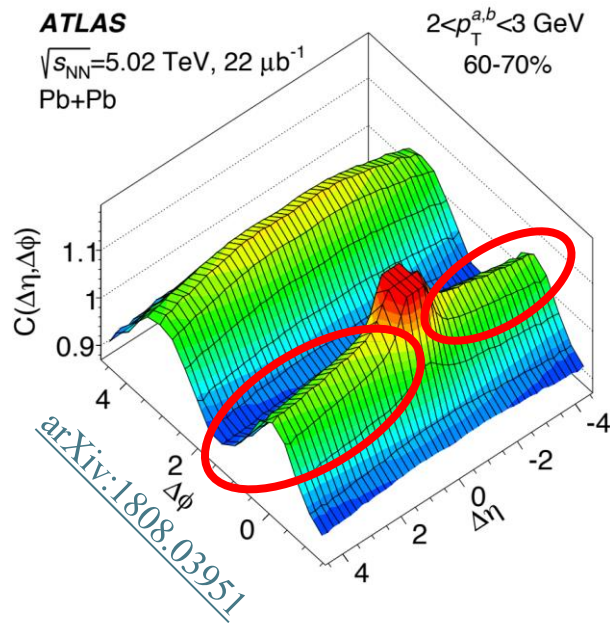
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Introduction : signatures? of the quark gluon plasma

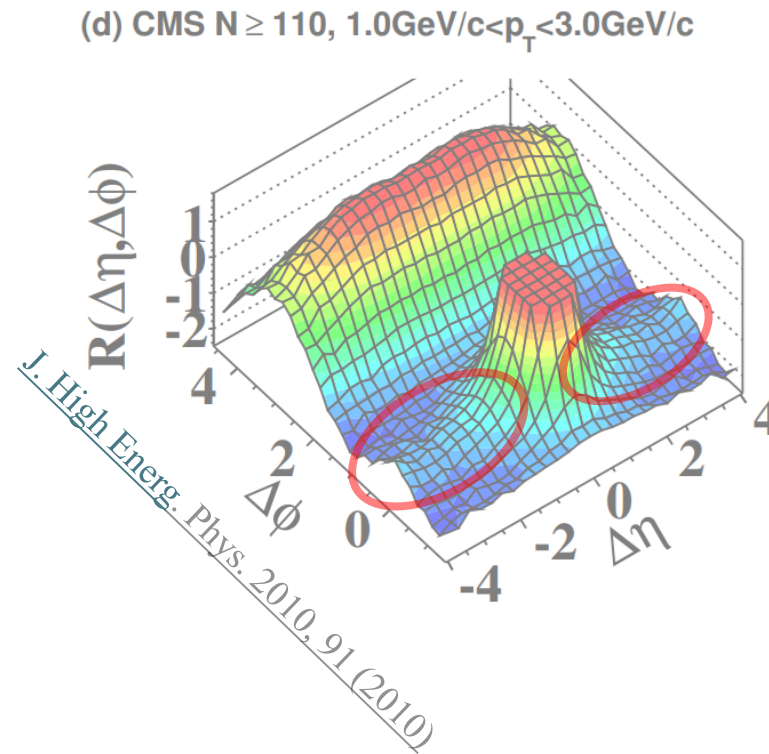


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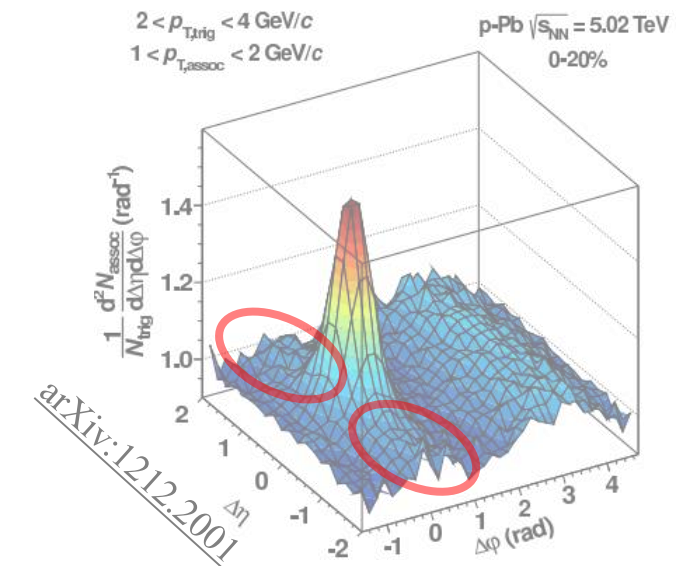
Near-side ridge in two-particle correlations was understood as a signature of QGP in heavy-ion collisions



Until CMS dropped a bomb in 2010 by observing a similar but less strong near-side ridge in pp collisions !



Which started the hunt of QGP « signatures » in smaller systems !
The ridge was also later observed in pPb collisions

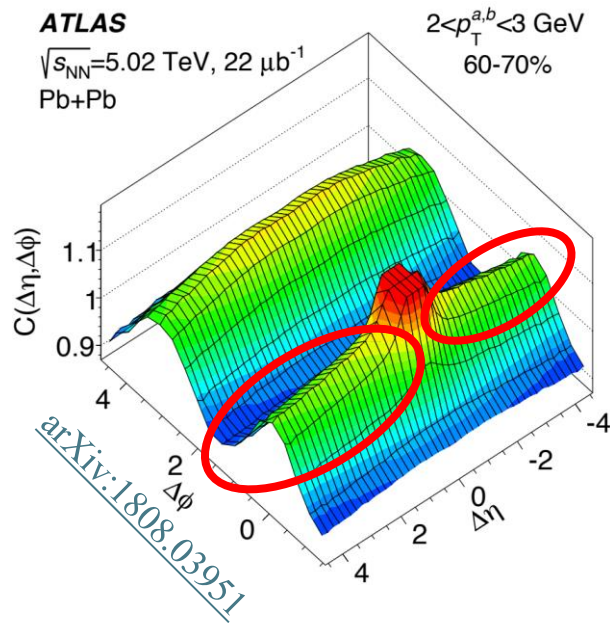


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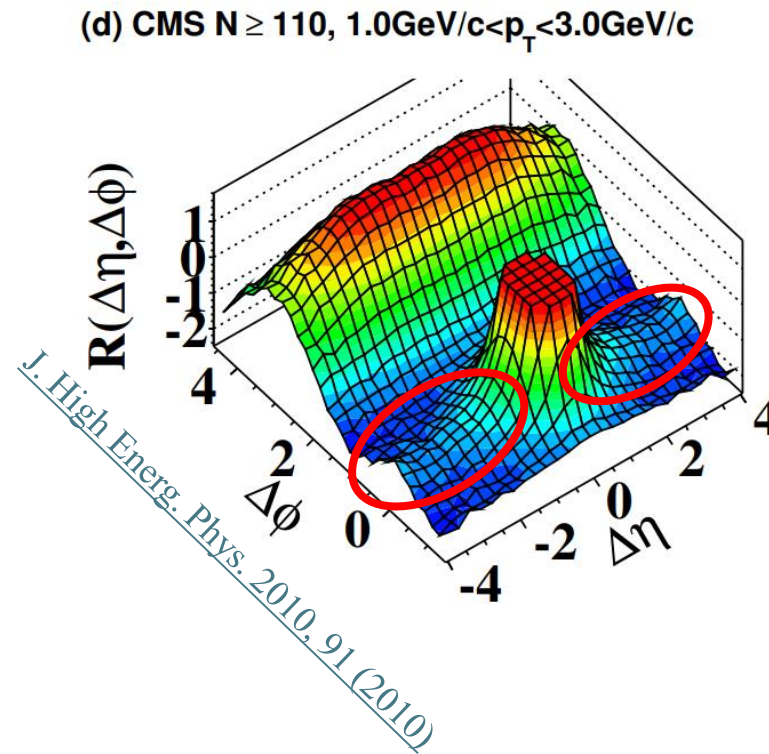


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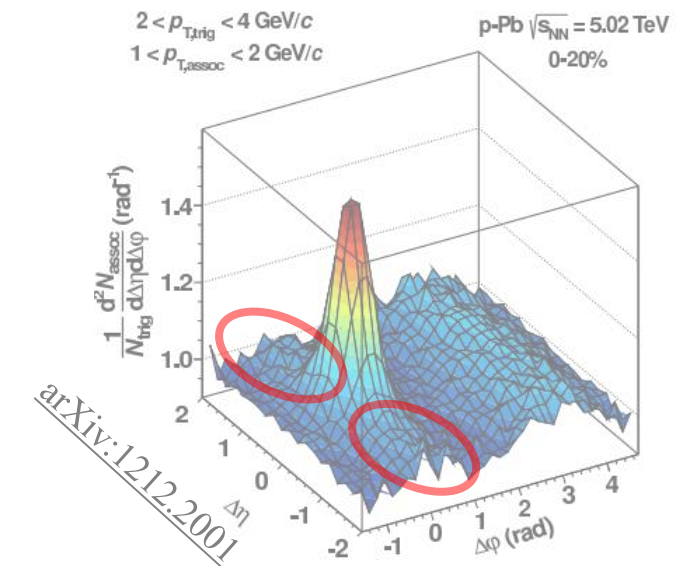
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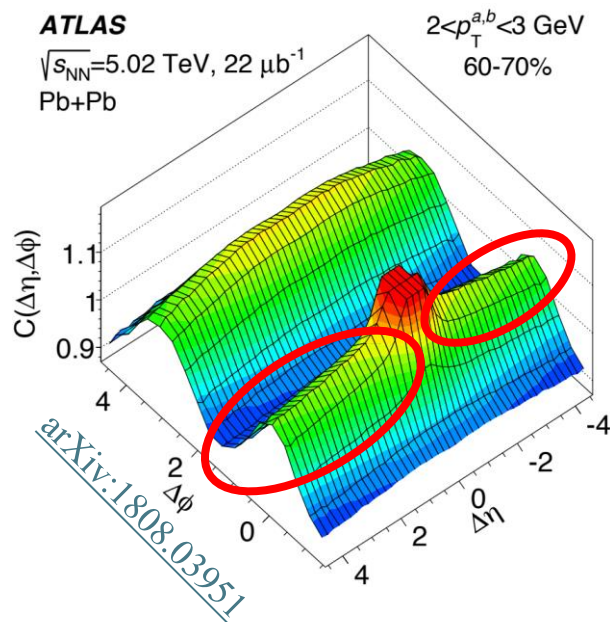


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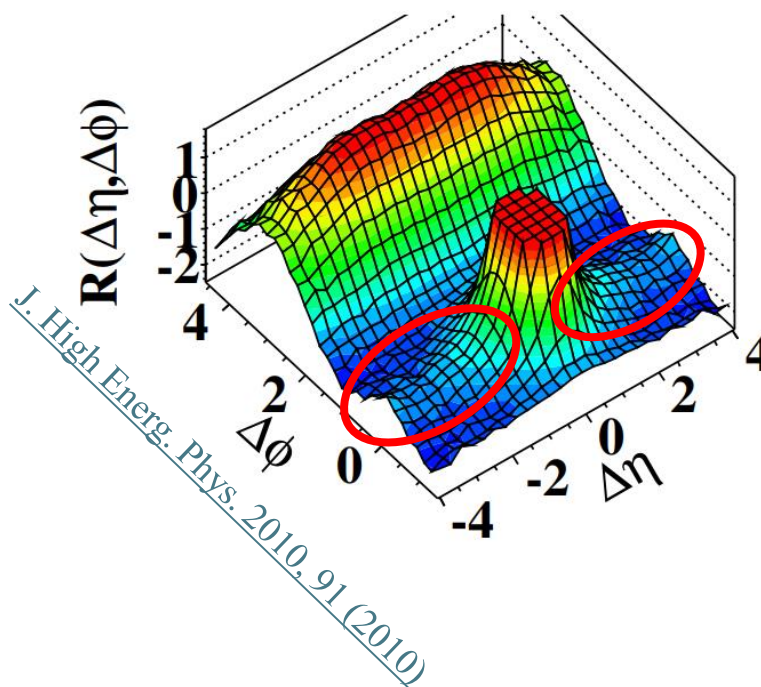
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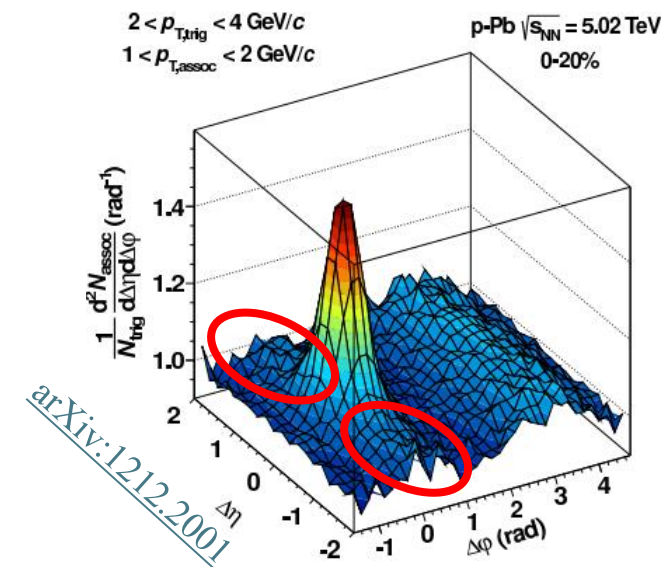


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(d) CMS $N \geq 110, 1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$



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Introduction : signatures? of the quark gluon plasma



ALICE

Digest of experimental results

measured and similar ✓
 measured but different ✗
 not measured —

OBSERVABLES	A–A	p–A (high mult.)	pp (high mult.)	pp (low mult.)	UPC	ep	e ⁺ e ⁻ (high mult.)	e ⁺ e ⁻
Near-side ridge yield	✓ [1,2]	✓ [30,32,33]	✓ [30,31]	✓ [34]	—	✗ [74,75]	✓ [77]	✗ [76]
Anisotropic flow	✓ [3,4]	✓ [36,37,38,39]	✓ [35,37]	✓ [30]	✓ [72,73]	✗ [74,75]	? [77]	—
Multiparticle cumulants	✓ [5]	✓ [40-45]	✓ [40,41,45]	—	—	—	—	—
Mass ordering	✓ [6]	✓ [47-49]	✓ [46,48]	—	—	—	—	—
Baryon-meson grouping	✓ [6]	✓ [47-49]	✓ [46,48]	—	—	—	—	—
Flow decorrelations (p_T)	✓ [7,8]	✓ [50-51]	—	—	—	—	—	—
Flow decorrelations (η)	✓ [9,10]	✓ [52]	✓ [53]	—	—	—	—	—
Event-by-event v_n	✓ [11,12]	—	—	—	—	—	—	—
v_n correlations	✓ [13,14]	✓ [54-57]	✓ [54,55,57]	—	—	—	—	—
ψ_n correlations	✓ [15]	—	✓ [58]	—	—	—	—	—
Nonlinear response of V_n	✓ [16-18]	—	✓ [59]	—	—	—	—	—
ESE	✓ [19]	—	—	—	—	—	—	—
$\rho(v_n^2, [p_T])$	✓ [20,21]	✓ [60,61]	✓ [61]	—	—	—	—	—
High- p_T flow	✓ [22,23]	✓ [63,65]	✓ [62,64]	—	—	—	—	—
Charm flow	✓ [24-27]	✓ [67,68]	✓ [66,67]	—	—	—	—	—
Bottom flow	✓ [28,29]	✓ [70]	✗ [69]	—	—	—	—	—

+ strangeness enhancement
 + quarkonia suppression in high multiplicity pp collisions

From Katka's JCF seminar

References in back-up slides

Introduction : signatures? of the quark gluon plasma



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Digest of experimental results

measured and similar ✓
 measured but different ✗
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Bottom flow	✓ [28,29]	✓ [70]	✗ [69]	—	—	—	—	—

Jet quenching has yet to be observed in small collision systems !

From Katka's JCF seminar

References in back-up slides

Introduction : **signatures?** of the quark gluon plasma



From Katka's JCF seminar

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measured and similar ✓
different ✗
measured —

Collectivity seems to be everywhere...

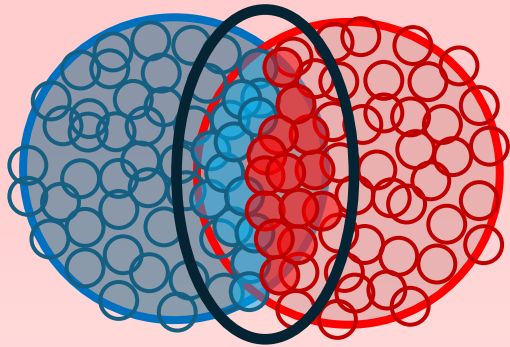
Either what we thought were signatures were in fact not exclusive signatures (that is sure thing for some signatures)

or maybe a quark-gluon plasma droplet is created in smaller systems ??

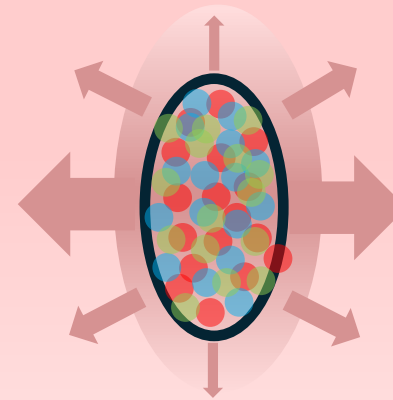
My analysis will answer this question ! (Not true but that's what I would say to a funding agency)

Anisotropic flow illustrated with heavy-ion collisions....

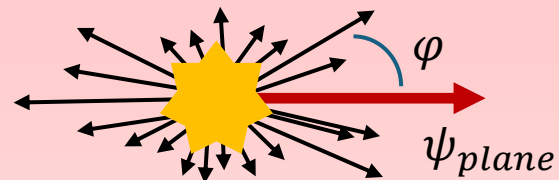
1 Initial spatial asymmetry



2 Collectively expanding medium



3 Particle are emitted with preferred direction



4 Angular modulation of their distribution

$$\frac{dN}{d\varphi} \propto 1 + 2 \sum_{n=1}^{\infty} v_n \cos[n(\varphi - \psi_n)]$$

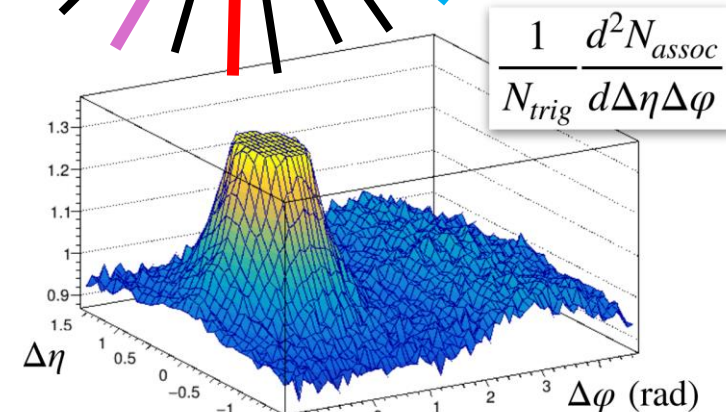
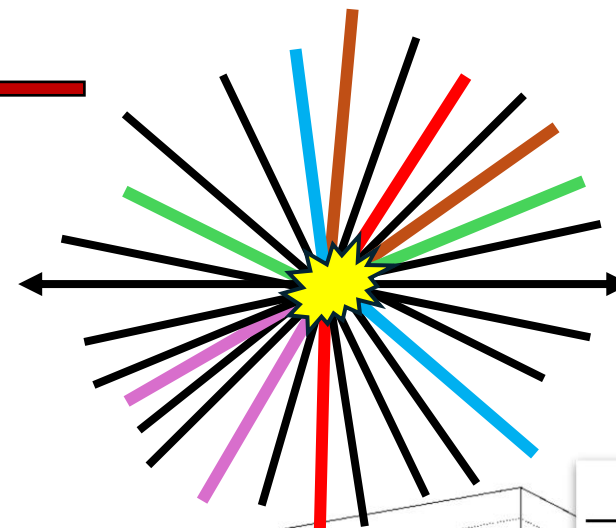
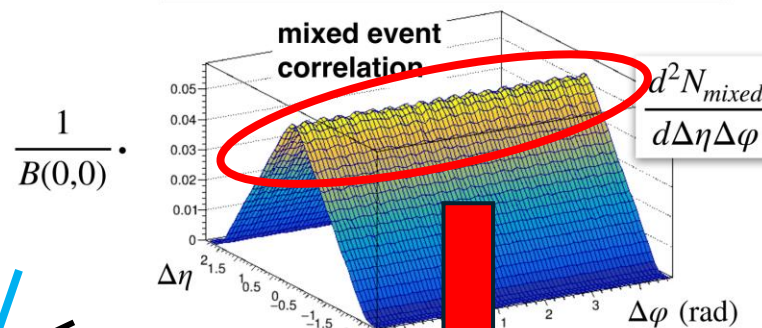
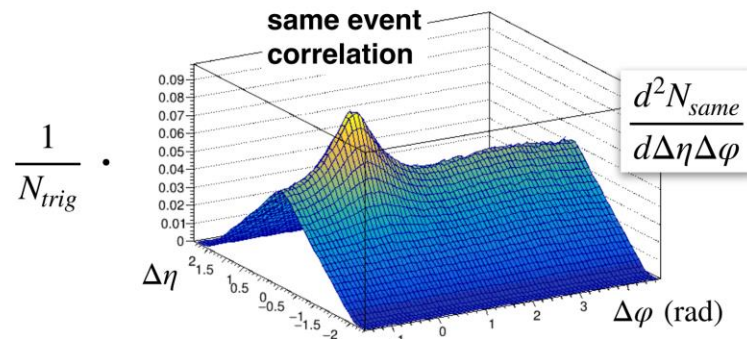
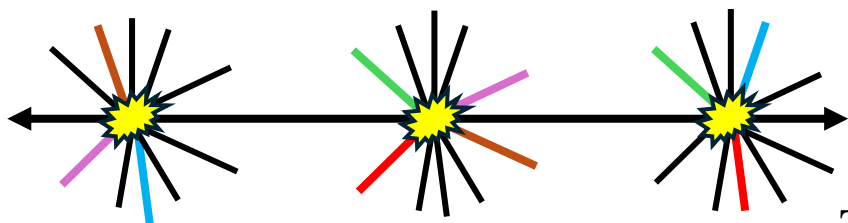
Quantifies particle correlation with symmetry plane ψ_n

Two-particle correlations

How to get two-particle azimuthal correlations ?

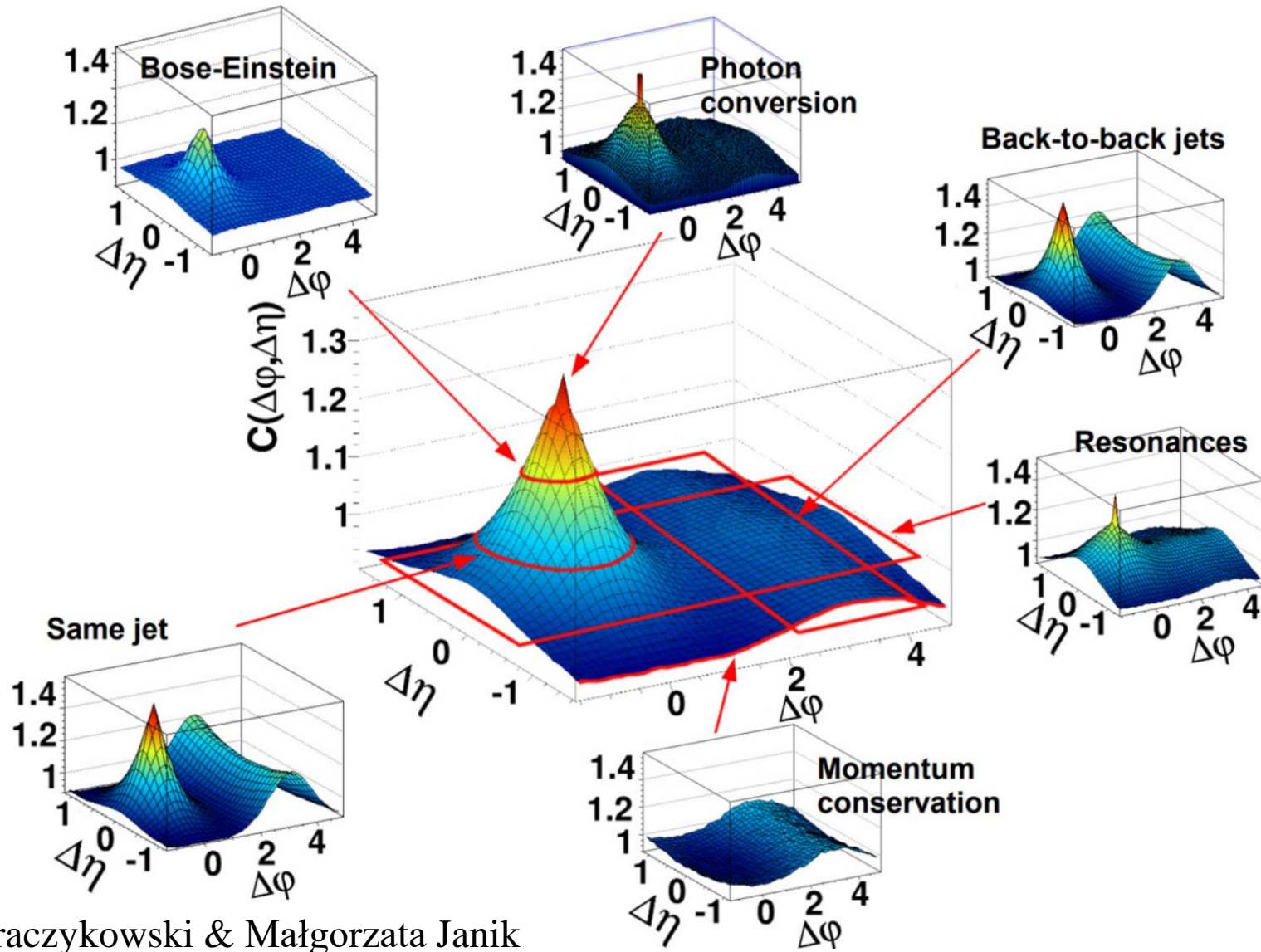
The correlation function :

$$C(\Delta\eta, \Delta\varphi) = \frac{S(\Delta\eta, \Delta\varphi) \text{ same event}}{B(\Delta\eta, \Delta\varphi) \text{ mixed event}}$$



This typical triangular shape is caused by the limited detector acceptance

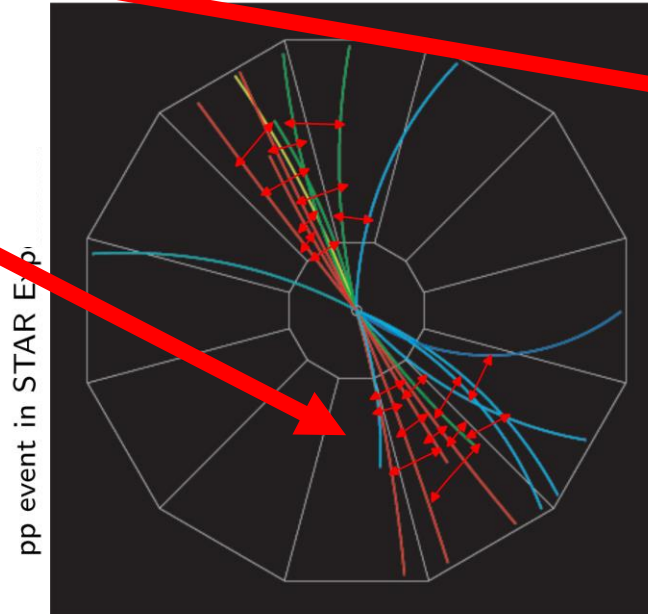
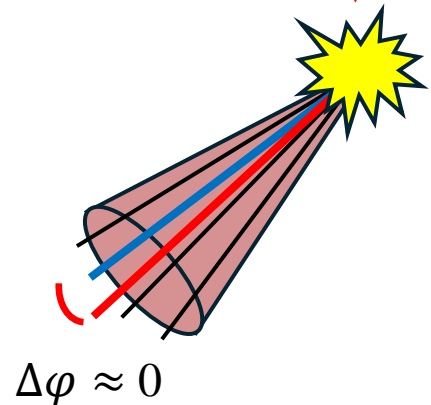
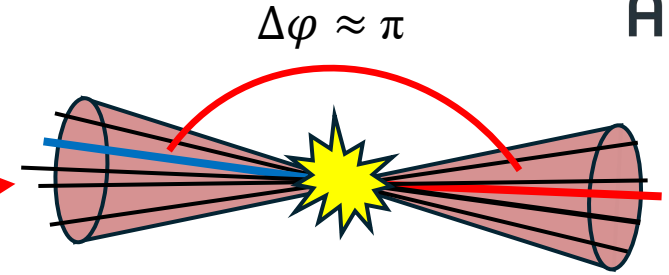
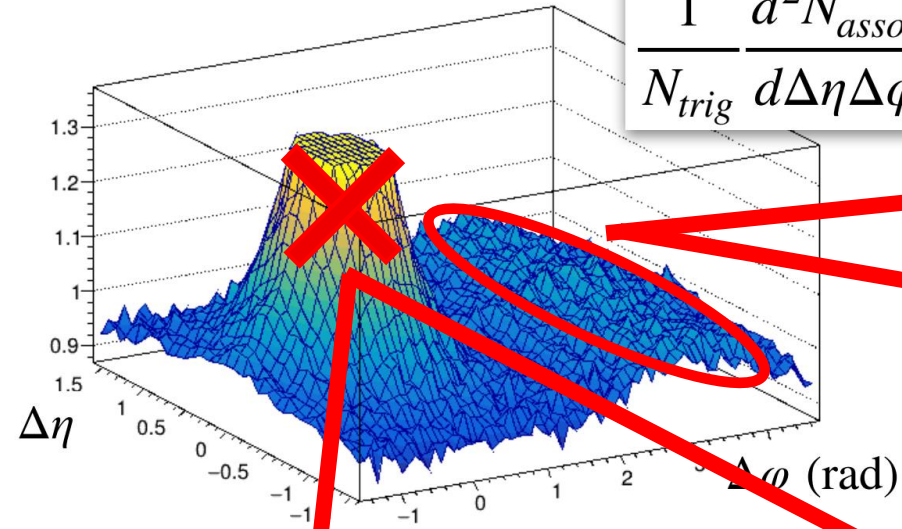
Understanding the 2D correlation function



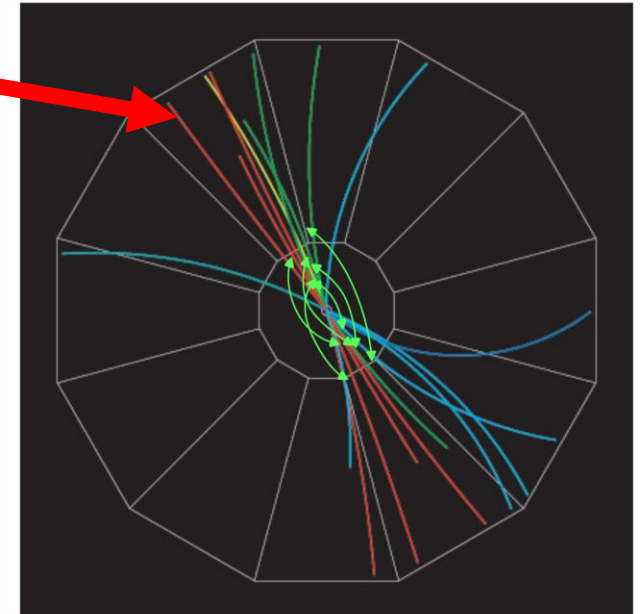
credits : Łukasz Graczykowski & Małgorzata Janik

What is our interest in the 2D correlation function ?

$$\frac{1}{N_{trig}} \frac{d^2 N_{assoc}}{d\Delta\eta d\Delta\phi}$$



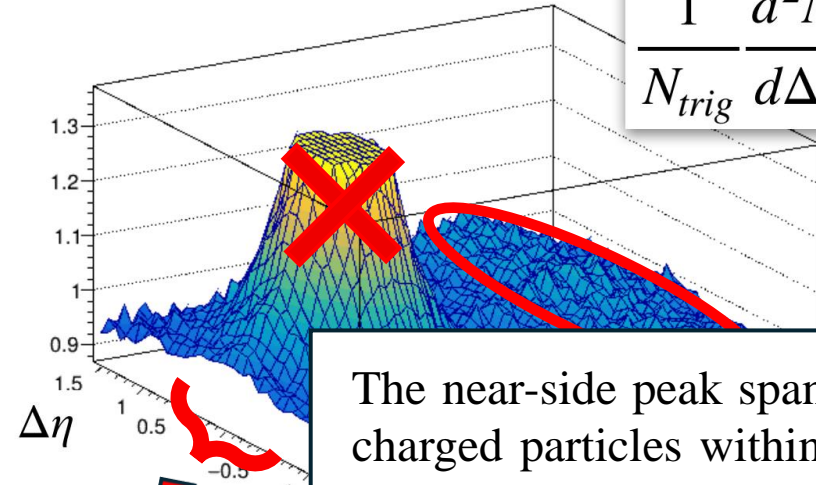
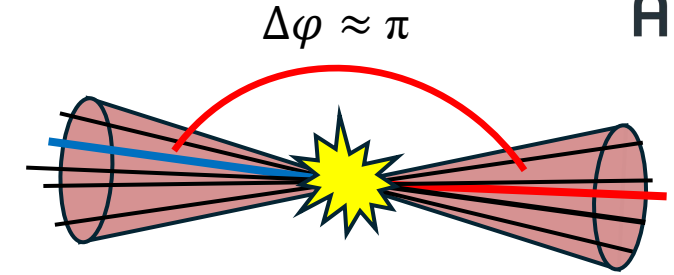
Particles from the same jet at low $\Delta\eta\Delta\phi$ form the **near-side peak**
credits : Jasper Parkkila



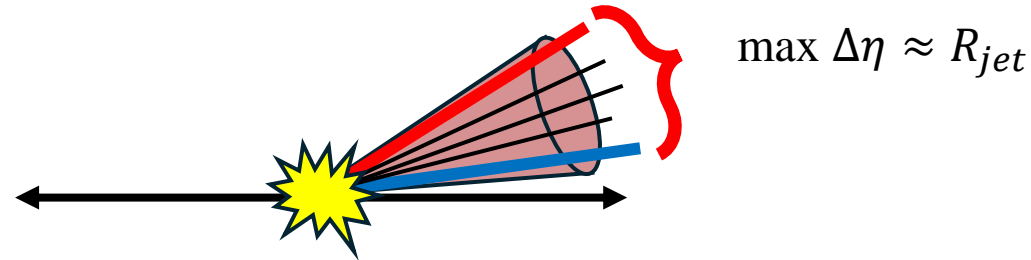
Particles from back-to-back jets at $\Delta\phi \sim \pi$ form the **away-side peak**

What is our interest in the 2D correlation function ?

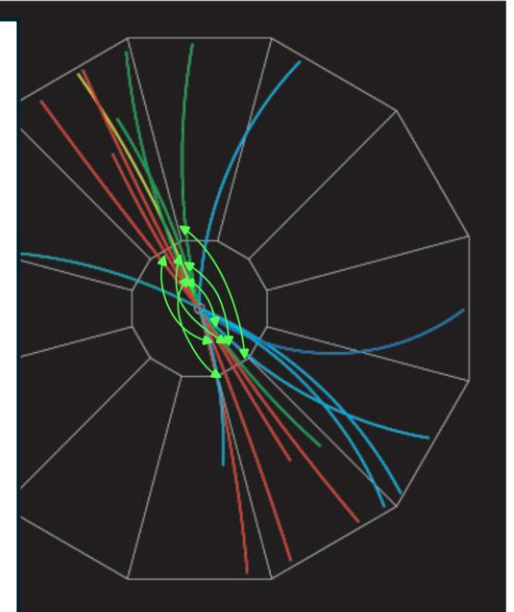
$$\frac{1}{N_{trig}} \frac{d^2 N_{assoc}}{d\Delta\eta d\Delta\phi}$$



The near-side peak spans a limited $\Delta\eta$ range because the $\Delta\eta$ of two charged particles within the same jet is limited by the definition of the jet itself :



The near-side peak is bigger than the away-side peak for 2 reasons : more physics phenomena occur at this range and for each opposite-jet, there is 2 times the contribution of 1 same-jet correlations

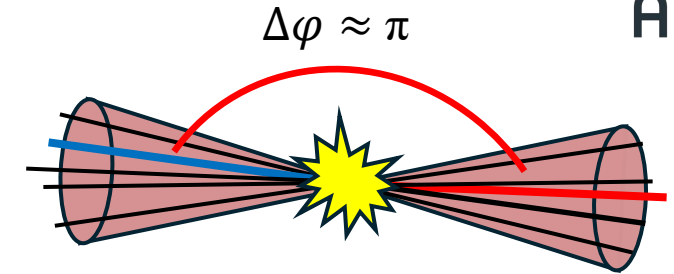
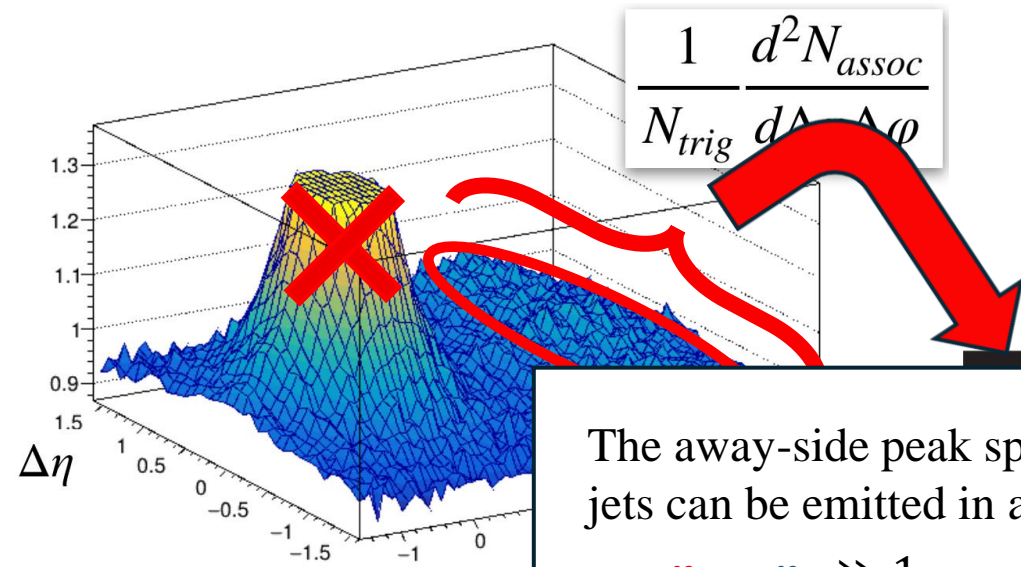


Tracks from back-to-back jets at $\Delta\phi \approx \pi$ form the **away-side peak**

credits : Jasper Parkkin

$\Delta\phi \approx 0$

What is our interest in the 2D correlation function ?

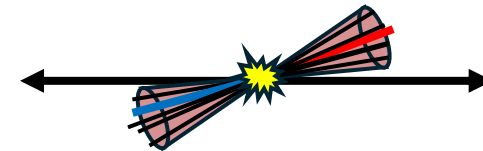


The away-side peak spans the whole $\Delta\eta$ range because opposite jets can be emitted in a variety of η range :

$$\eta_1 - \eta_2 \gg 1$$

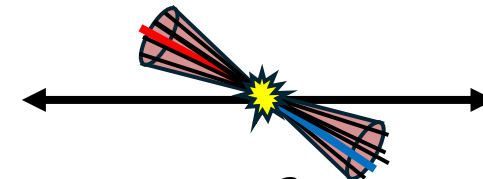


$$\eta_1 - \eta_2 \approx 2$$

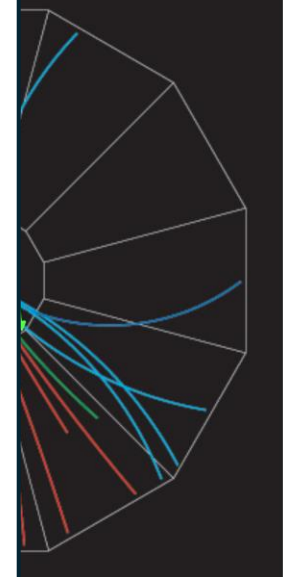
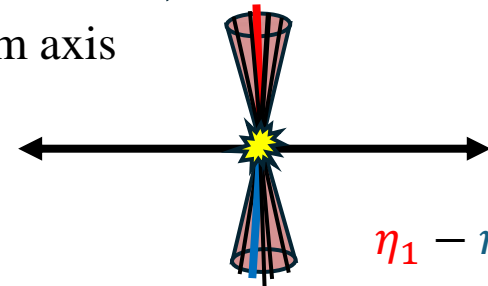


↔ = beam axis

$$\eta_1 - \eta_2 \approx -2$$

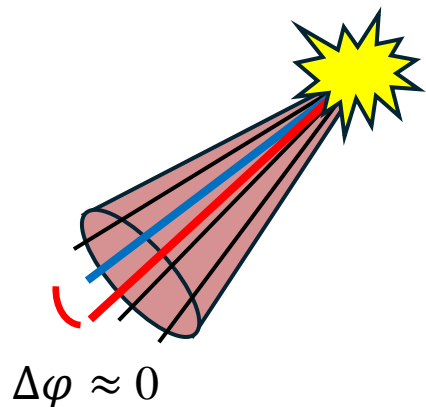


$$\eta_1 - \eta_2 \approx 0$$

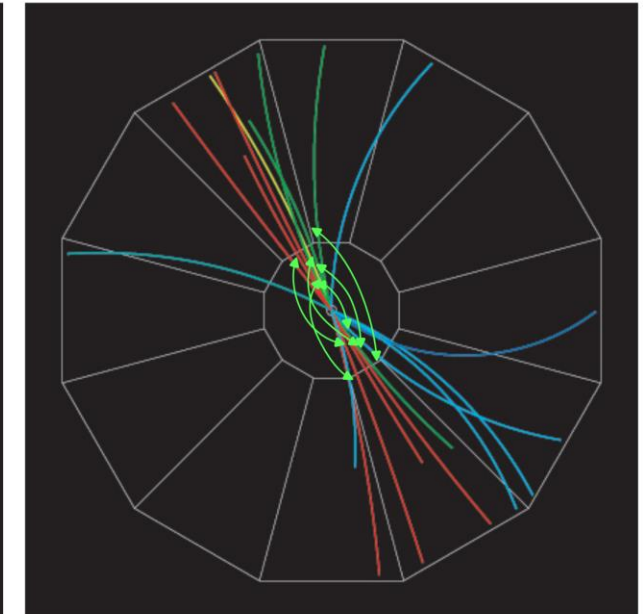
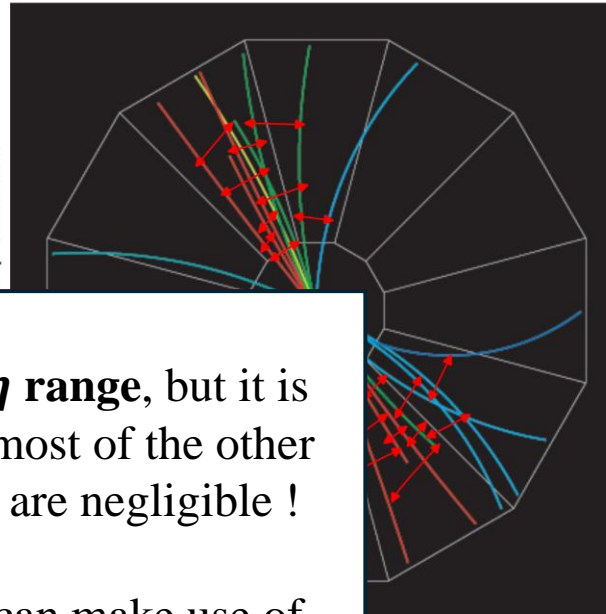
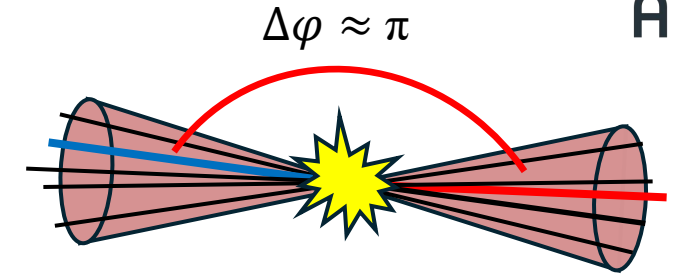
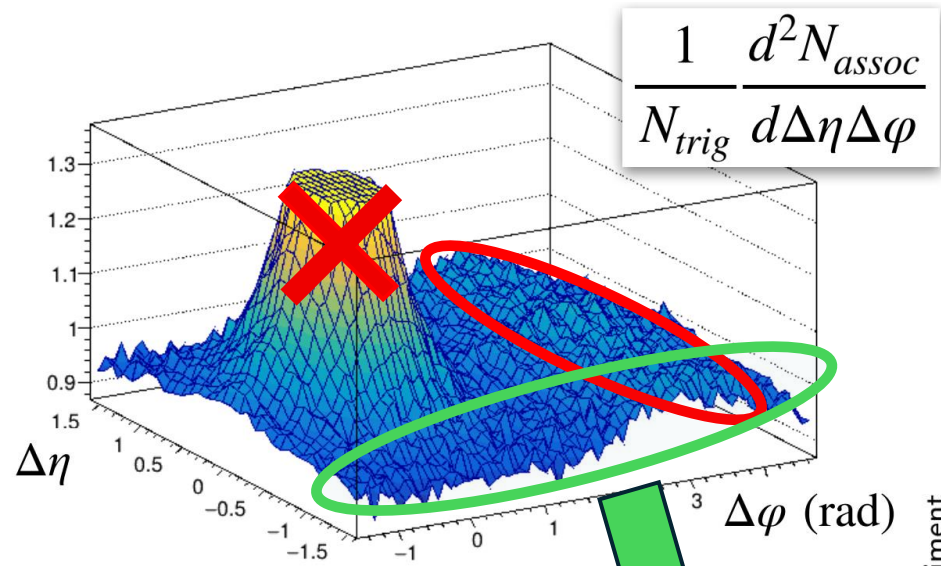


to-back jets at away-side peak

credits : Jasper Parkkin

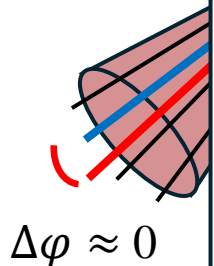


What is our interest in the 2D correlation function ?



Flow signal **contributes across all $\Delta\eta$ range**, but it is **more visible in long-range**, because most of the other 2D correlation function contributions are negligible !

To study long-range correlations, we can make use of **forward detectors** to broaden the $\Delta\eta$ gap !



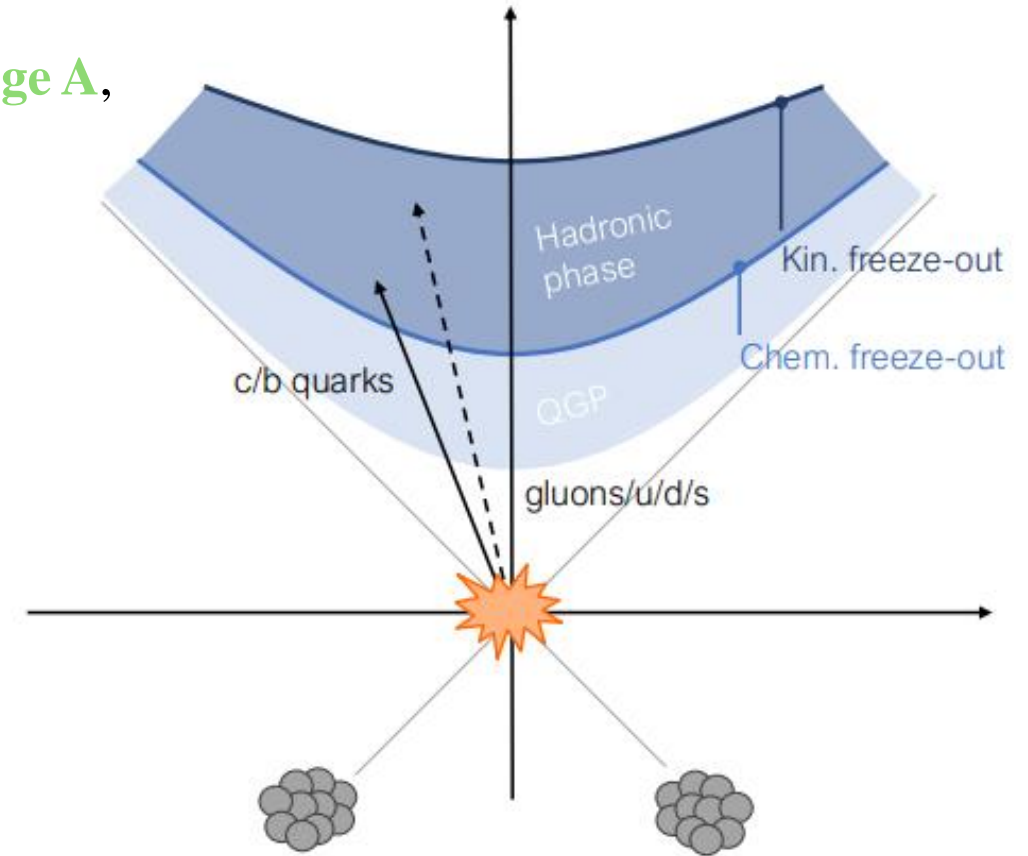
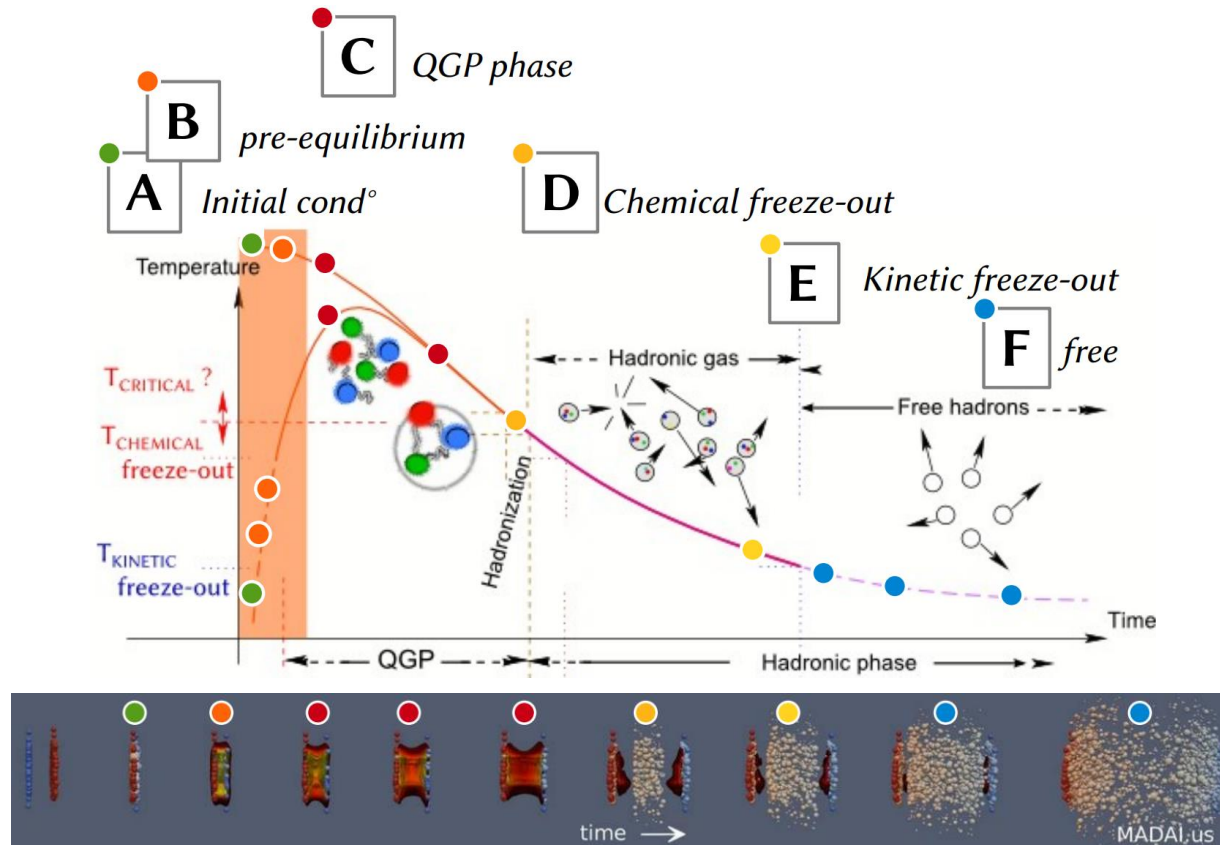
same jet at low $\Delta\eta$ forms the **near-side peak**

Particles from back-to-back jets at $\Delta\phi \sim \pi$ form the **away-side peak**

Why studying heavy flavor ?

Heavy flavor (charm, beauty) = hard probes !

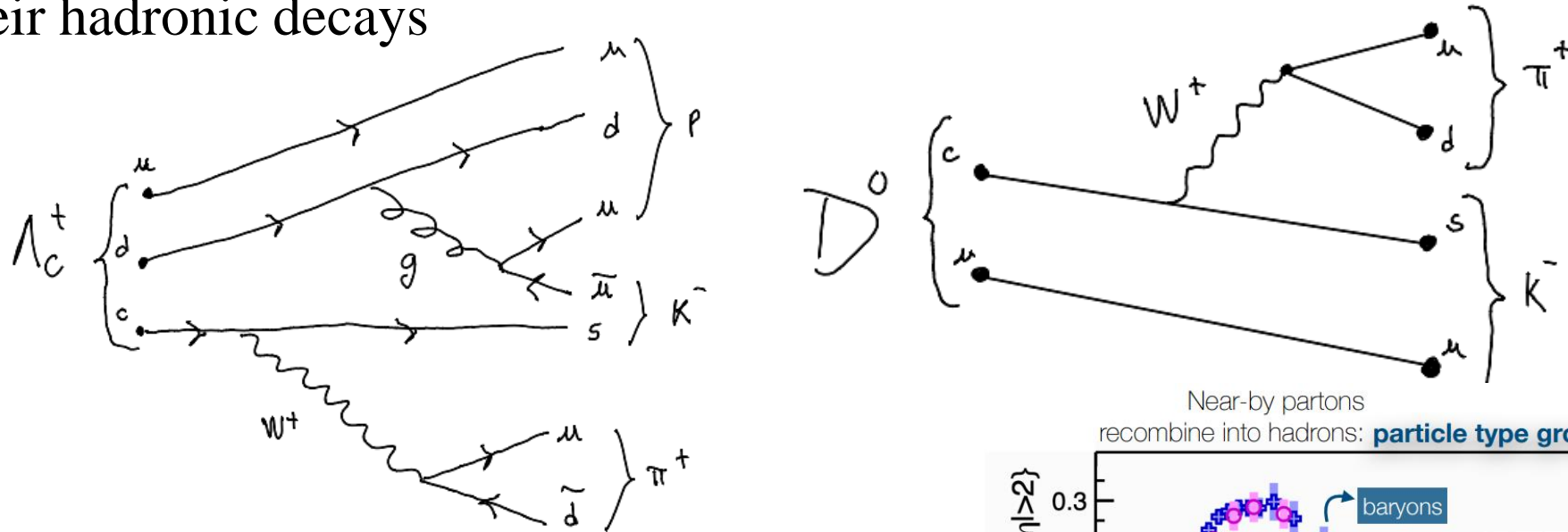
(= coming from energetic processes at very early collision **stage A**, which will later experience the QGP medium completely)



scheme credits : Emma Chizzali

Focusing on D^0 and Λ_c^+ but we will see what statistics allow us...

They are the lightest heavy-flavor hadrons and both hadrons will be reconstructed through their hadronic decays



Studying both a meson and a baryon will allow us to study baryon/meson grouping and mass ordering !

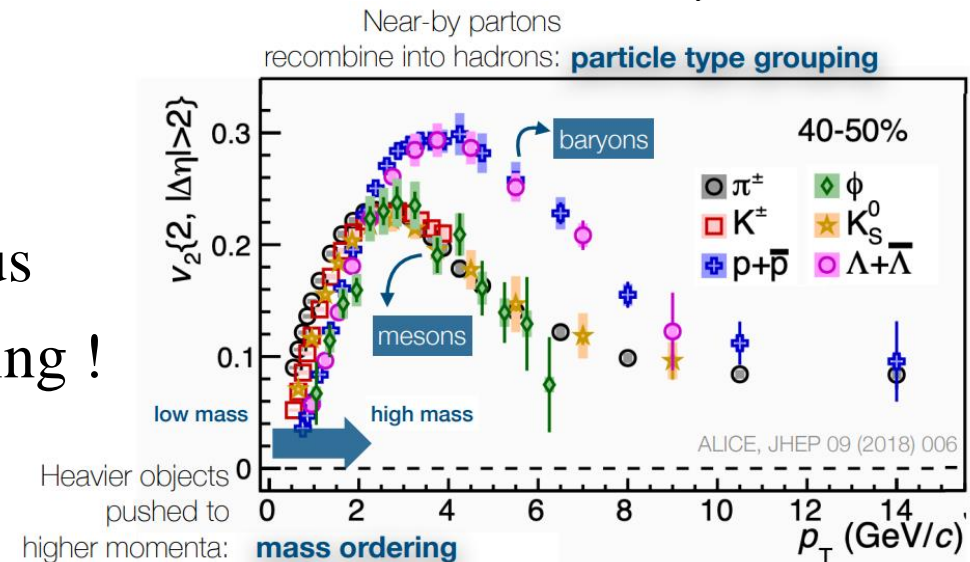


Figure from Katka's JCF seminar on 10/11/2023

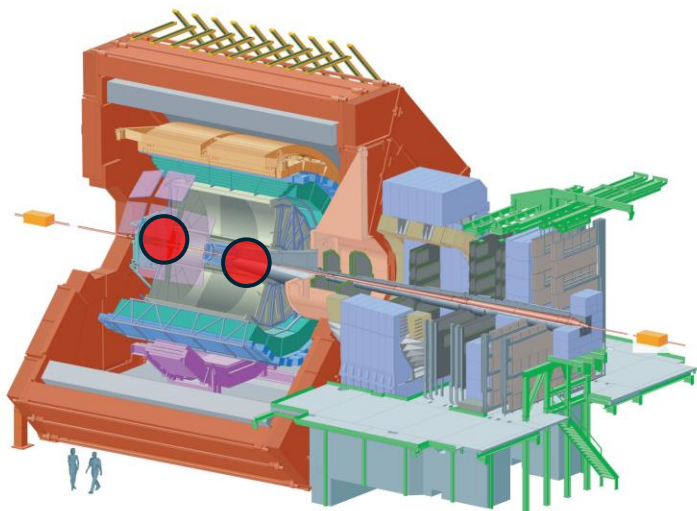
The ALICE detector

ALICE during RUN 2

ITS → 6 layers of silicon pixel detectors

TPC → Multi Wire Proportional Chambers

Forward detectors (of interest) → Forward Multiplicity Detectors on both sides ●



FMD already used to broaden η gap in :
[arXiv:2308.16590](https://arxiv.org/abs/2308.16590)

ALICE during RUN 3

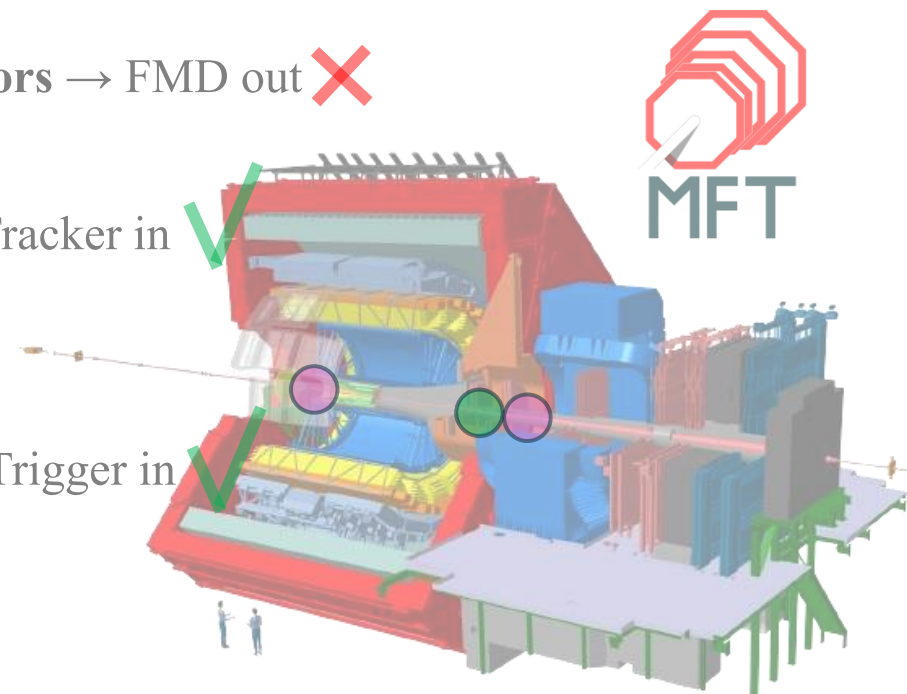
ITS → 7 layers and 1st layer closer to interaction point

TPC → Gas Electron Multipliers + continuous readout

Forward detectors → FMD out ✗

●
Muon Forward Tracker in
(one side only)

● ●
Fast Interaction Trigger in
(both sides)



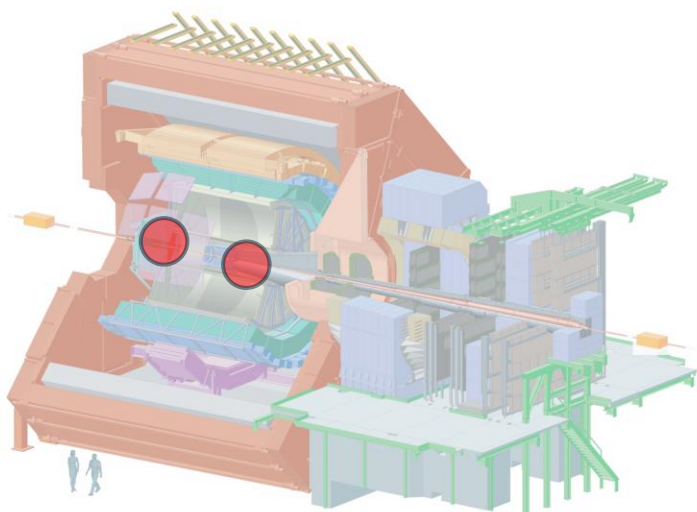
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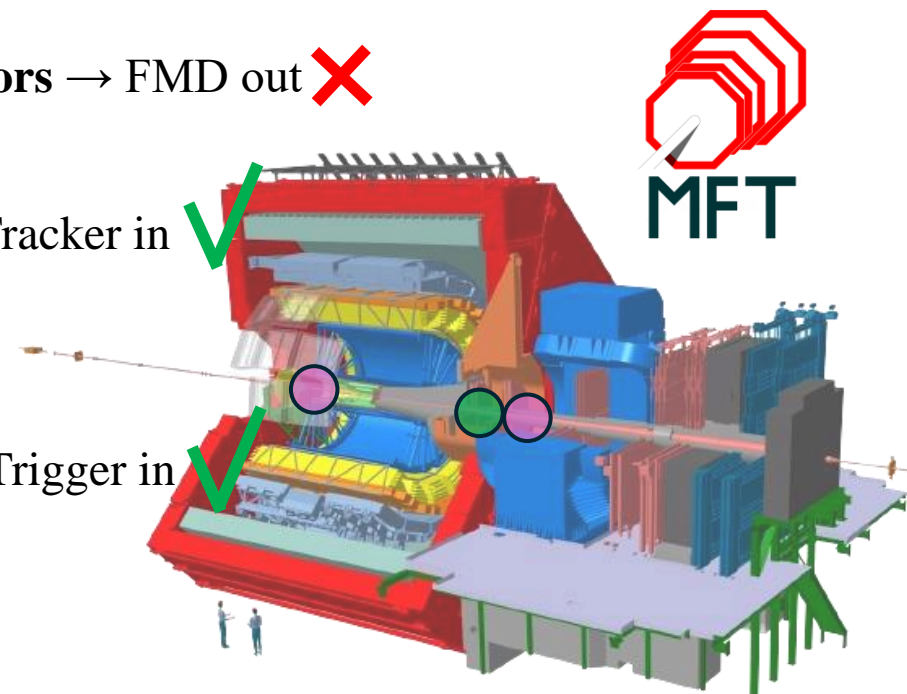
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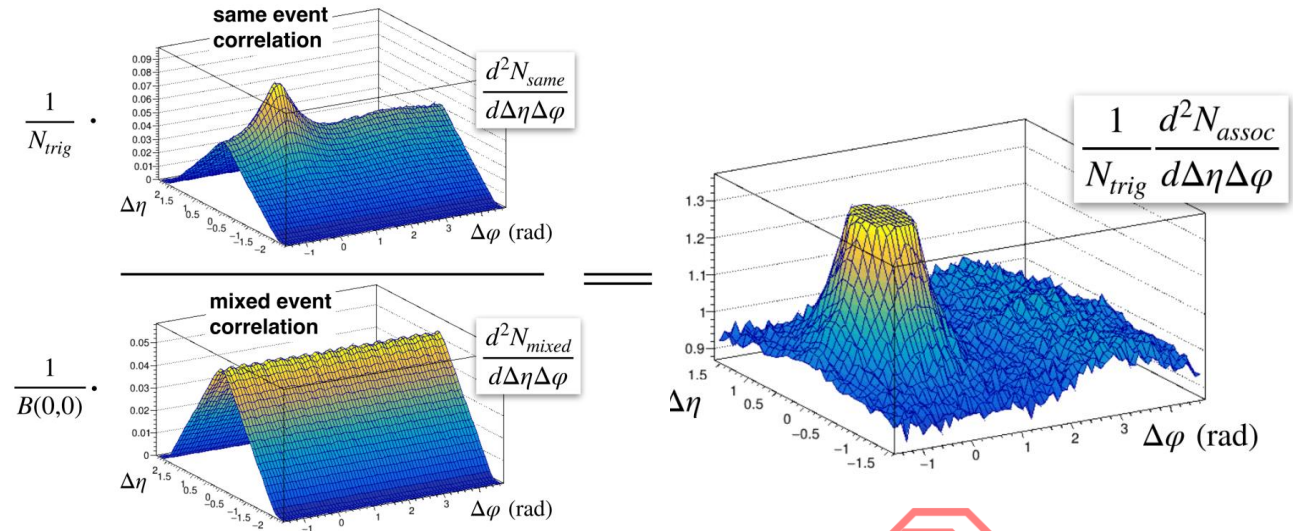
●
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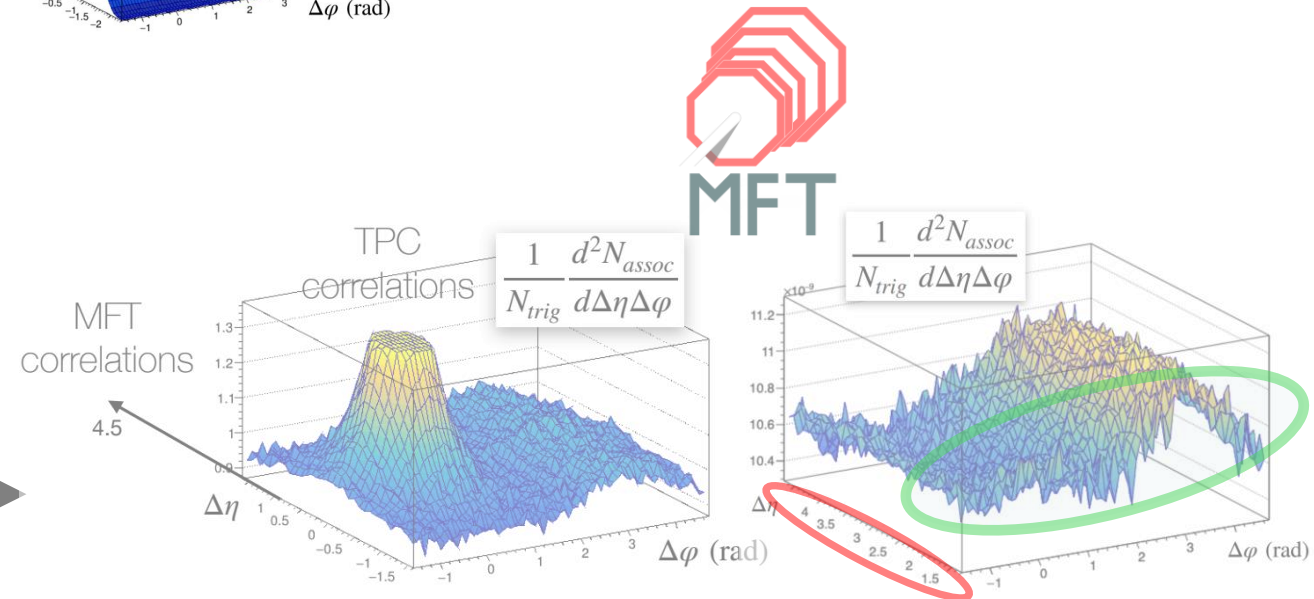
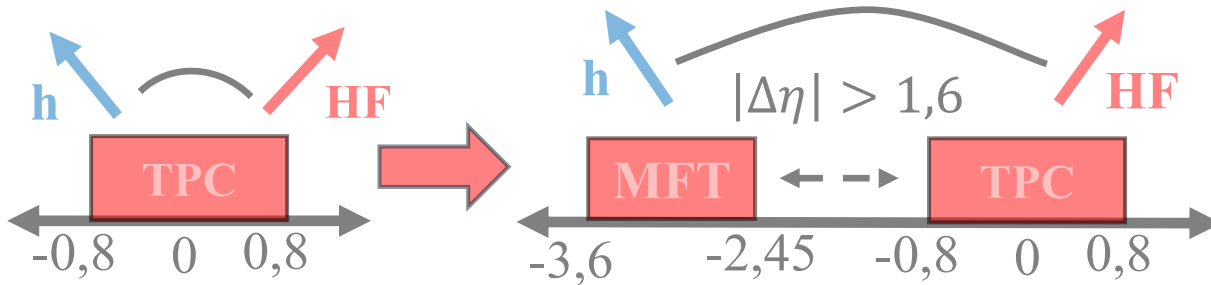


Analysis procedure (I)

1. Get two-particle azimuthal correlation

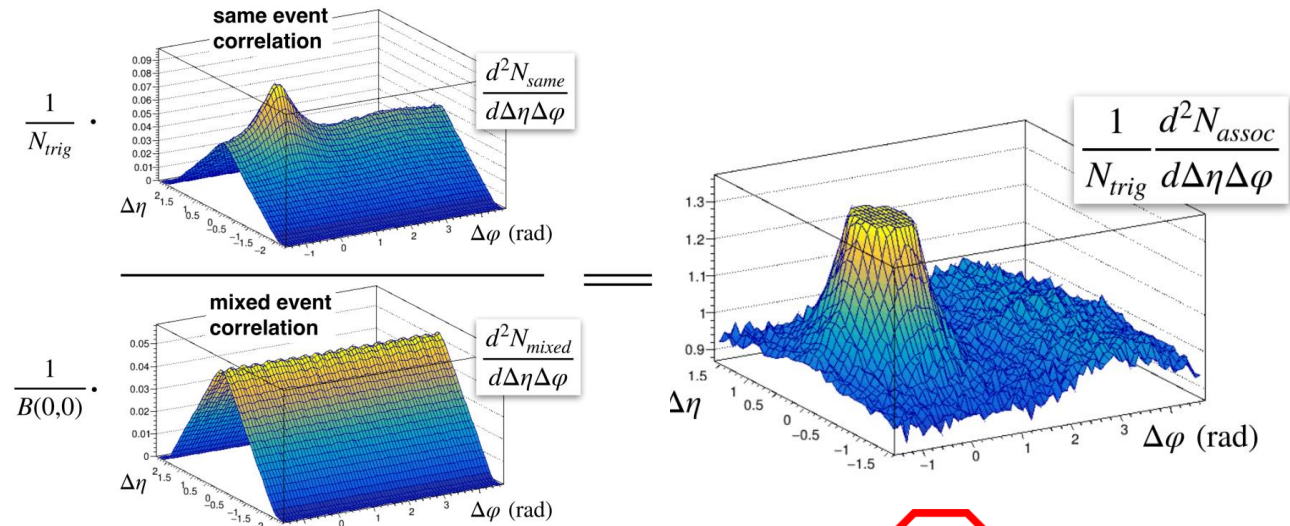


2. Remove jet-peak apply $\Delta\eta > 1.4$ and project on $\Delta\phi$

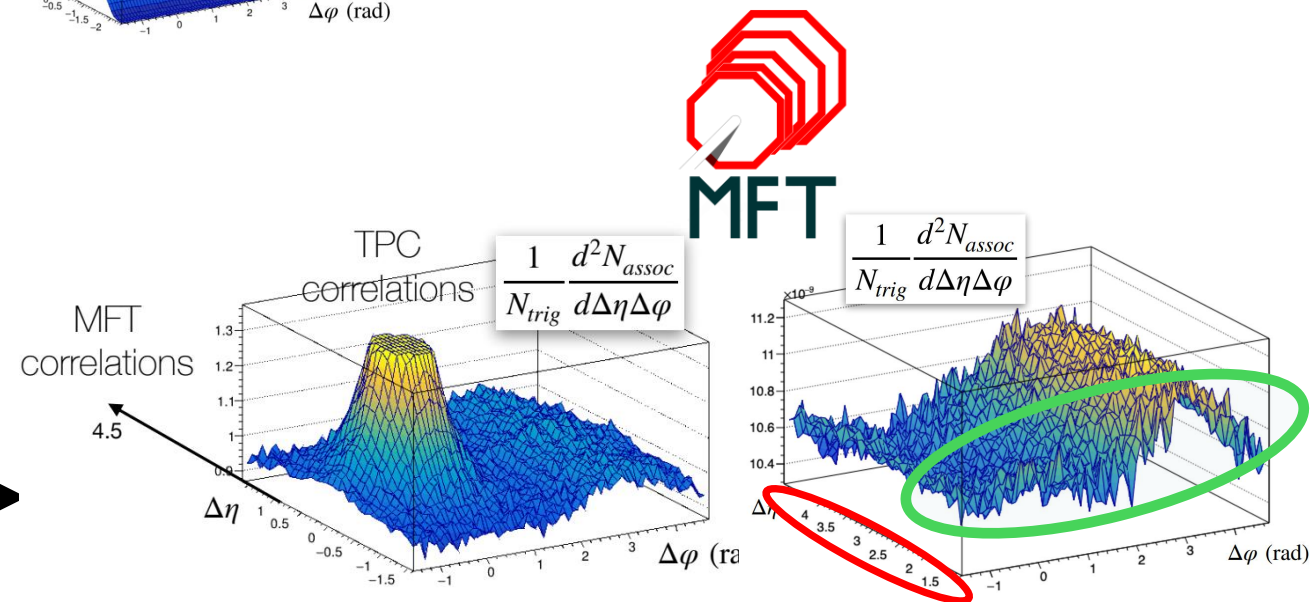
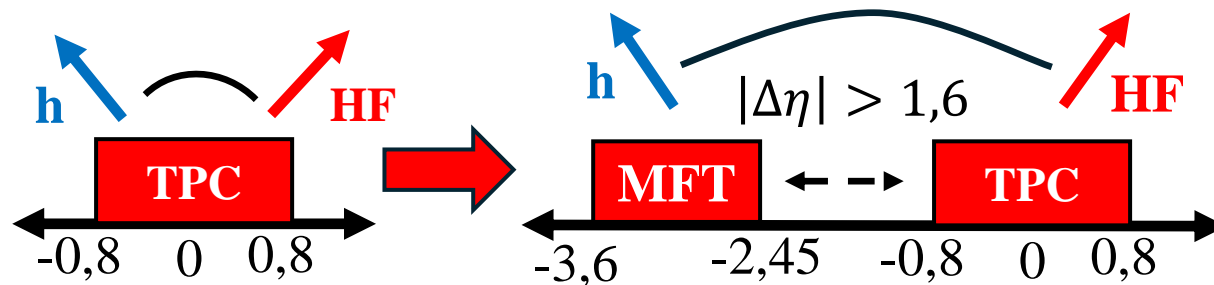


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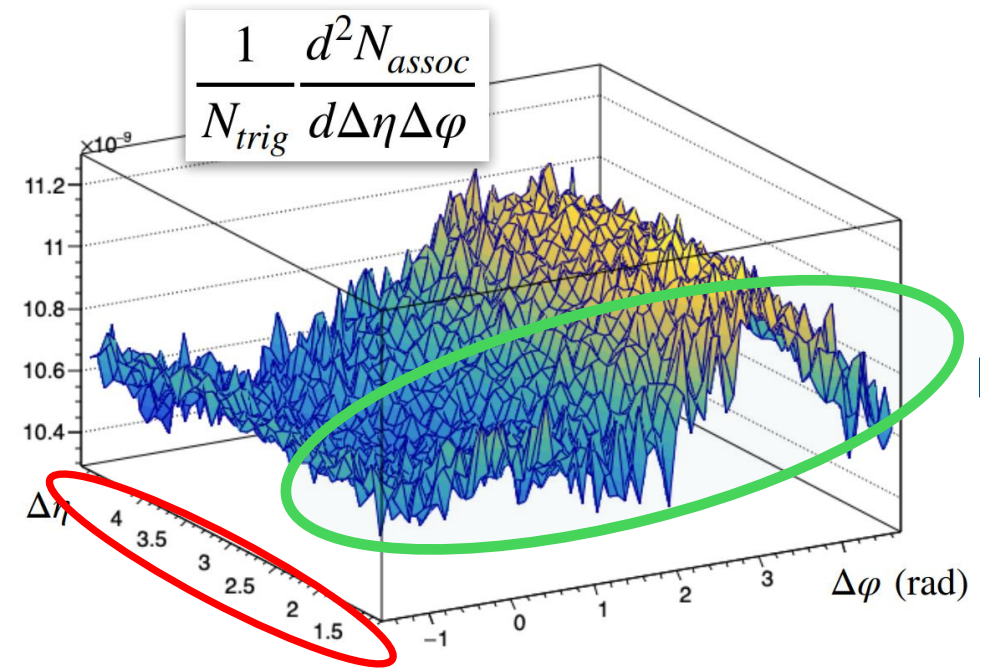
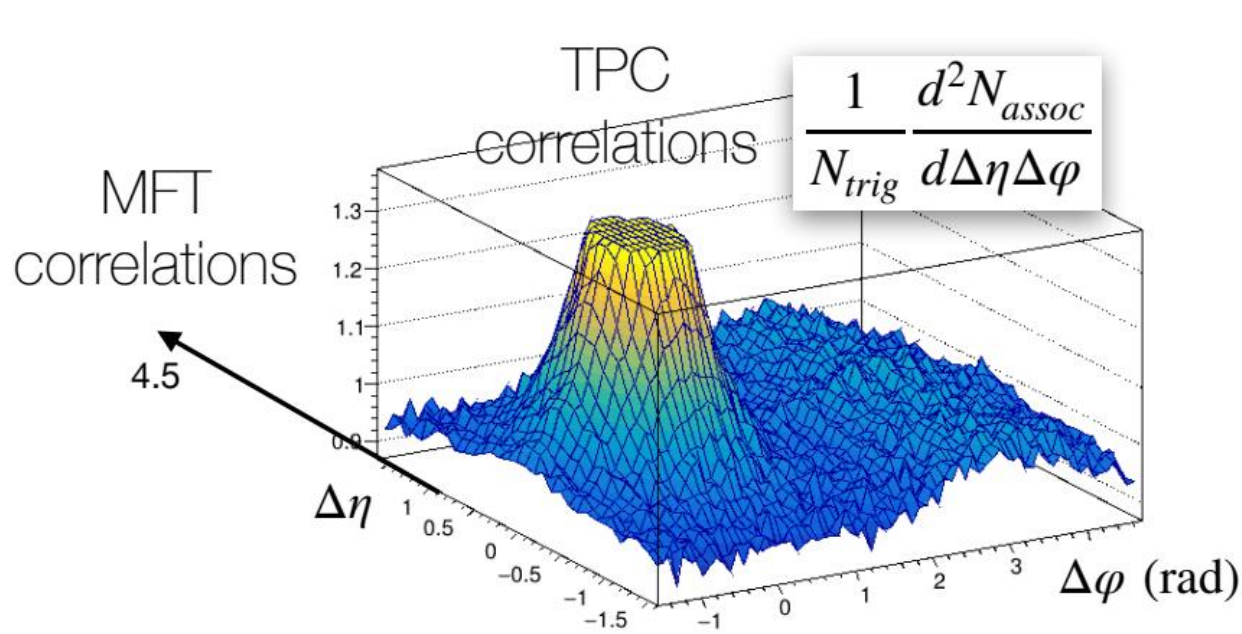
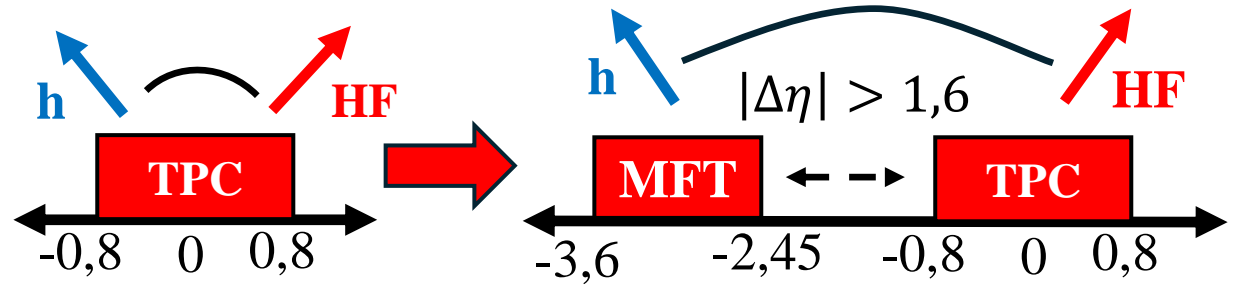


2. Remove jet-peak apply $\Delta\eta > 1.4$ and project on $\Delta\phi$



Why using MFT for correlations ?

Remove jet-peak apply $\Delta\eta > 1.4$ and project on $\Delta\phi$



One consequence of using MFT for correlations



When measuring the flow of identified particles (such as D^0 and Λ_c^+ here) we **must** cancel the effect of the reference flow (h-h correlations) so the final flow does not depend on the choice of reference

Using MFT introduces a bias in the forward region, and using the usual 2PC method isn't enough anymore..

How to cancel forward region reference flow ?

$$V_2^{HF} = \frac{\langle V_2^{HF} \cdot V_2^{MFT} \rangle}{\sqrt{\langle V_2^{TPC} \cdot V_2^{MFT} \rangle}}$$

We must also correlate the TPC from the other side with FV0, and then cancel the forward region reference flow by correlating MFT and FV0

$$V_2^{HF} = \sqrt{\frac{\langle V_2^{HF} \cdot V_2^{FV0} \rangle \langle V_2^{HF} \cdot V_2^{MFT} \rangle}{\langle V_2^{FV0} \cdot V_2^{MFT} \rangle}}$$

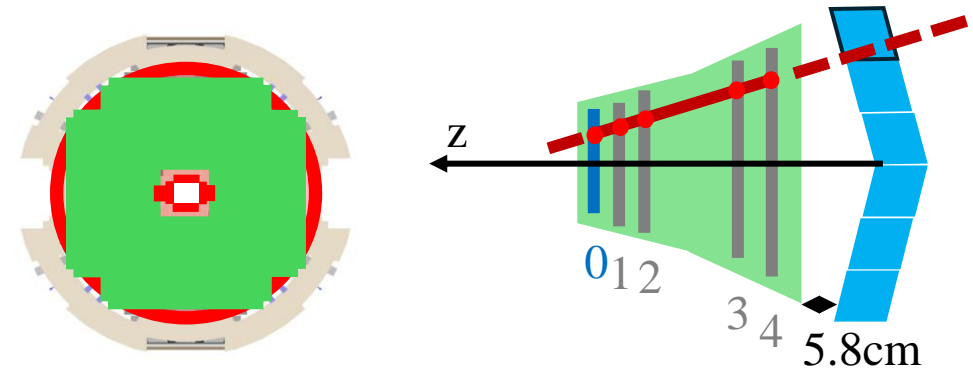
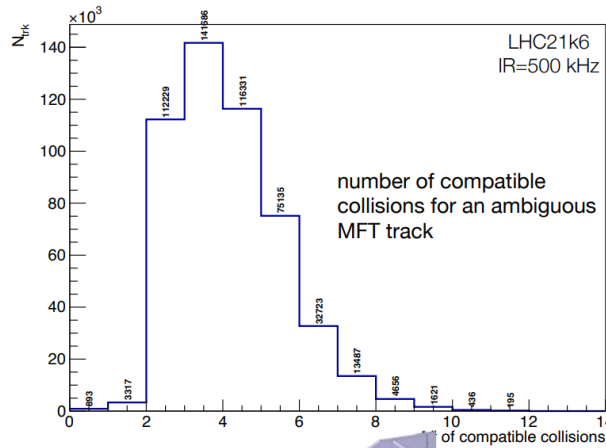
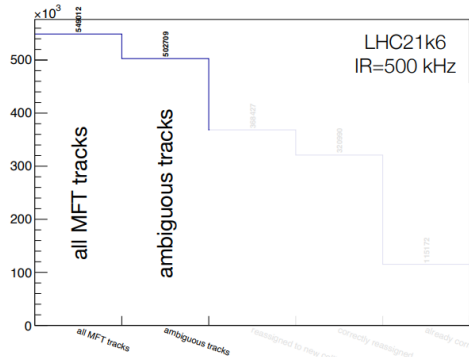
« 3x2PC » method first used in PHENIX : [Phys. Rev. C 105, 024901 \(2022\)](#)

A potential problem with MFT

A potential problem with MFT tracks

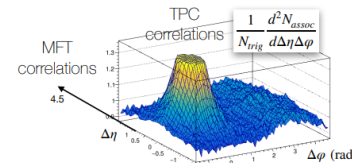
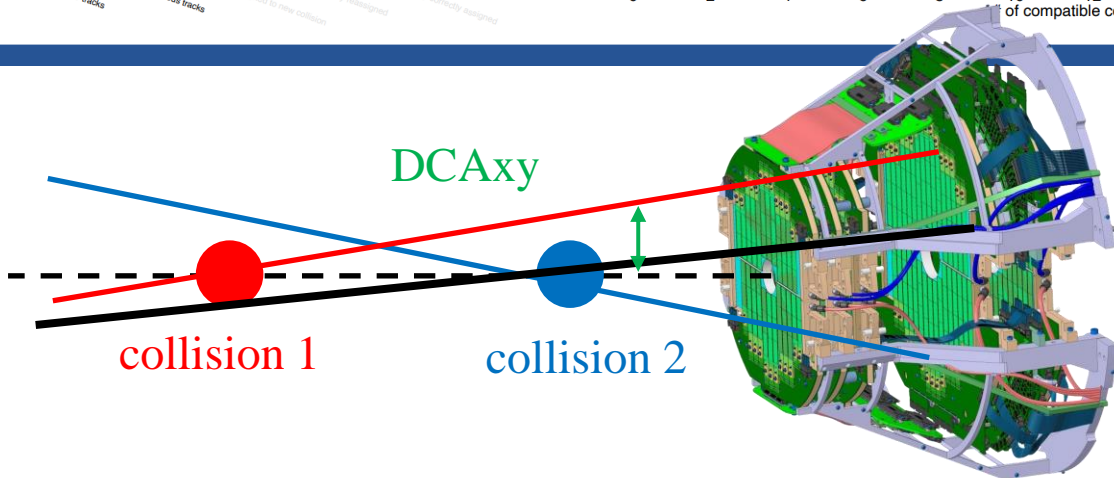
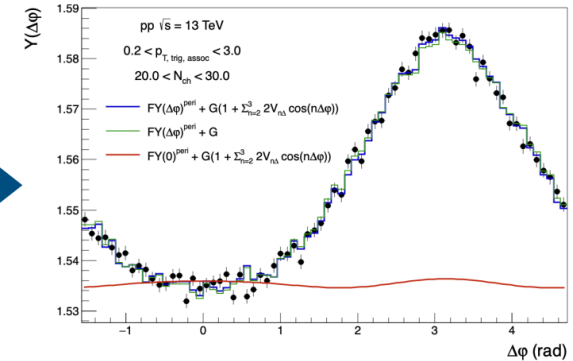
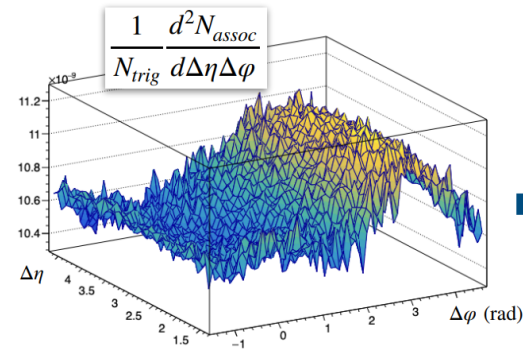
- MFT read-out time: 4 - 15 μ s
- Interaction rate of 500 kHz \rightarrow 1 collision every 2 μ s
- MFT track would be **compatible** in time with **2 - 7 collisions** on average

- 92% of all tracks are ambiguous
- Note: we are talking about standalone tracks



How much should we be worried (I)

Ideal case: MC simulations



- Correlations far from the jet peak contamination
- We can use (almost) all the available statistics
- Note: this is Pythia, so don't look for meaningful flow signal :)

credits : Katka/Sarah Hermann et al.

Analysis procedure (II)



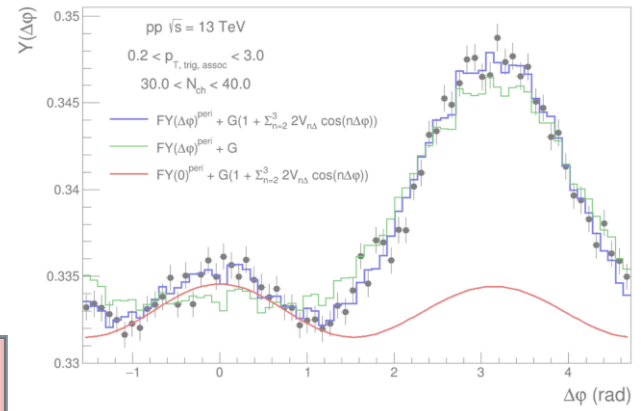
ALICE

2. Remove jet-peak apply $\Delta\eta > 1.4$ and project on $\Delta\varphi$

3. Perform template fit

$$Y^{template}(\Delta\varphi) = F \cdot Y^{peripheral}(\Delta\varphi) + Y^{ridge}(\Delta\varphi)$$

Our measurement Non-flow component Collective flow component



$$Y^{ridge}(\Delta\varphi) = G \left[1 + 2 \sum_{n=2}^3 V_{n\Delta} \cdot \cos(n\Delta\varphi) \right]$$

4. Get flow

5. Reference flow

+

Differential flow

5 bis.

Analysis procedure (II)



ALICE

2. Remove jet-peak apply $\Delta\eta > 1.4$ and project on $\Delta\varphi$

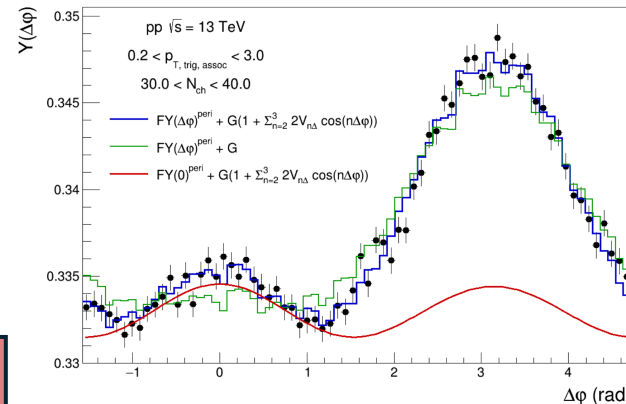
3. Perform template fit

$$Y_{\text{template}}(\Delta\varphi) = F \cdot Y_{\text{peripheral}}(\Delta\varphi) + Y_{\text{ridge}}(\Delta\varphi)$$

Our measurement

Non-flow component

Collective flow component



$$Y_{\text{ridge}}(\Delta\varphi) = G \left[1 + 2 \sum_{n=2}^3 V_{n\Delta} \cdot \cos(n\Delta\varphi) \right]$$

4. Get flow

5. Reference flow



Differential flow

5 bis.

Analysis procedure (II)



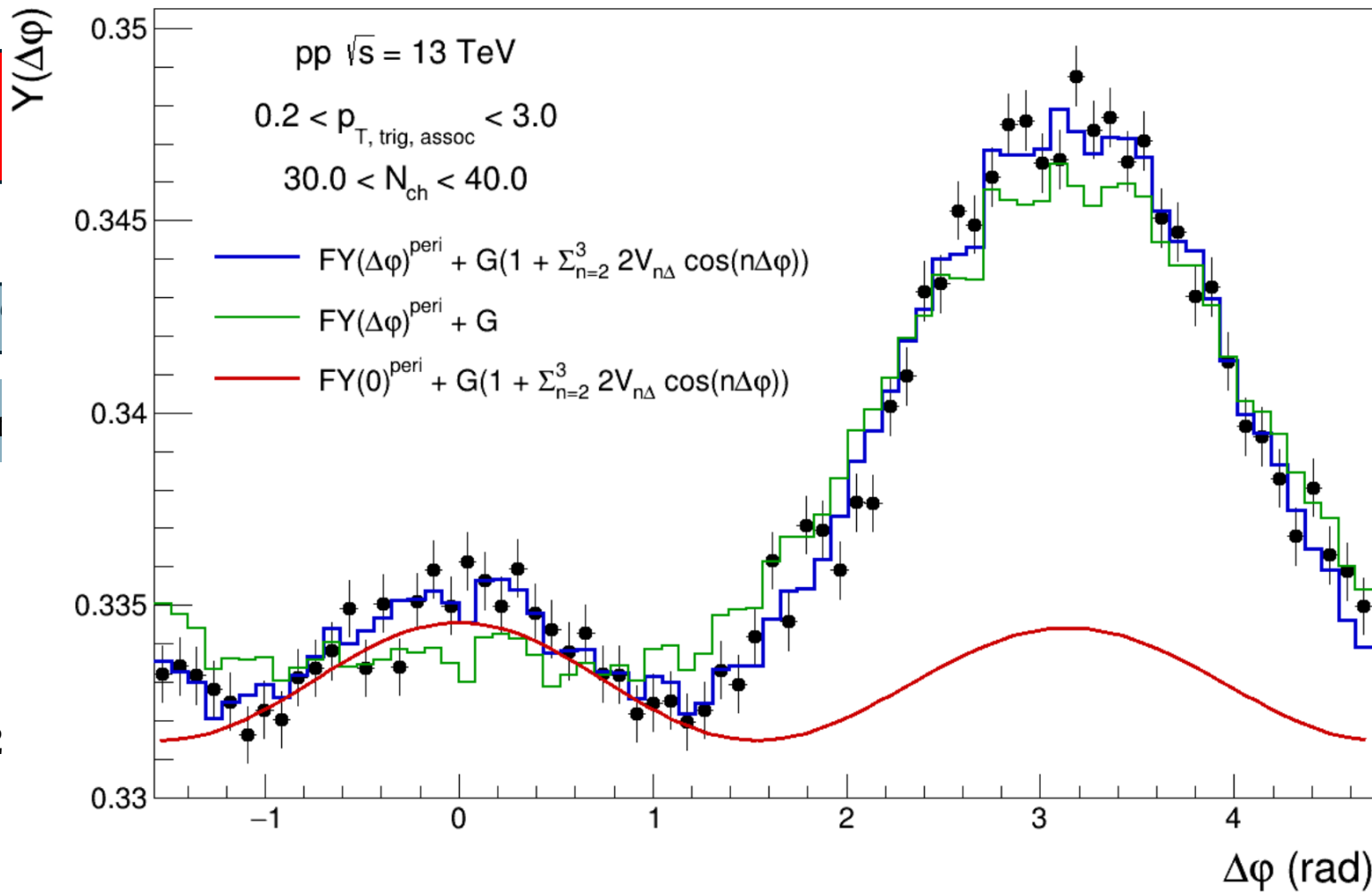
ALICE

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y_{templ}

Our measu

$$Y^{ridge}(\Delta\phi) = G \left[1 + 2 \sum_{n=2}^3 \right]$$



Differential flow

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ALICE

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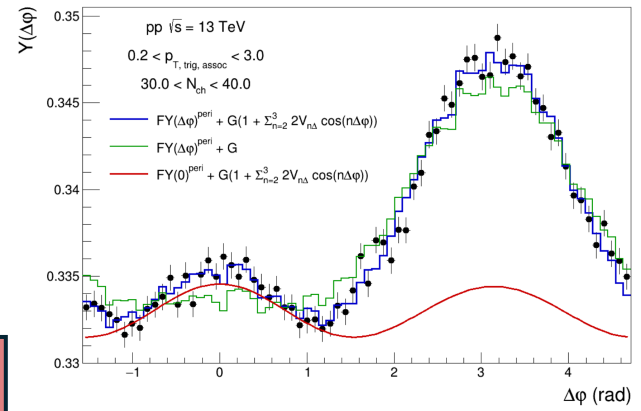
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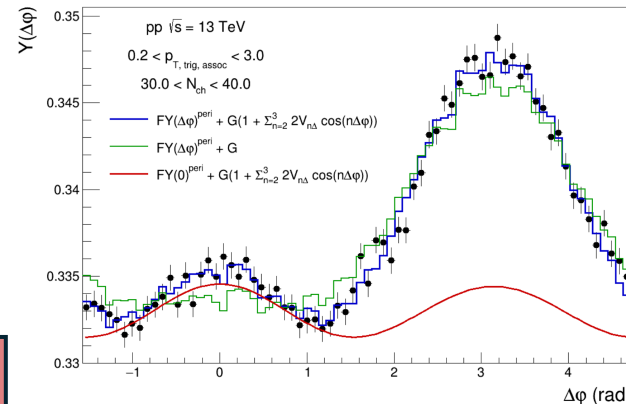
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Non-flow component

Collective flow component



$$Y_{\text{ridge}}(\Delta\varphi) = G \left[1 + 2 \sum_{n=2}^3 V_{n\Delta} \cdot \cos(n\Delta\varphi) \right]$$

4. Get flow

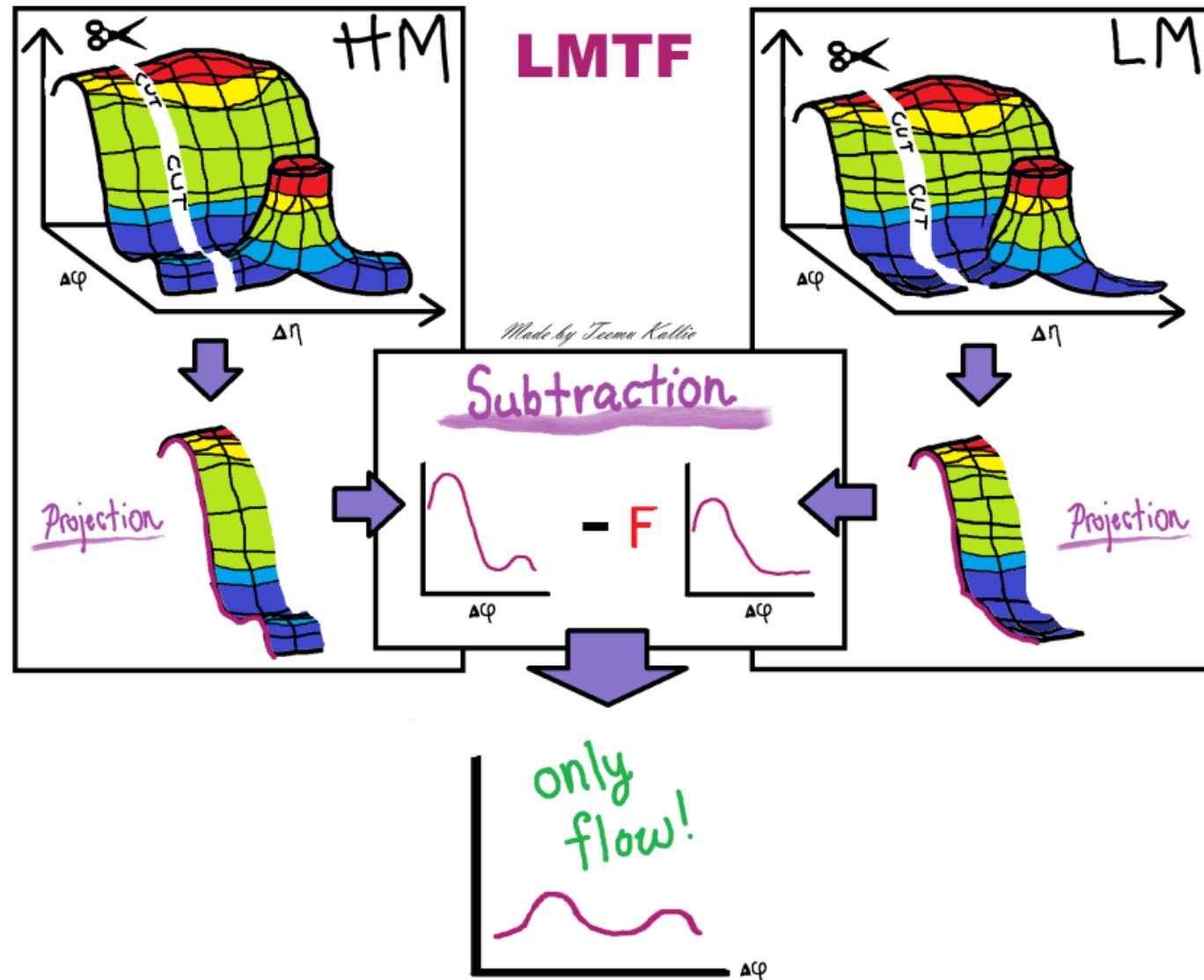
5. Reference flow

+

Differential flow

5 bis.

Template fit a nice scheme to understand more easily ☺



scheme credits : Maxim Virta

Summary

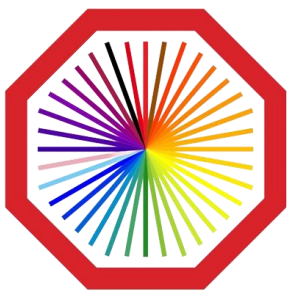


I tried to show the relevance of anisotropic flow measurements both in the QGP history and in the young field of the study of collective behavior in small systems

I hope to have described well enough for you to understand the measurement of anisotropic flow through two particle correlations

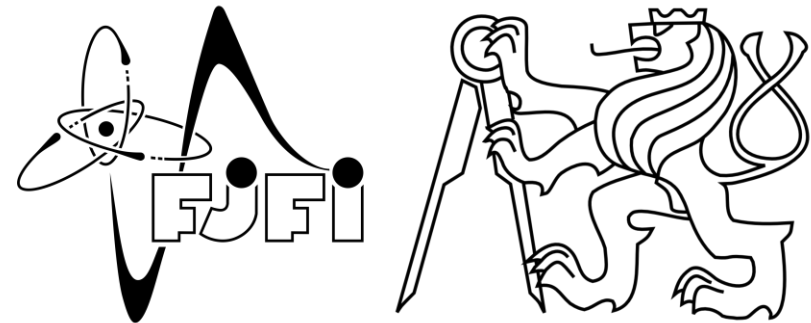
I hope to have well motivated the purpose of my analysis

And I hope to have highlighted the use of forward detectors to improve anisotropic results, and the challenges that they bring to the table



ALICE

BACK UP



References from Katka's JCF seminar



References in heavy-ion collisions

Near-side long-range ridge yield

- [1] CMS, *Eur. Phys. J. C* (2012) 72:2012
- [2] ALICE, *PLB* 708 (2012) 249–264

Anisotropic flow

- [3] CMS, *JHEP*02(2014)088
- [4] ALICE, *PRL* 116, 132302 (2016)

Multiparticle correlations

- [5] ALICE, *JHEP*07(2018)103

Mass ordering / baryon-meson grouping

- [6] ALICE, *JHEP* 05 (2023) 243

Flow decorrelations (p_T)

- [7] CMS, *PRC* **92**, 034911 (2015)
- [8] ALICE, *PRC* 107 (2023) L051901

Flow decorrelations (η)

- [9] ATLAS, *PRL* 126, 122301 (2021)
- [10] ATLAS, *Eur. Phys. J. C* (2018) 78:142

Event-by-event v_n

- [11] ATLAS, *JHEP*11(2013)183
- [12] CMS, *PLB* 789 (2019) 643–665

Flow magnitude correlations/fluctuations

- [13] ATLAS, *PRC* **92**, 034903 (2015)
- [14] ALICE, *PRL* 117, 182301 (2016)

Symmetry plane correlations

- [15] ATLAS, *PRC* **90**, 024905 (2014)

Nonlinear response of V_n

- [16] CMS, *Eur.Phys.J.C* 80 (2020) 6, 534
- [17] ALICE, *PLB* 773 (2017) 68–80
- [18] STAR, *PLB* **839** (2023) 137755

Event-shape engineering of v_n

- [19] ALICE, *PRC* **93**, 034916 (2016)

$\rho(v_n^2, [p_T])$

- [20] ATLAS, *Eur. Phys. J. C* (2019) 79:985
- [21] ALICE, *PLB* 834 (2022) 137393

High- p_T flow (hard scattering)

- [22] ATLAS, *PRC* 105 (2022) 6, 064903
- [23] CMS, *PRL* 109, 022301 (2012)

Charm flow

- [24] ATLAS, *PLB* 807 (2020) 135595
- [25] CMS, *PRL*129 (2022) 022001
- [26] ALICE, *JHEP* 10 (2020) 141
- [27] STAR, *PRL* 118, 212301 (2017)

Bottom flow

- [28] ATLAS, *PLB* 807 (2020) 135595
- [29] ALICE, *PRL* 123, 192301 (2019)

References in small collision systems

Near-side long-range ridge yield

- [30] ATLAS, *PRC* **96**, 024908 (2017)
- [31] CMS, *PLB* 765 (2017) 193–220
- [32] CMS, *PLB* 718 (2013) 795–814
- [33] ALICE, *PLB* 719 (2013) 29–41
- [34] ALICE Preliminary

Anisotropic flow

- [35] ATLAS, *PRL* 116, 172301 (2016)
- [36] CMS, *PRC* **98**, 044902 (2018)
- [37] ALICE, *PRL* 123, 142301 (2019)
- [38] PHENIX, *Nature Phys.* 15 (2019) 3, 214–220
- [39] STAR, *arXiv:2210.11352*

Multiparticle correlations

- [40] ATLAS, *PRC* **97**, 024904 (2018)
- [41] ATLAS, *Eur. Phys. J. C* (2017) 77:428
- [42] CMS, *PRL* 115, 012301 (2015)
- [43] CMS, *PRC* **101**, 014912 (2020)
- [44] ALICE, *PRC* **90**, 054901 (2014)
- [45] ALICE, *PRL* 123, 142301 (2019)

Mass ordering / baryon-meson grouping

- [46] CMS, *PLB* 765 (2017) 193–220
- [47] ALICE, *PLB* 726 (2013) 164–177
- [48] ALICE Preliminary
- [49] PHENIX, *PRC* **97**, 064904 (2018)

Flow decorrelations (p_T)

- [50] ALICE, *JHEP*09(2017)032
- [51] CMS, *PRC* **92**, 034911 (2015)

Flow decorrelations (η)

- [52] CMS, *PRC* **92**, 034911 (2015)
- [53] ATLAS, *ATLAS-CONF-2022-020*

Event-by-event v_n

–

Flow magnitude correlations

- [54] ATLAS, *PLB* 789 (2019) 444–471
- [55] CMS, *PRL*120, 092301 (2018)
- [56] CMS, *PRC* **103**, 014902 (2021)
- [57] ALICE, *PRL* 123, 142301 (2019)

Symmetry plane correlations

- [58] ALICE Preliminary

Nonlinear response of V_n

- [59] ALICE Preliminary

Event-shape engineering of v_n

–

$\rho(v_n^2, [p_T])$

- [60] ATLAS, *Eur. Phys. J. C* (2019) 79:985
- [61] CMS, *PAS HIN-21-012*

High- p_T flow (hard scattering)

- [62] ATLAS, *Eur.Phys.J.C* 80 (2020) 1, 64
- [63] ATLAS, *Eur. Phys. J. C* (2020) 80:73
- [64] ATLAS, *arXiv:2303.17357*
- [65] ALICE, *arXiv: 2212.12609*

Charm flow

- [66] ATLAS, *PRL* 124, 082301 (2020)
- [67] CMS, *PLB* 813 (2021) 136036
- [68] ALICE, *PRL* 122, 072301 (2019)

Bottom flow

- [69] ATLAS, *PRL* 124, 082301 (2020)
- [70] CMS, *PAS-HIN-21-001*

Ultrapерipheral collisions

- [72] CMS, *arXiv:2204.13486*
- [73] ATLAS, *PRC* 104 (2021) 1, 014903

ep collisions

- [74] ZEUS, *JHEP* 04 (2020) 070
- [75] ZEUS, *JHEP* 12 (2021) 102

e⁺e⁻ collisions

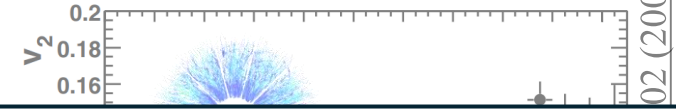
- [76] ALEPH, *PRL* 123, 212002 (2019)
- [77] ALEPH, Preliminary

Introduction : signatures of the quark gluon plasma



Signatures : many !

Au+Au collisions at $\sqrt{s} = 130$ GeV (RHIC)

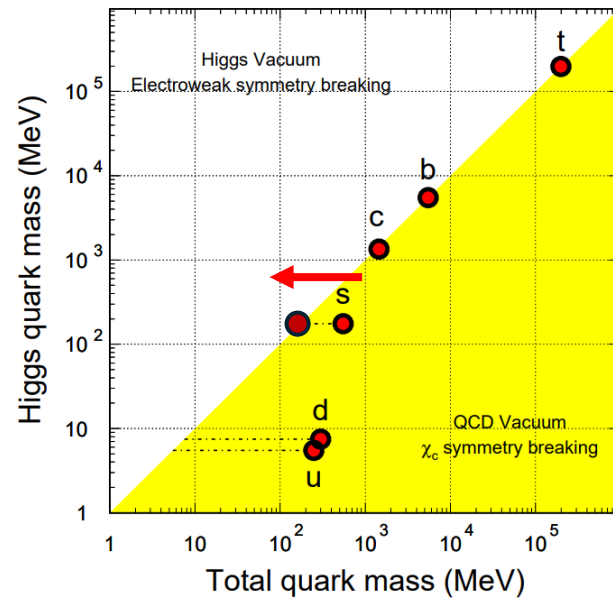


2001 : discovery of strong «
2002 : discovery of jet quen

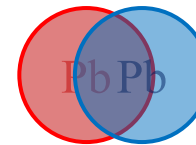
Many other signatures :

- strangeness enhancement
- quarkonia suppression
- mass ordering
- baryon-meson grouping

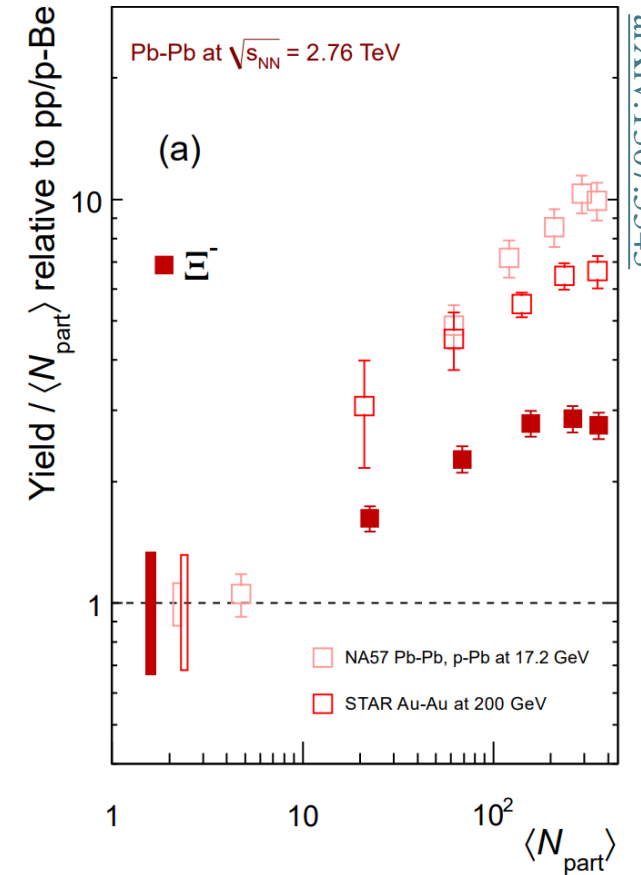
chiral symmetry partial restoration $\rightarrow m_s \approx 100$ MeV $< T_{QGP}$



arXiv:hep-ph/0604178



+ gluon fusion $gg \rightarrow s\bar{s}$ more frequent in QGP



arXiv:1307.5543

Phys. Rev. Lett. 88, 022301 (2002)

Summary of the discovery of QGP : [arxiv:nucl-ex/0501009](https://arxiv.org/abs/nucl-ex/0501009)

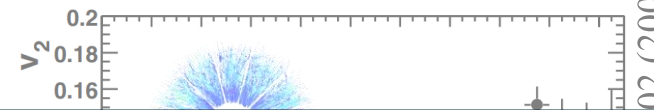
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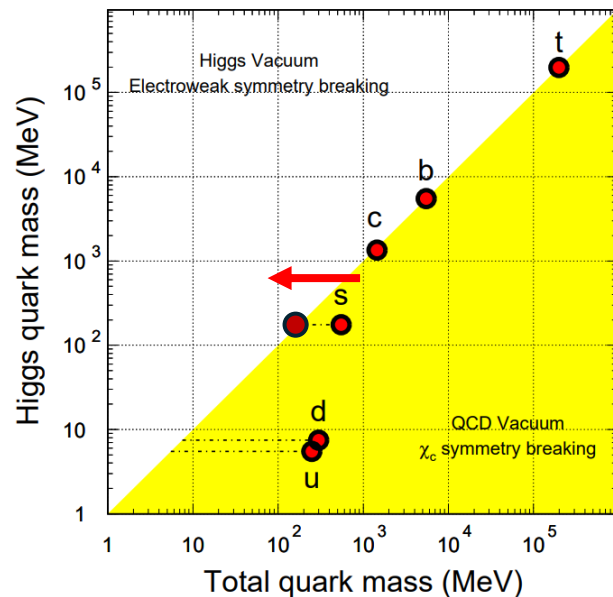
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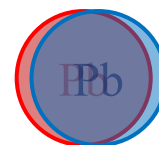
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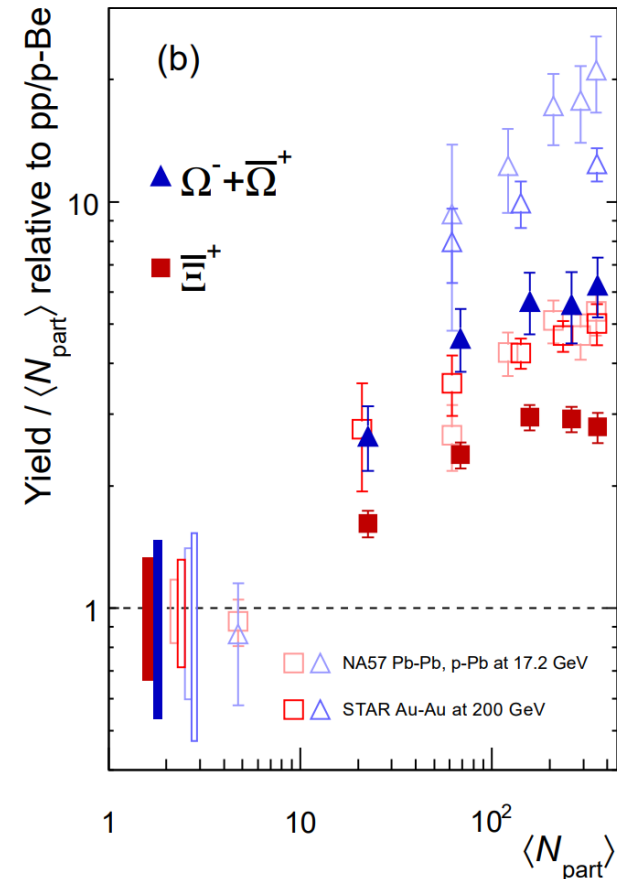
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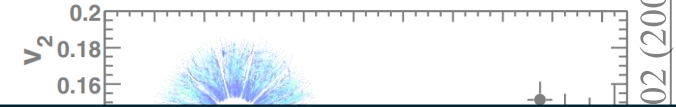
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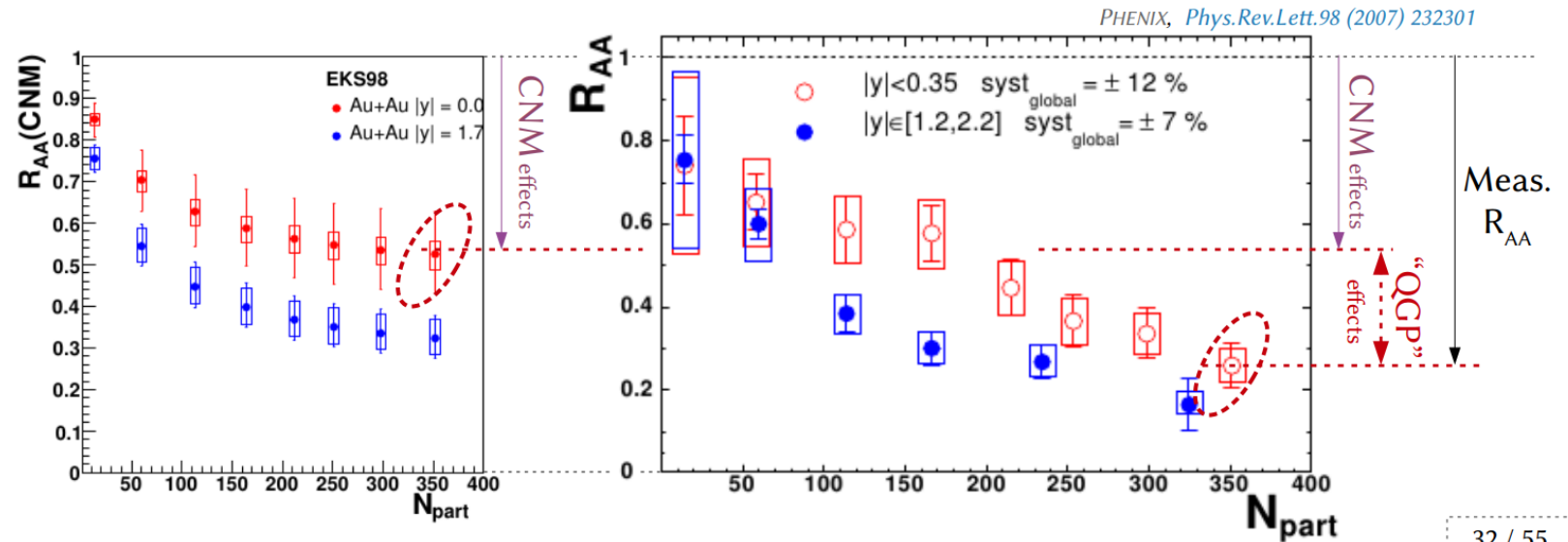
baryon-meson grouping

Au+Au collisions at $\sqrt{s} = 130$ GeV (RHIC)



Quarkonia is even more suppressed in the presence of quark gluon plasma

Illustration : PHENIX case, J/ψ suppression in Au-Au



Brambilla et al, *Eur.Phys.J.C*71(2011) 1534 (p.127, Fig.87)

Antonin.MAIRE@unistra.fr - IPHC / M2-PSA v2022.0

From Antonin Maire's lecture : Strong interaction at hadron colliders

Summary of the discovery of QGP : [arxiv:nucl-ex/0501009](https://arxiv.org/abs/nucl-ex/0501009)

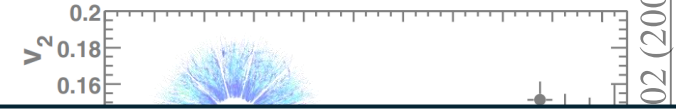
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Signature associated with the anisotropic flow of identified hadrons, explained by **quark coalescence**, a phenomenon exclusive to a QGP-like medium

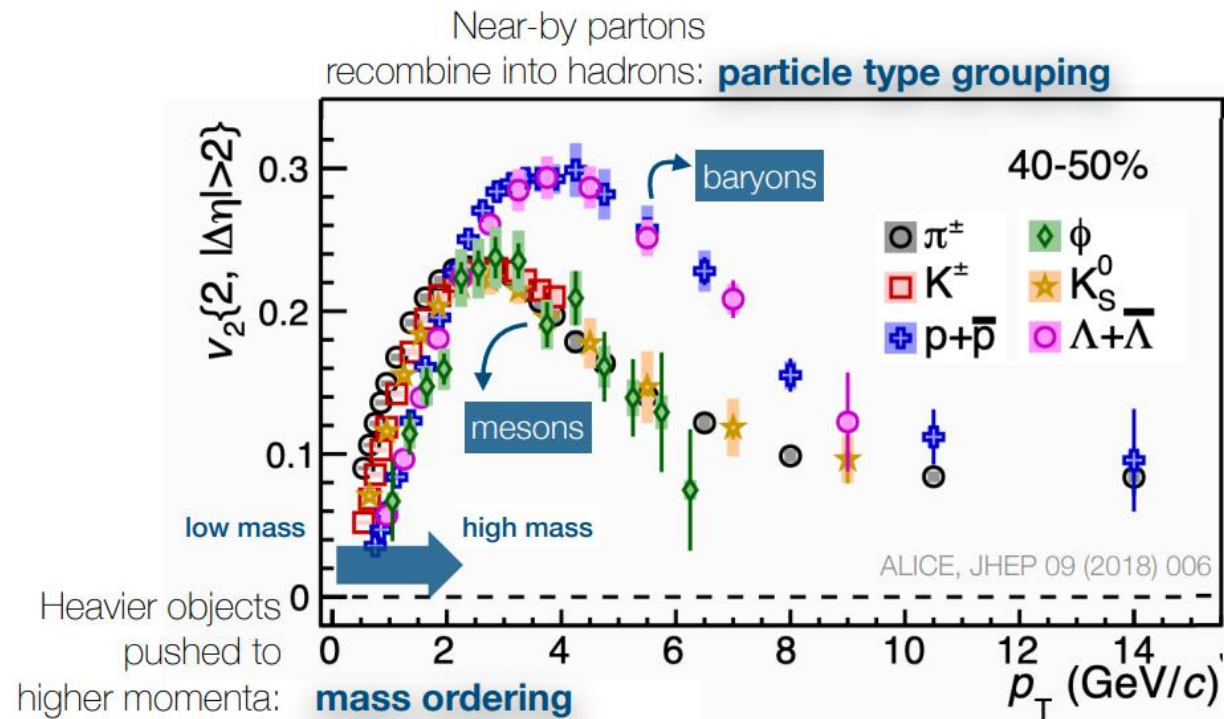


Figure from Katka's JCF seminar on 10/11/2023

Summary of the discovery of QGP : [arxiv:nucl-ex/0501009](https://arxiv.org/abs/nucl-ex/0501009)

Template fit the principles detailed...

Perform template fit

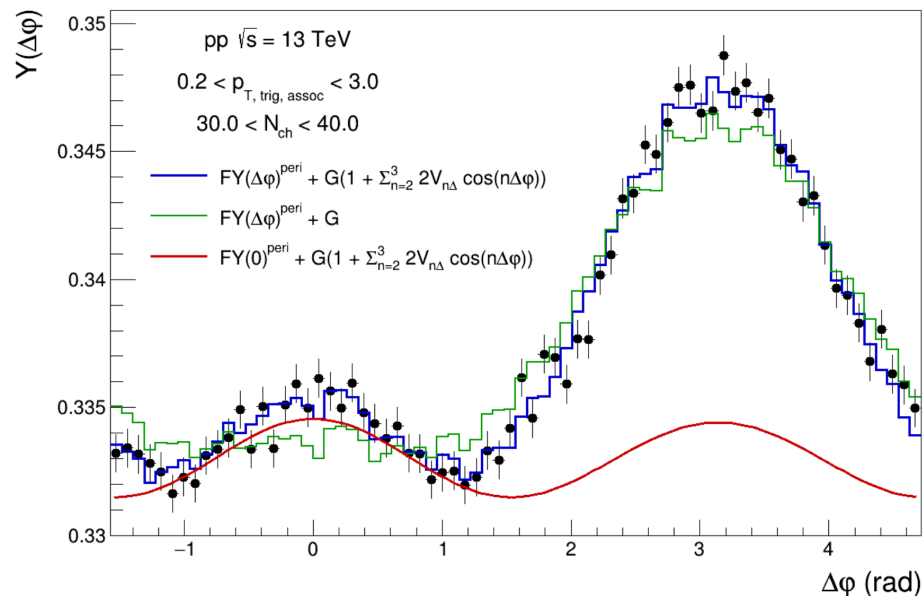
$$Y^{template}(\Delta\varphi) = F \cdot Y^{peripheral}(\Delta\varphi) + Y^{ridge}(\Delta\varphi)$$

$$Y^{ridge}(\Delta\varphi) = G \left[1 + 2 \sum_{n=2}^3 V_{n\Delta} \cdot \cos(n\Delta\varphi) \right]$$

Our measurement at given multiplicity → Contains **non-flow** & **collective effects**

Non-flow component
→ Assumption : **low-multiplicity** sample contains only **non-flow**

Collective flow component
→ Fourier expansion



Fit inputs :

- measurement at high multiplicity
- measurement at low multiplicity

Fit outputs :

- F, G, $V_{n\Delta}$



Get reference and differential flow