



Miniworkshop difrakce a ultraperiferálních srážek
2-3 May, 2018
Děčín, Česká republika

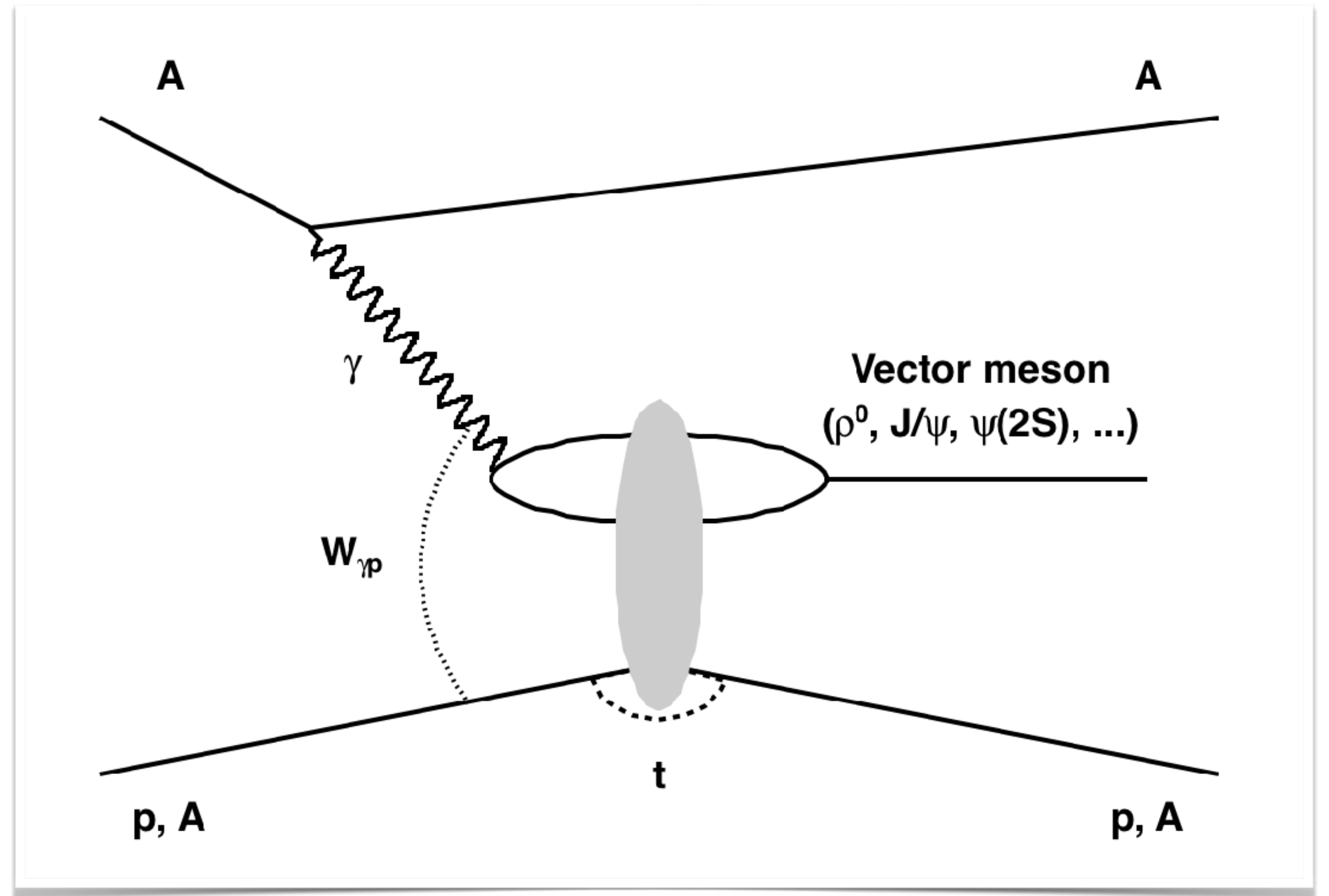
Amplitude for vector-meson photo-production in the colour dipole model: main components

J. G. Contreras
Czech Technical University

May 2, 2018, Děčín

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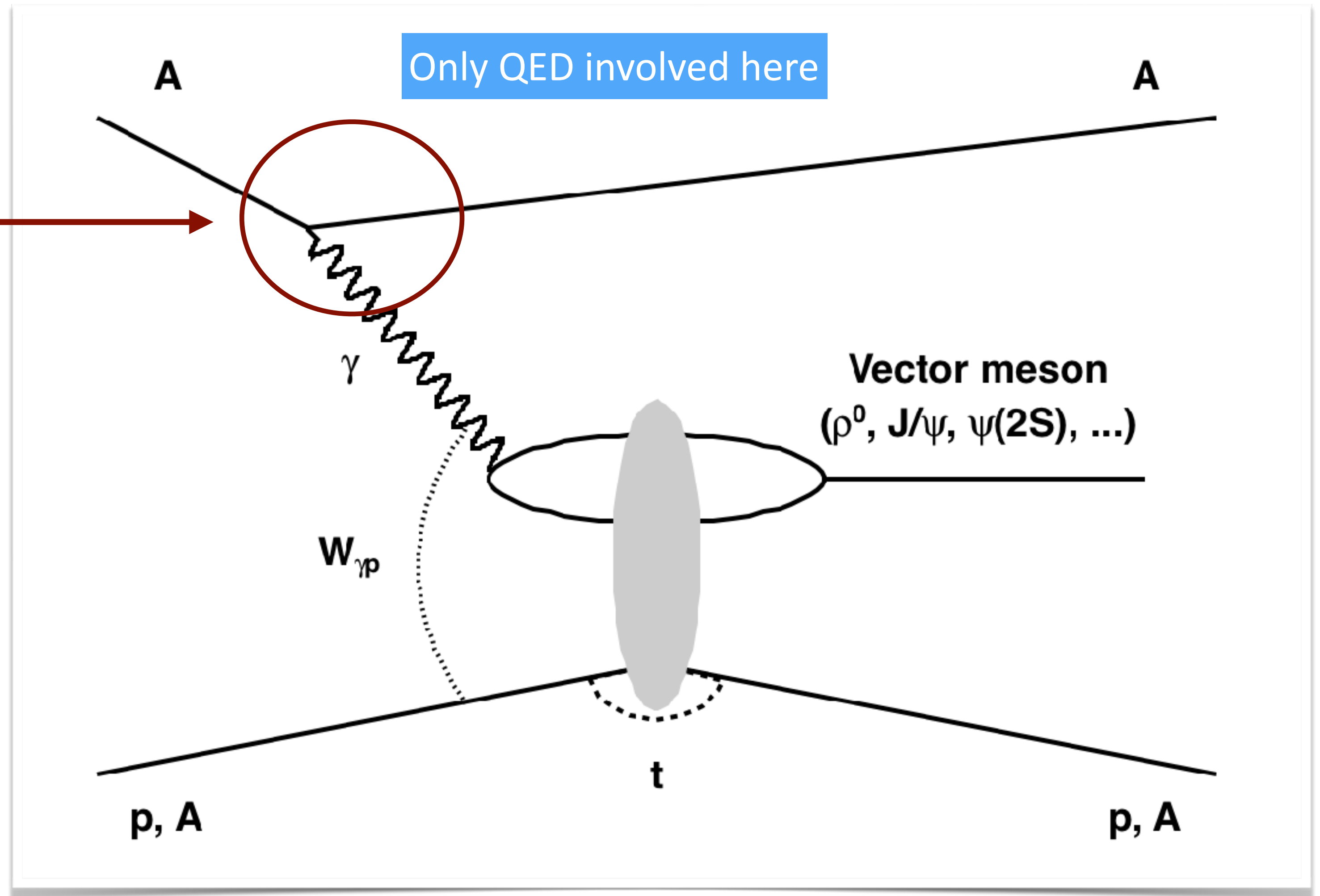
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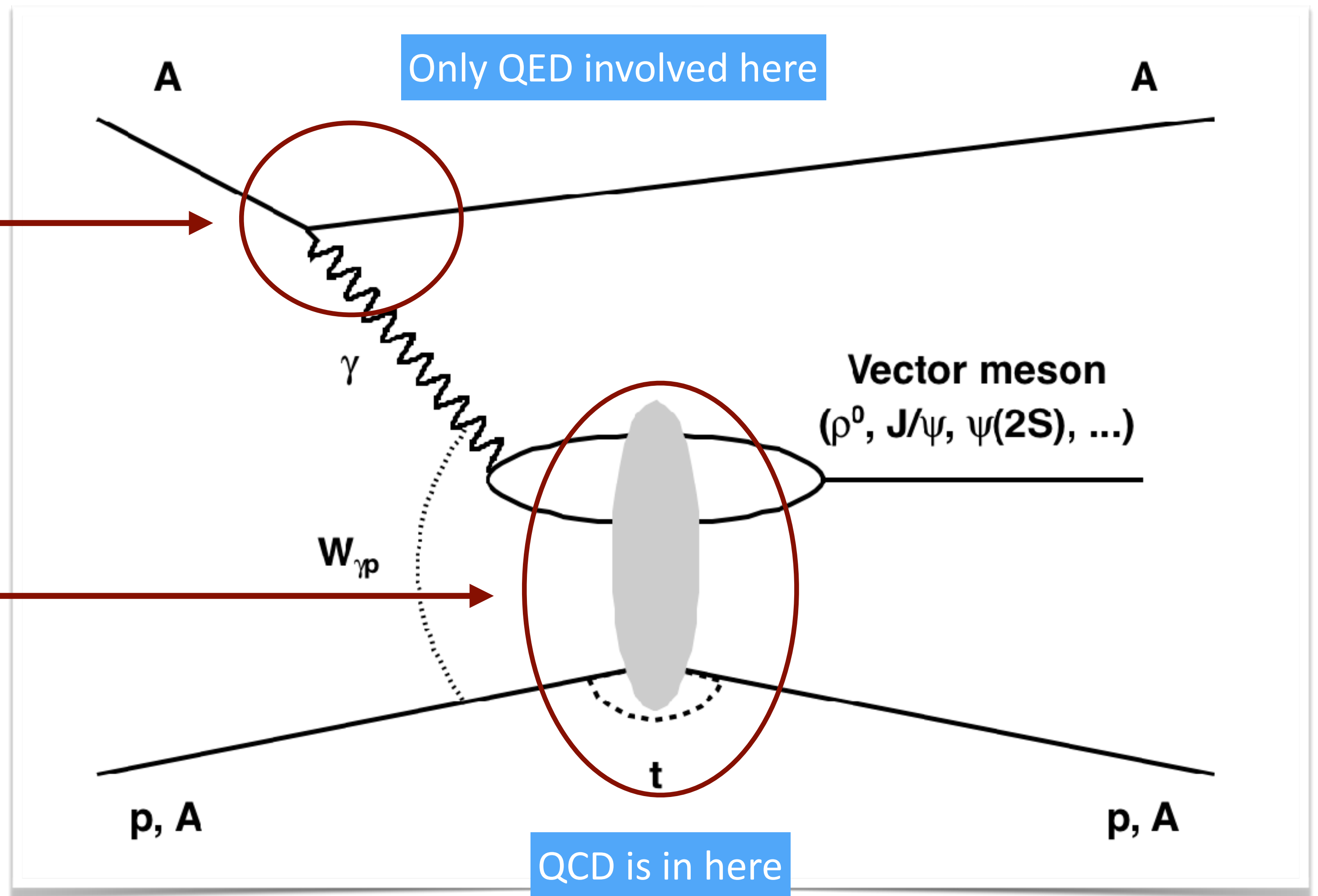


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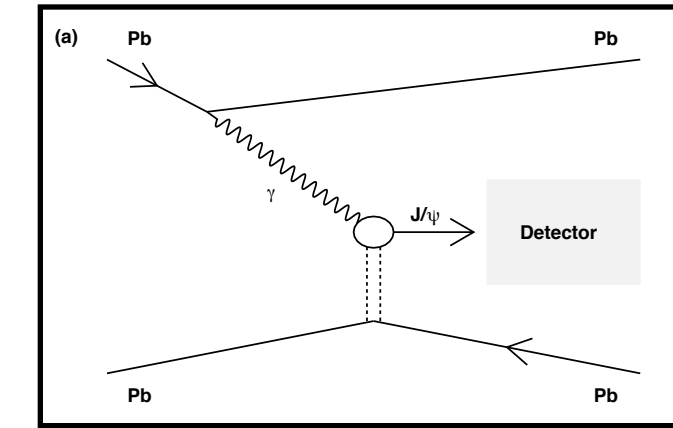
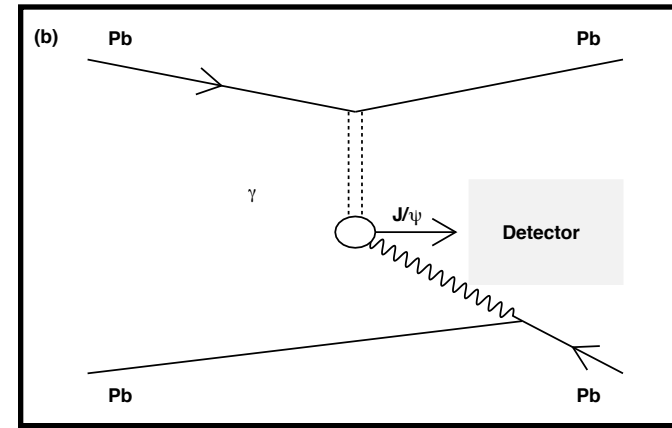
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- Emission of the photon.

- Interaction of the photon with the target.

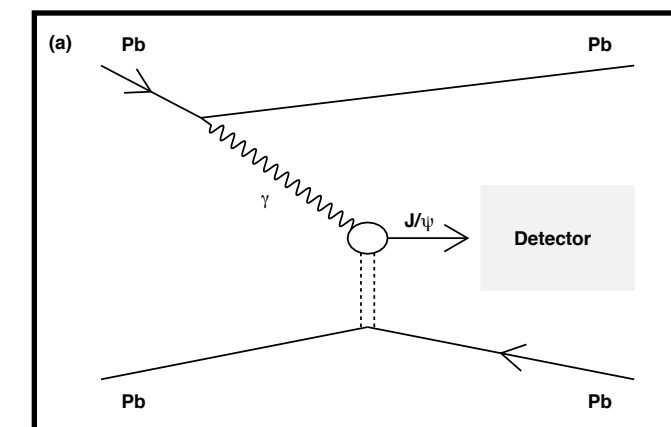
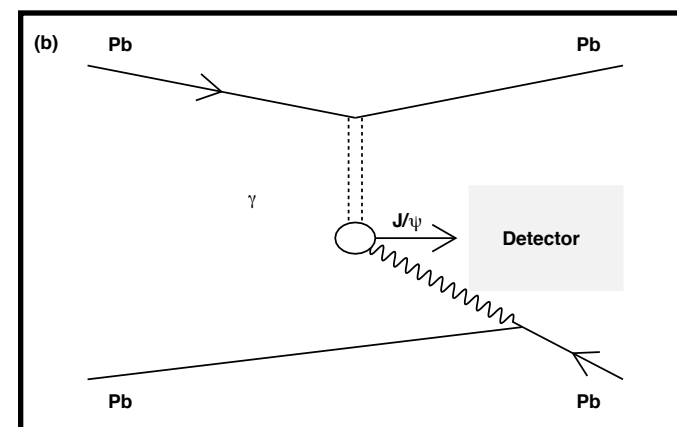


The cross section for the pp, pPb or PbPb system



$$\frac{d\sigma_{\text{PbPb}}}{dy} = n_{\gamma}(y; b_{1,2})\sigma_{\gamma\text{Pb}}(y) + n_{\gamma}(-y; b_{1,2})\sigma_{\gamma\text{Pb}}(-y)$$

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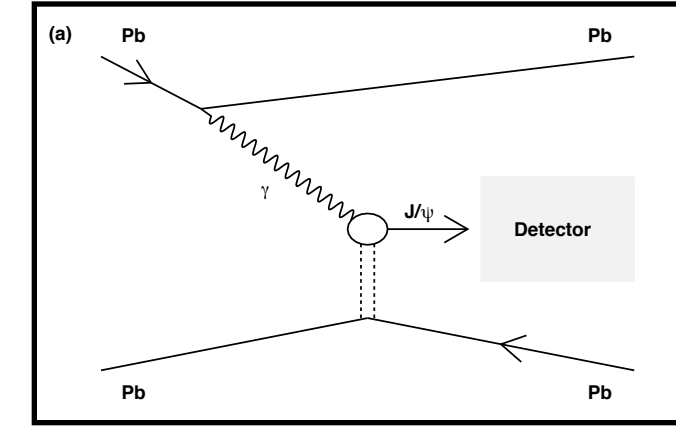
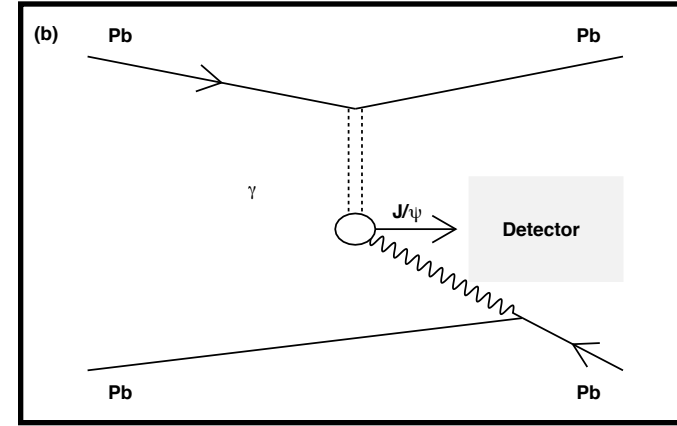


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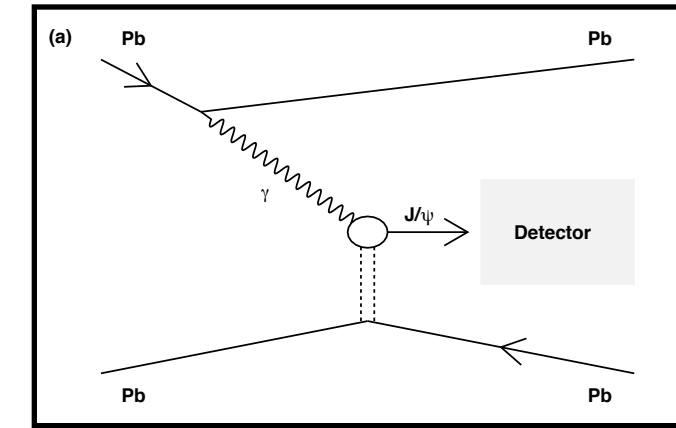
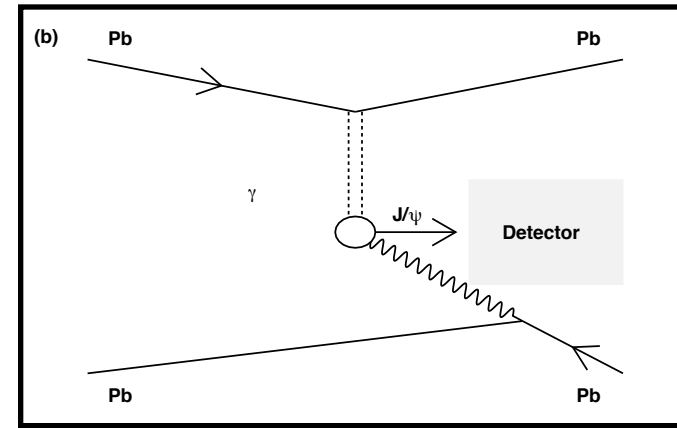
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Emission of the photon by the source.

- Here only the Pb case.
- Proton case is similar, but formula is different.

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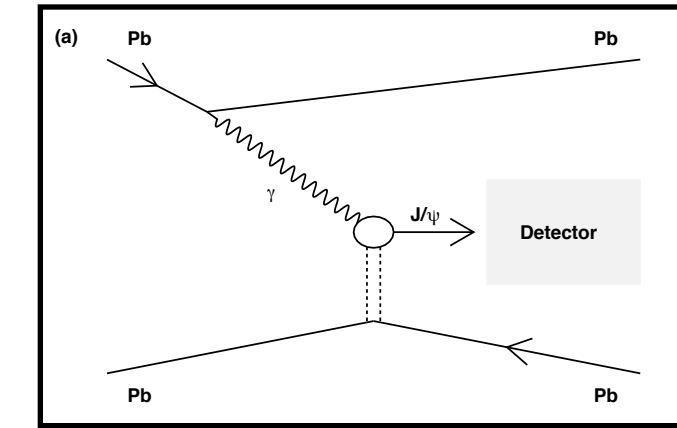
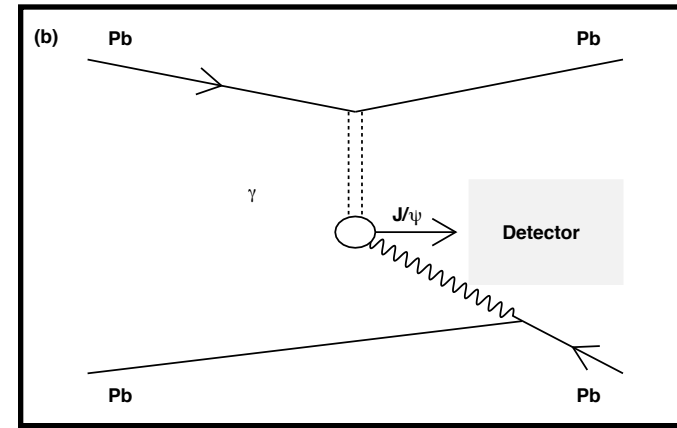
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Cross section for the photon-target system.

- If we considered mid-rapidity, $y=0$, then both terms are equal and we need only one flux and one cross section.
- If one term is much larger than the other, e.g. at forward rapidities or in pPb collisions, then only one term is considered.

The cross section for the γ -target system

$$\left. \frac{d\sigma_{\gamma A}}{dt} \right|_{T,L}^{\text{coh}} = \frac{(R_g^{T,L})^2}{16\pi} |\langle A^j(x, Q^2, \vec{\Delta})_{T,L} \rangle_j|^2$$

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- Cross section computed at a value of t and W .
- If only one vector meson is produced, and nothing else, the cross section is known as:
 - Elastic (some HERA papers).
 - Exclusive.
 - Coherent (mainly for nuclear targets, but lately also for production off protons).

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- Average over configuration in models with fluctuations.

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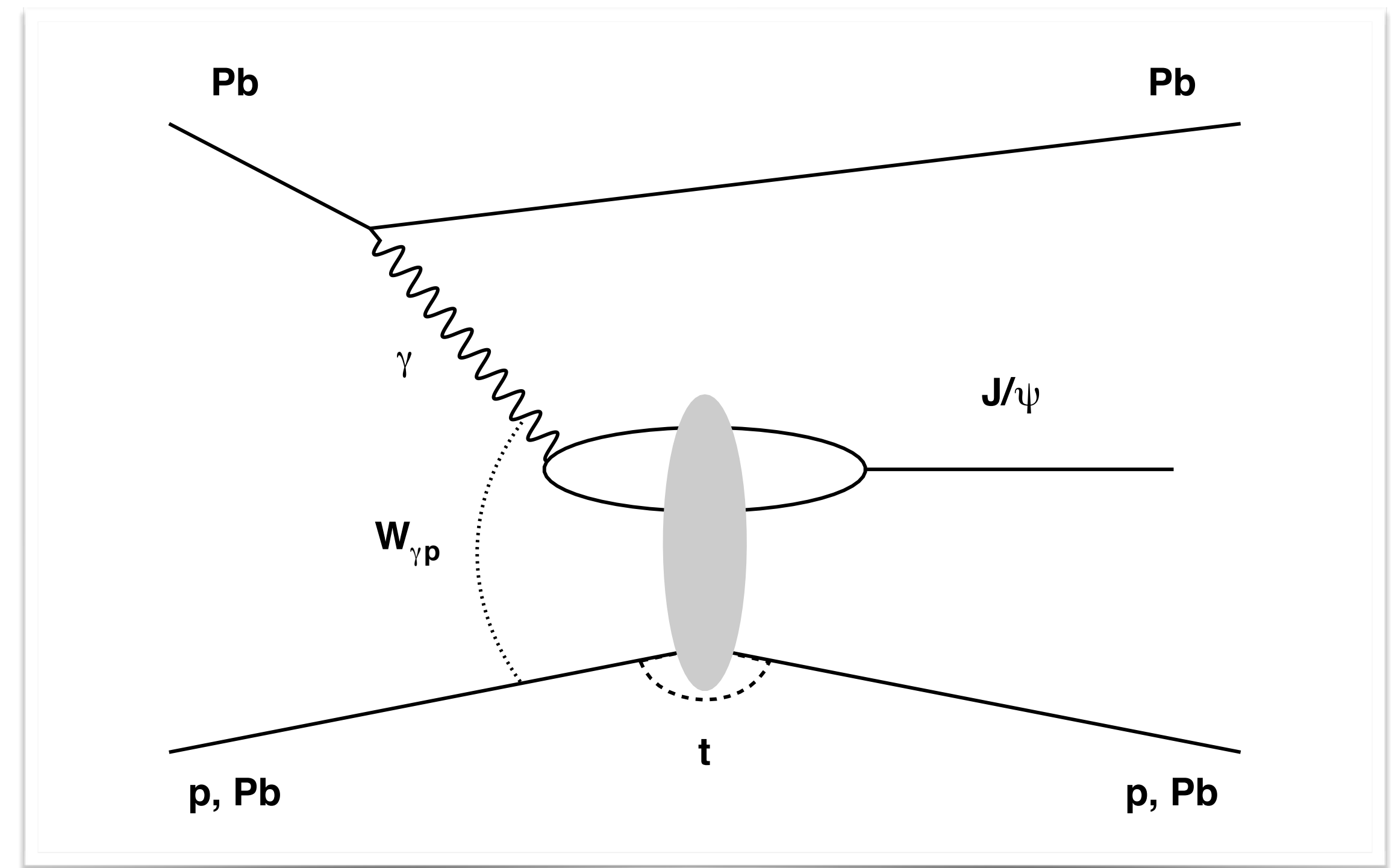
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- Some corrections may be applied.
- Here the skewedness correction is shown.
- There may also be a correction for the real part.

The amplitude in the dipole picture

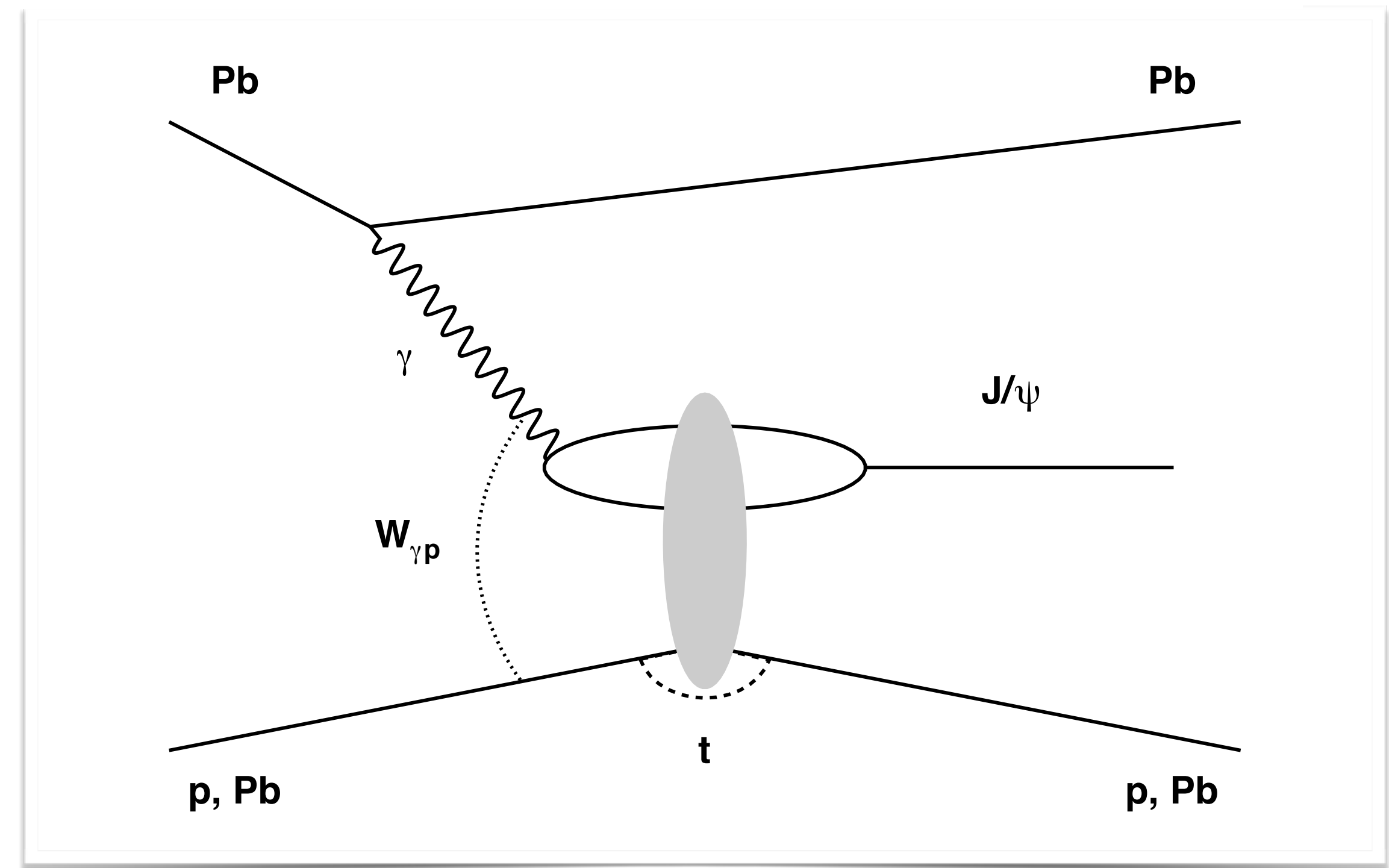


e.g., Kowalski, Motyka, Watt, PRD74 (2006) 074016

The amplitude in the dipole picture

x related to $W_{\gamma p}$ which is related to the rapidity of the vector meson

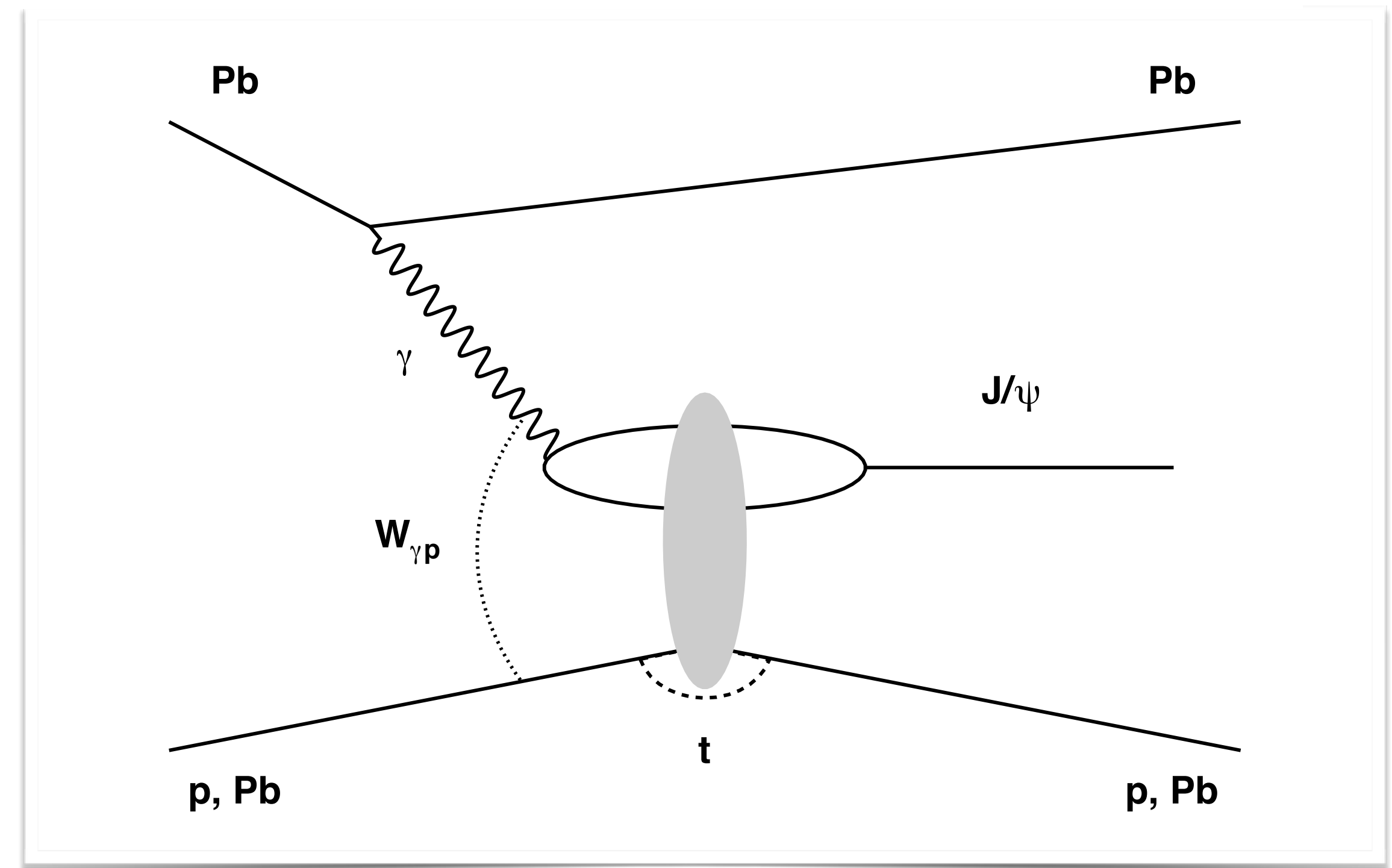
$$A(x, Q^2, \vec{\Delta})_{T,L} = i \int d\vec{r} \int_0^1 \frac{dz}{4\pi} (\Psi^* \Psi_V)_{T,L} \int d\vec{b} e^{-i(\vec{b} - (1-z)\vec{r}) \cdot \vec{\Delta}} \frac{d\sigma_{\text{dip}}}{d\vec{b}}$$



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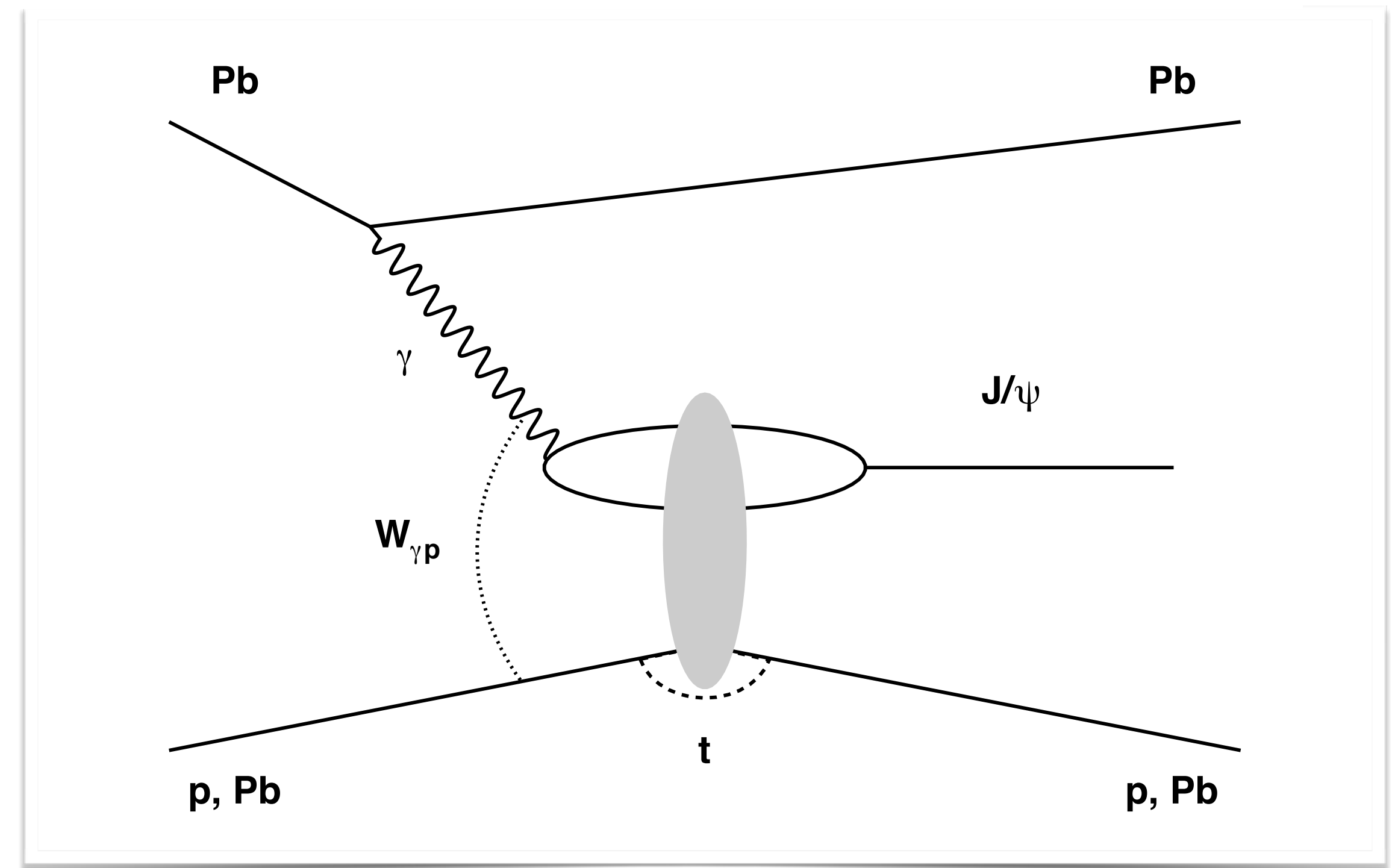
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$\Delta^2 = -t$

Quark energy fraction

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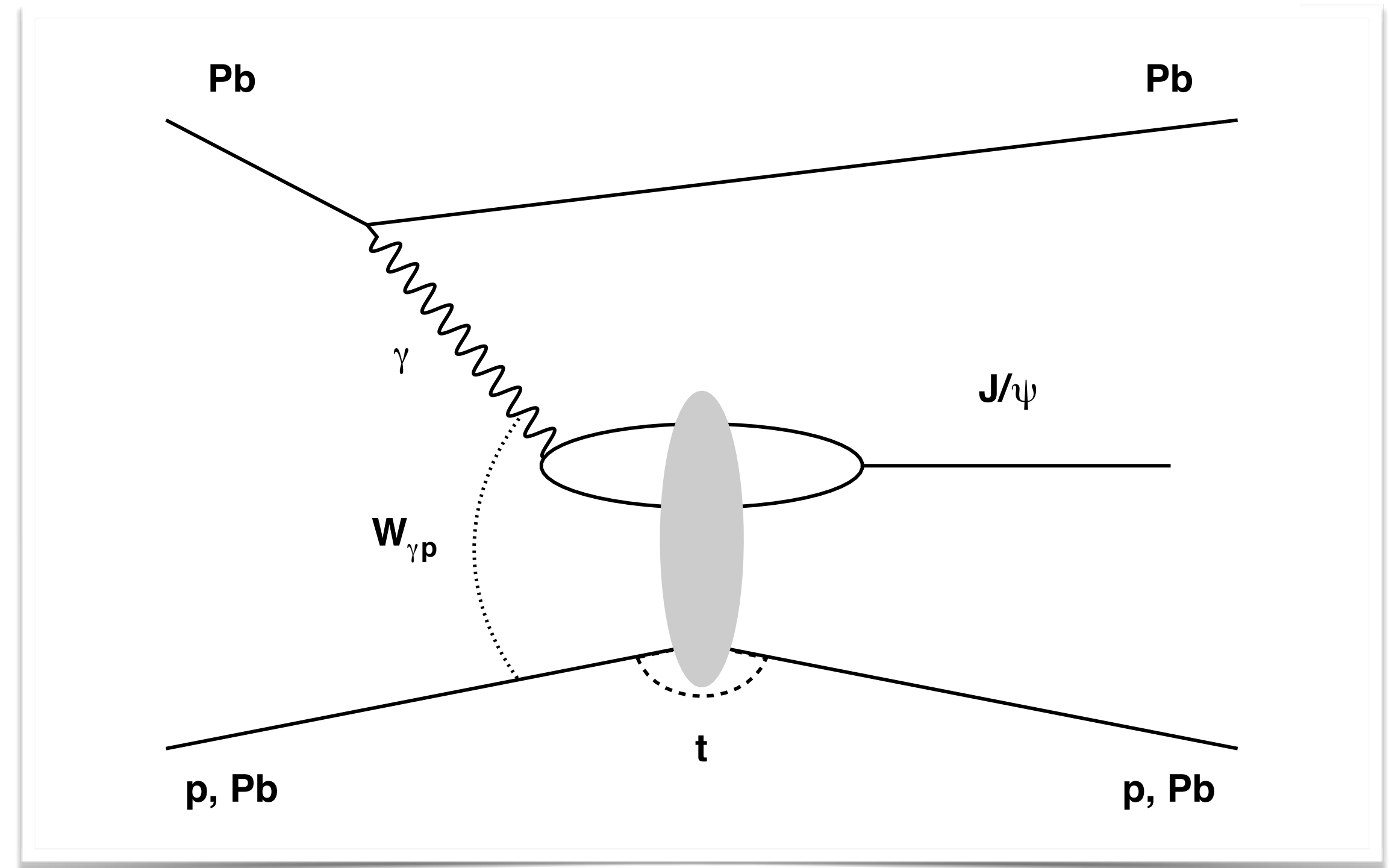
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Dipole size

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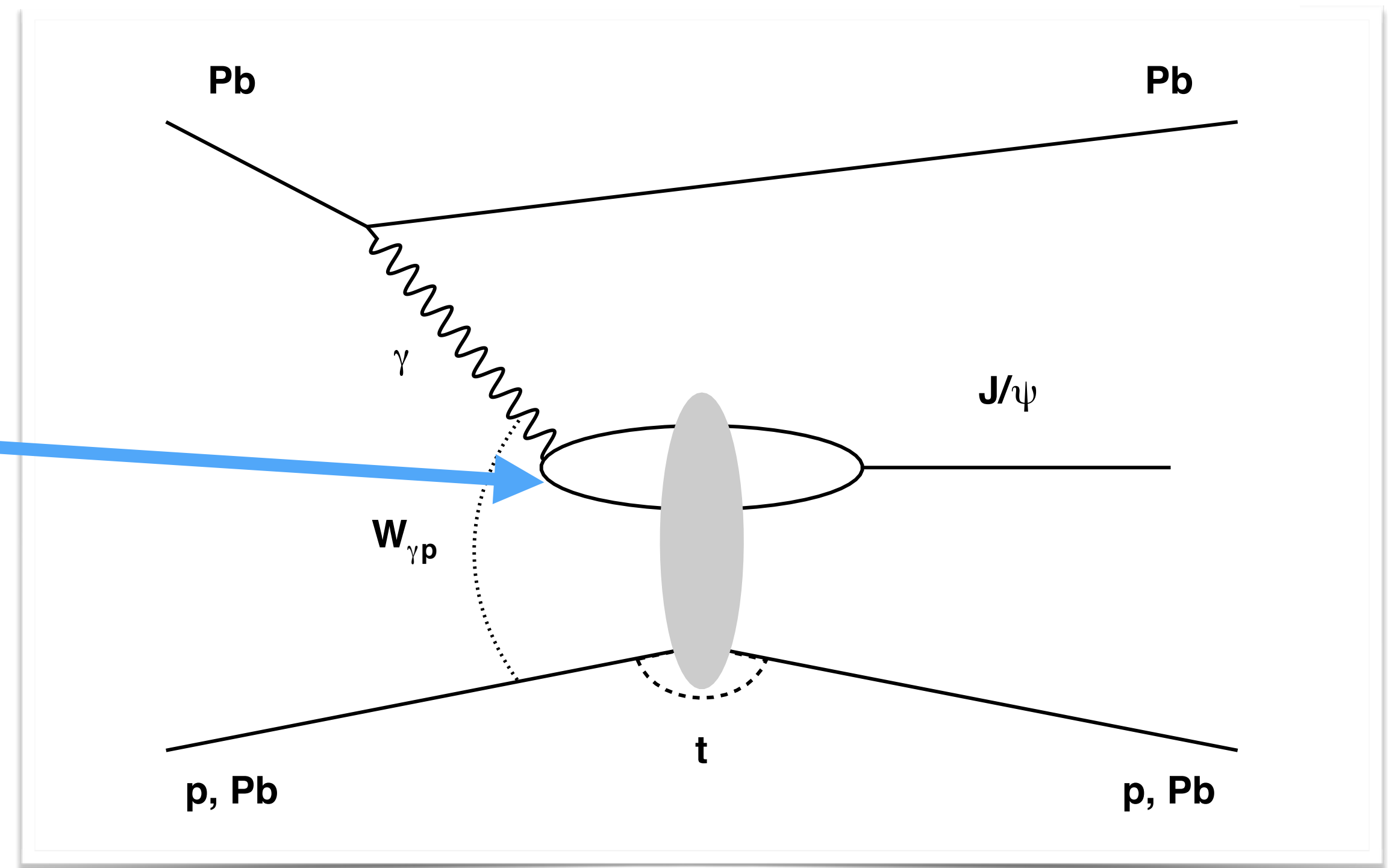
Dipole size

Quark energy fraction

Transverse, Longitudinal photons

Photon-dipole wave function

Photon virtuality



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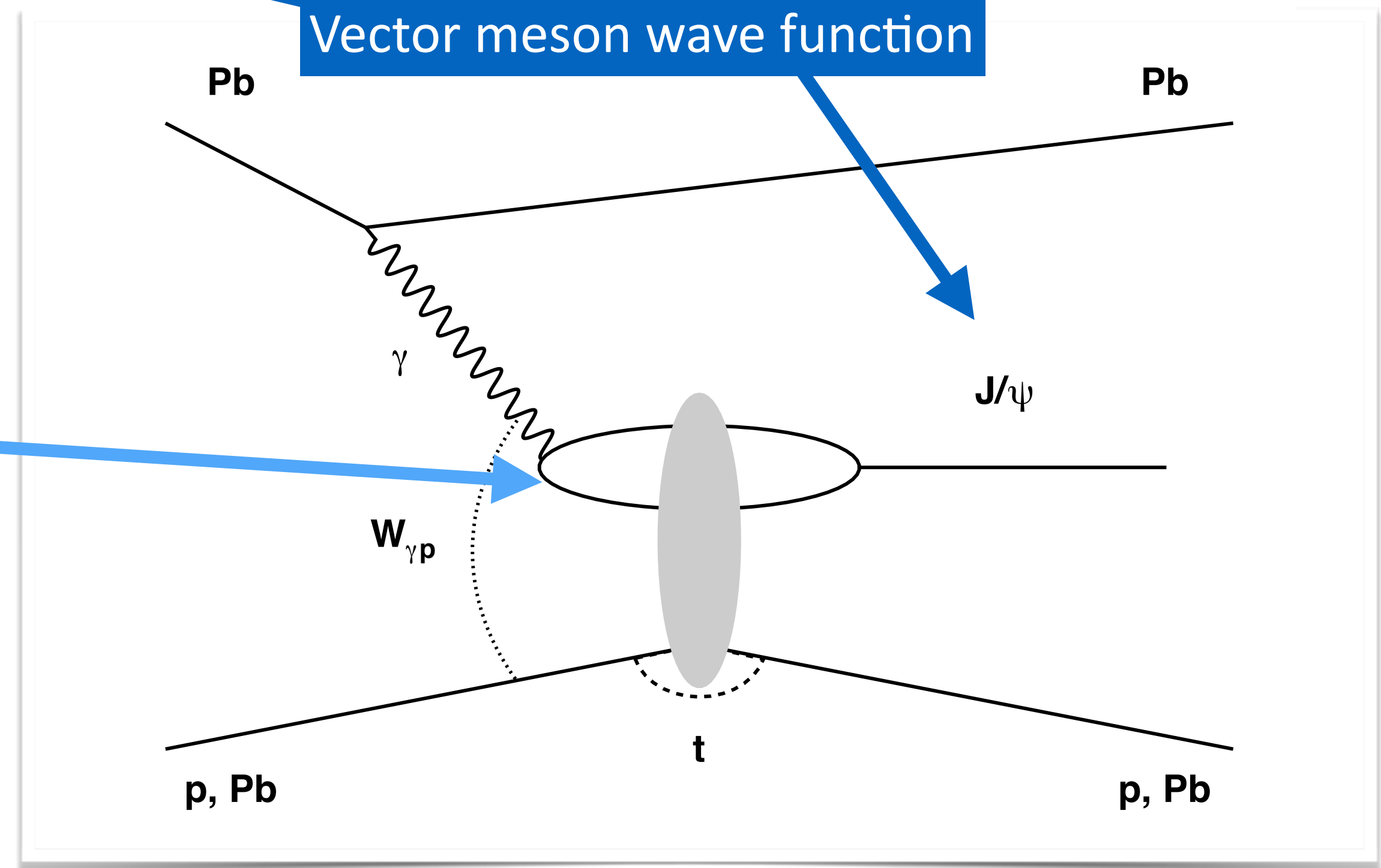
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Vector meson wave function



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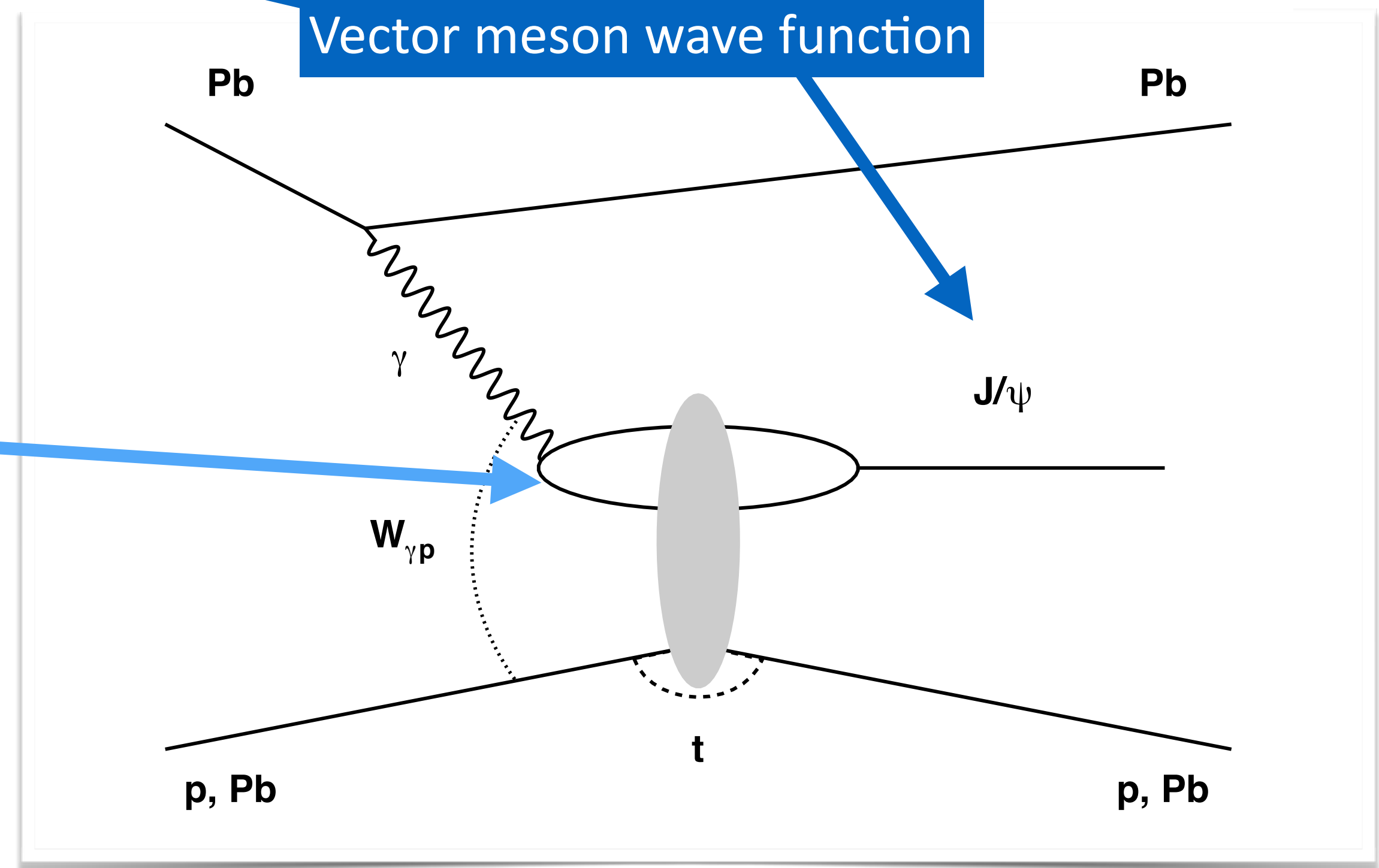
Impact parameter

Transverse, Longitudinal photons

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Photon-dipole wave function

Vector meson wave function

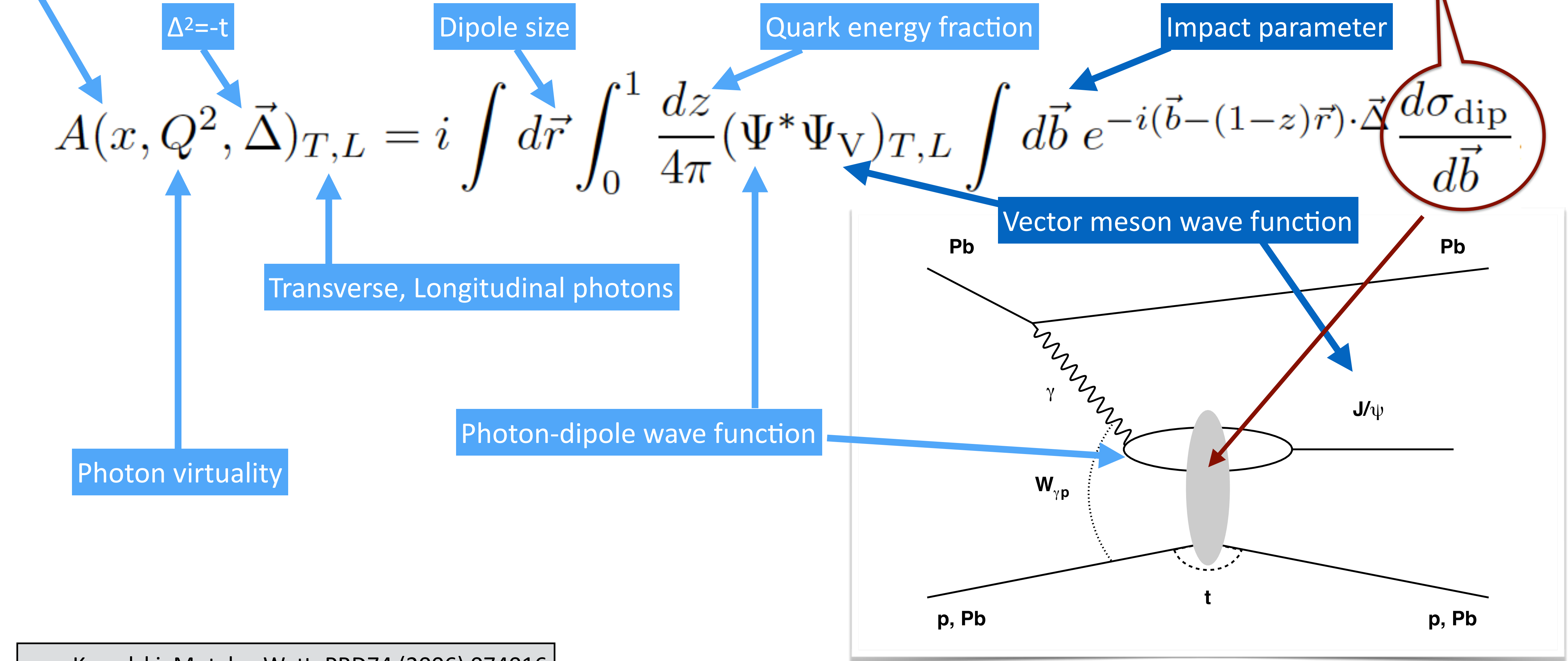


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Dipole-Target cross section
pQCD physics gets here!

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